



Democratic and Popular Republic of Algeria  
Ministry of Higher Education and Scientific Research  
University Mohamed Khider of Biskra

Faculty of Exact Sciences and Science of Nature and Life  
Department of Matter Sciences

Ref : .....

Thesis Presented to obtain the degree of  
**Doctorate in Chemistry**  
Option: Materials Chemistry

Entitled:

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**Elaboration and characterization of PZT-type  
ceramics**

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Presented by:

**Ben Makhlof Aymen**

Publicly defended on: 15/10/2023

**In front of the Jury committee composed of:**

<b>Mr. DJANI Fayçal</b>	Professor	University of Biskra	President
<b>Mr. MAKHLOUFI Rachid</b>	MCA	University of Biskra	Supervisor
<b>Mr. BEN MYA Omar</b>	Professor	University of Oued Souf	Examiner
<b>Mr. CHADLI Abdelhakim</b>	MCA	University of Biskra	Examiner





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# Dedication

I dedicate this modest work to:

To my dear parents,

Your unwavering love, support, and encouragement have been the foundation of my 5 years in Biskra. Your sacrifices and belief in me have shaped my dreams and propelled me forward. This thesis is a testament to your endless dedication and the values you instilled in me. Thank you for being my guiding light.

To my beloved brother Oussama, his wife, and my adorable nephews Sadjed and Baraa, Your constant presence and unwavering faith in me have inspired me. Your love and encouragement have pushed me to strive for excellence. I am grateful for your support throughout this journey.

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To my beloved sister Douaa.

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To my dearest cousin Ilyes

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I dedicate this thesis to all of you, my beloved family. Your love, support, and presence have been the pillars of my success. I am forever grateful for your unwavering belief in me.

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## Abstract

In this study, PZT type ceramics with a general formula  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  where ( $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$ ) were elaborated by the solid-state reaction method. The main objectives of this study focus on the evolution of structural and electrical properties in the region of the Morphotropic Phase Boundary MPB, the effect of barium substitution, the temperature, and the frequency on electrical properties are also investigated. Different techniques were used to characterize the obtained samples such as X-ray diffraction XRD which shows that the results confirm the high purity of prepared samples without any secondary phase and also indicate the coexistence of both the tetragonal and rhombohedral phases. All the absorption bands corresponding to the perovskite structure are exhibited by The Fourier Transform Infrared spectroscopy FTIR. The Curie temperature TC decreased with increasing  $\text{Ba}^{2+}$  content. Furthermore, the effect of the temperature, frequency, and composition on the AC conductivity and dielectric properties demonstrated interesting values

Keywords: PZT, Curie temperature, Structural, Morphotropic phase boundary, Dielectric properties, AC conductivity.



## Résumé

Dans cette étude, des céramiques de type PZT de formule générale  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$  où ( $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ et } 0.10$ ) ont été élaborées par la méthode de réaction à l'état solide. Les principaux objectifs de cette étude se concentrent sur l'évolution des propriétés structurales et électriques dans la région de la frontière morphotropique de phase FMP, l'effet de la substitution du baryum, la température et la fréquence sur les propriétés électriques sont également étudiés. Différentes techniques ont été utilisées pour caractériser les échantillons obtenus, telles que la diffraction des rayons X XRD, dont les résultats confirment la grande pureté des échantillons préparés, sans phase secondaire, et indiquent également la coexistence des phases tétragonale et rhomboédrique. Toutes les bandes d'absorption correspondant à la structure de la pérovskite sont mises en évidence par la spectroscopie infrarouge à transformée de Fourier FTIR. La température de Curie  $T_C$  diminue avec l'augmentation de la teneur en  $Ba^{2+}$ . De plus, l'effet de la température, de la fréquence et de la composition sur la conductivité AC et les propriétés diélectriques ont montré des valeurs intéressantes.

Mots-clés : PZT, température de Curie, structure, frontière de phase morphotropique, propriétés diélectriques, conductivité AC.

## ملخص

في هذه الدراسة، تم تطوير السيراميك من نوع PZT مع الصيغة العامة  $Pb_{1-x}Ba_x (Zr_{0.52}Ti_{0.43} (Al_{0.5}Sb_{0.5})_{0.05}) O_3$ . حيث  $x = 0.00, 0.02, 0.04, 0.06, 0.08$  و  $0.10$  طريقة تفاعل الحالة الصلبة. تركز الأهداف الرئيسية لهذه الدراسة على تطور الخواص التركيبية والكهربائية في منطقة حدود المرحلة MPB، وتأثير استبدال الباريوم ودرجة الحرارة والتردد على الخصائص الكهربائية. تم استخدام تقنيات مختلفة لتوصيف العينات التي تم الحصول عليها مثل حيود الأشعة السينية XRD والتي تؤكد نتائجها على النقاء العالي للعينات المحضرة، دون الطور الثانوي، وتشير أيضًا إلى التواجد بين الطور الرباعي والمعيني. يتم عرض جميع نطاقات الامتصاص المقابلة لهيكل البيروفسكايت بواسطة مطياف فورييه لتحويل الأشعة تحت الحمراء FTIR. انخفضت درجة حرارة كوري TC مع زيادة محتوى  $Ba^{2+}$  علاوة على ذلك، أظهر تأثير درجة الحرارة والتردد والتركيب على موصلية التيار المتردد وخصائص العزل الكهربائي قيمًا مثيرة للاهتمام

الكلمات المفتاحية PZT:، درجة حرارة كوري، الهيكلية، حدود الطور المورفوتروبي، الخواص العازلة، موصلية التيار المتردد

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## List of abbreviations

**PZT:** Lead zirconate titanate

**PBZTAS:**  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$

**XRD:** X-ray diffraction

**FTIR:** Fourier Transform Infrared Spectroscopy

**SEM:** Scanning electron microscopy

**EDS:** Energy dispersive spectrometric analysis

**TC:** Curie Temperature

**AC:** Alternating current

**DC:** Direct current

$\epsilon_r$ : the relative dielectric permittivity

$\omega$ : the angular frequency

$C_0$ : the free charge capacitance

$Z'$ : The real part

$Z''$ : the imaginary part

$C_p$ : the parallel capacitance

$d$ : the thickness of the pellet

$A$ : ceramic disc area

$\epsilon_0$ : is the free space permittivity

$\text{tg}\delta_{\text{RT}}$ : dielectric loss at room temperature

$\text{tg}\delta_{\text{Tc}}$ : dielectric loss at curie temperature

**$\epsilon_{RT}$** : dielectric constant at room temperature

**$\epsilon_{max}$** : dielectric constant at curie temperature

**$\sigma_{AC}$** : AC Conductivity

**$\sigma_{DC}$** : DC conductivity

# General Introduction

## General Introduction

Lead zirconate titanate PZT materials were exploited in many fields of technology for commercial electronic applications such as sensors, actuators, and memories [1, 2], due to their high dielectric and piezoelectric capabilities [3-5]. These ferroelectric ceramics with the general formula  $\text{Pb}(\text{Zr}_x\text{Ti}_{1-x})\text{O}_3$ , commonly referred to as PZT (lead zirconate titanate), are materials that exhibit ferroelectric properties. These ceramics are composed of a solid solution of lead zirconate  $\text{PbZrO}_3$  and lead titanate  $\text{PbTiO}_3$ , where the ratio of zirconium to titanium ( $x$ ) can vary. The specific composition of PZT ceramics can be tailored by adjusting the ratio of zirconium to titanium, which allows for tuning their electrical and mechanical properties. This flexibility in composition and resulting properties makes PZT ceramics highly desirable for various technological applications.

The adaptable PZT properties have not yet been adequately replaced; because of those responses occur close to the Morphotropic Phase Boundary (MPB) [6-8]. Perovskite type-oxide  $\text{ABO}_3$  involving  $\text{Pb}(\text{Zr}_x\text{Ti}_{1-x})\text{O}_3$  where Pb ion occupied the A-site while  $\text{Zr}^{4+}$  and  $\text{Ti}^{4+}$  ions were accommodated at the B-site [7, 9]. Several studies [10, 11] have reported that the substitution effect regardless of the A and/or B site is an effective method to enhance the dielectric properties. The dopants can be classified into three categories [7, 12], the isovalent dopants such as  $(\text{Ba}^{2+})$  [13] and  $(\text{Sr}^{2+})$  [14], donor dopants  $(\text{Sb}^{5+})$  [15], and acceptor dopants  $(\text{Al}^{3+})$  [16], These dopants are introduced into the PZT ceramic during the elaboration process by direct incorporation into the precursor materials. The specific dopant selection and concentration depend on the desired electrical, structural, and functional properties required for the intended application of the PZT ceramics.

The category that attracts us is the isovalent dopants  $(\text{Ba}^{2+})$  because of their effect on dielectric properties, where they can reduce the curie points and increase the dielectric constant [7], as well as avoid the pyrochlore composition in perovskite structure [17]. This is what prompted some studies to investigate the barium impact substitution into PZT ceramics' dielectric properties [13, 18, 19]. Xiucui Wang et al. [20] found that the  $\text{Ba}^{2+}$  ion doping into PZT ceramics shows a very interesting effect on the dielectric properties and decreases the curie temperature from 85 to 48°C. The same tendency has been found by Dipti et al. [21] and Neha et al. [10] when  $\text{Ba}^{2+}$  ions were incorporated into the PZT system.

Therefore, in the present doctoral thesis we are trying to find stable and reproducible characteristics of PZT ceramics in the region of the morphotropic phase boundary, using the solid-state reaction method known as ceramic, a sequence of compositions  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  PBZTAS where  $x=0.00, 0.02, 0.04, 0.06, 0.08,$  and  $0.10$  were created. We aimed also to investigate the fundamental characteristics of PZT-type ceramics, focusing on structural, microstructural, AC conductivity, and dielectric properties.

The research was conducted through a comprehensive literature review and practical experimentation, encompassing an explication of the synthesis method and various characterization techniques.

This thesis is composed of 4 chapters.

In the first chapter, an extensive bibliographic study was carried out to establish a solid foundation for understanding the essential features of PZT ceramics. Key concepts such as piezoelectricity, dielectricity, ferroelectricity, and impedance spectroscopy were defined and explored within the context of the research.

Chapter 2 delved into the practical aspect of the study, presenting the ceramic elaboration method employed and detailing the specific synthesis conditions (grinding time, fabrication of pellets, temperature, and time of calcination and sintering). Furthermore, the various characterization instruments utilized, including X-ray diffraction XRD, Fourier-transform infrared spectroscopy FTIR, scanning electron microscopy SEM, and impedance spectroscopy instruments, were introduced.

In Chapter 3, the structural and microstructural characteristics of the synthesized ceramics were interpreted, including XRD results, FTIR, SEM images, EDS. Additionally, this chapter presented the tolerance factor, lattice parameters, and density of the ceramic samples.

The final chapter focused on impedance spectroscopy, specifically examining the imaginary and real parts of the impedance that presenting by Bode and Nyquist diagrams. The influence of temperature, frequency, and barium substitution on various electrical properties, such as dielectricity and AC conductivity, was thoroughly investigated and discussed.

Finally, we finish this thesis with a general conclusion that sums up all the essential results of our research work that we carried out.



# **Chapter I Bibliographic research**

# Chapter I: Bibliographic research

## I.1 Introduction

This section aims to provide an overview of the fundamental definitions, characteristics, and properties of PZT-type ceramics. Additionally, it will explore the synthesis method employed for the elaboration of these types of ceramics and discuss their advantages in different application domains. Understanding these fundamental aspects is essential for advancing research and development in the field of PZT ceramics. To comprehend the nature of PZT ceramics, it is necessary to establish a foundation by defining key terms. For instance, Piezoelectricity refers to the ability of certain materials to generate an electrical charge in response to applied mechanical pressure, while dielectricity involves the capacity of a material to store and release electrical energy. Ferroelectricity, on the other hand, describes the reversible spontaneous polarization exhibited by certain materials under an external electric field. By comprehensively exploring the fundamental definitions, characteristics, and advantages of PZT-type ceramics, this bibliographic section aims to provide a solid foundation for the subsequent chapters of this thesis. The knowledge gathered from this review will serve as a basis for the practical investigations and analyses conducted, ultimately contributing to the overall understanding and advancement of PZT ceramics in various fields of application.

## I.2 Ceramics

It is not easy to define what ceramic is, because there is no single definition that everyone agrees on. Actually there are different definitions depending on the point of view adopted, we can consider the points of view of the historian, the engineer, or the industrialist. The ceramics definition, which was known by scientists (physicists, chemists, etc.), is generally defined as "inorganic materials formed at high temperature". The field of use of ceramic materials is very broad, such as electrical and optical components for several sectors (industrial and military). A fundamental understanding of ceramic materials at the atomic level is not only interesting in itself but extremely important to improve material performance and to research or design new materials for novel applications [22-24].

### I.3 Piezoelectric materials

In crystalline solids, piezoelectricity is directly related to the symmetry of the crystals and manifests itself as lattice polarization. For a material, to be piezoelectric, its crystalline structure must be non-centrosymmetric (no center of symmetry) [25]. The piezoelectric effect in crystals results essentially from the existence of internal electric dipoles. This dipole moment is created by the separation of the positive and negative charge at the level of each crystal lattice structure under the action of external constraint. This effect can only be observed for crystals whose pattern does not have a center of symmetry. Among the 32 Crystal Classes, 21 are not centro-symmetrical and 20 are piezoelectric

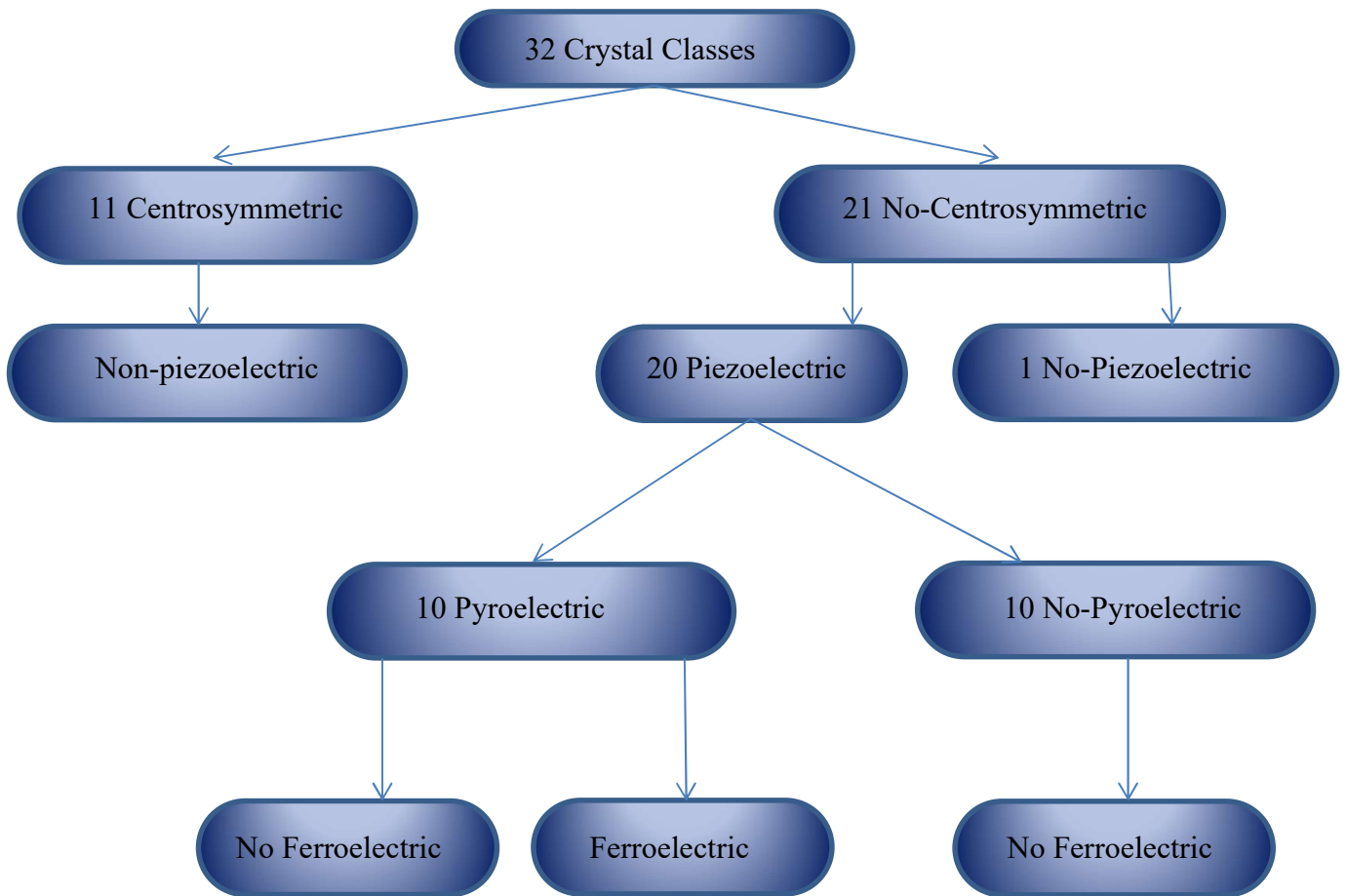


Figure I. 1: Organigram of the 32 Crystal Classes

#### I.3.1 Applications of piezoelectric materials

Due to the attractive properties of piezoelectric materials, many applications have been found that can be exploited with these materials, concerning either the direct effect, the reverse

effect, or both alternatively. Table I.1 shows some applications of piezoelectric materials according to the effect used [26].

Table I. 1: Application of materials according to the effect used

Application based on the direct effect	Application based on the reverse effect	Application based on both effects
Microphone	Speaker	Ultrasound transducer for medical diagnosis (ultrasound)
Hydrophone	Buzzer	
Shock sensor	Sonar transducer	Ultrasonic ndt proximity or presence detector
Accelerometers	Nebulizer	
Push button	Ultrasonic cleaning	Distance or flow measurement
Lighting	Ultrasonic motor	Gyroscope
Pressure or stress sensor	Relay	Frequency filters
	Micropositioning	Delay lines
	Laser adjustment	Piezoelectric transformer
	Piezoelectric pump	
	Piezoelectric scalpel	

#### I.4 Dielectric materials

These materials "dielectric materials" were first named in 1839 by Faraday, the word dielectric is derived from the Greek word prex dia, which means "through", contrary to metal, the dielectric materials are substances that have low free charges and are therefore low conductors. However, these materials are electrically insulating materials but actually are not neutral because the application of an electric field can induce polarization; this definition allows us to consider the two words dielectric and insulator as synonyms. This dielectric study is used to see the response of atoms or molecules inside a material after applied an electric field, for example, when a metallic material is submitted to an electric field, the free electrons of this material move in the opposite direction to the field [27].

The dielectric phenomenon is easy to comprehend if one assumes a parallel plate capacitor as shown in Figure I.2.

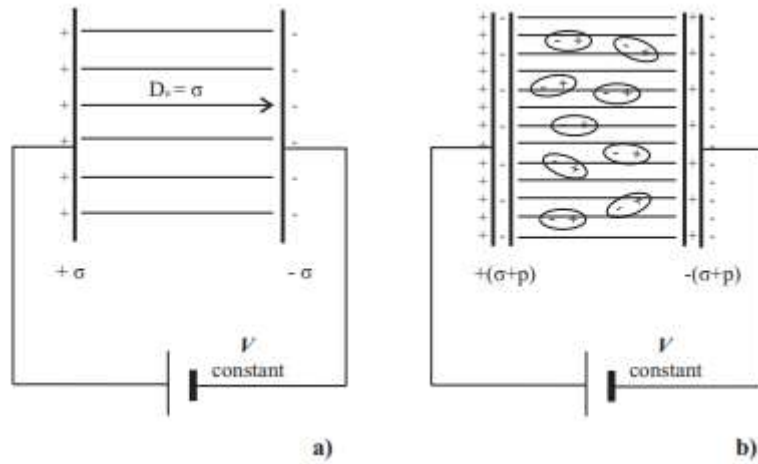


Figure I. 2: Charges on a parallel plate capacitor with a) a vacuum between the plates and b) polarized dipoles in the dielectric between the plates.

The capacitor is made of two parallel metal electrodes with area ( $A$ ) separated by a distance ( $d$ ) in a vacuum (Fig. I.2(a)). When the plates are subjected to an electric field the plates of the capacitor are accumulated by the  $+A\sigma$  and  $-A\sigma$  charges, The charge density  $+\sigma$  is the source of a uniform electric flux density  $D_0$ , which terminates at the charge density  $-\sigma$  and is directly proportional to the electric field,  $E=V/d$ , and can be given as follows:

$$D_0 = \epsilon_0 E \quad (I.1)$$

Where the constant of proportionality  $\epsilon_0$  is called permittivity of free space and has the value of ( $\epsilon_0 = 1/(36 \cdot \pi \cdot 10^9) = 8,85 \text{ pF/m}$ ). The ratio of the charge on the plate to the difference in potential is the capacitance:

$$C_0 = \frac{A\sigma}{V} = \frac{\epsilon_0 A}{d} \quad (I.2)$$

If a homogeneous dielectric is introduced between the plates keeping the potential constant (Fig. I.2(b)), the charge density on the plates increases from  $\sigma$  to  $\sigma + p$ , leading to an increase of the capacitance.

$$C = \frac{A(\sigma + p)}{V} \quad (I.3)$$

The dielectric material reacts to the electric field by changing the distribution of its charges, an effect known as polarization. If the material is not polar, the displacement of the negative charges is in the opposite direction of the applied field and the positive charges in the direction of the field polarizes the material. The bound charge densities  $\pm p$ , that appear on the surfaces of the dielectric are the external effect of the polarization of the individual elements

of the dielectric. The increase in the charge density to  $\sigma + p$  leads to an increase in the flux density, which adopts a more general vector notation and can be defined as:

$$\bar{D}_0 = \bar{\epsilon}_0 \bar{E} + \bar{P} \quad (I.4)$$

This increase in flux density occurs without an increase in the potential gradient and is a measure of the electrical displacement in the material. The  $C/C_0$  ratio is characteristic of the dielectric material between the plates and is known as the static relative permittivity:

$$\epsilon_s = \frac{C}{C_0} = \frac{\sigma + P}{\sigma} = \frac{\epsilon_0 \bar{E} + \bar{P}}{\epsilon_0 \bar{E}} = 1 + \frac{\bar{P}}{\epsilon_0 \bar{E}} = 1 + \chi \quad (I.5)$$

Where  $\chi = \frac{\bar{P}}{\epsilon_0 \bar{E}}$  is the electric susceptibility of the material. Every material has a specific relative permittivity that depends on its polarization and is fundamentally independent of the applied voltage or field, which we generally call the dielectric constant of the material. However, this is a complex parameter, which depends on the frequency, more appropriately referred to as the relative permittivity (relative to the absolute permittivity of free space); this term will be used in this thesis [28].

There are two types of dielectric: Ideal dielectrics and Real Dielectric.

#### **I.4.1 Ideal dielectrics**

The term "ideal dielectric" refers to a theoretical concept used to describe a material that exhibits certain idealized properties; ideal dielectric materials are completely insulating materials so that there is no conductivity because there are not even free charges in their structure, this ideal dielectric has several properties among them: Infinite Dielectric Constant, zero Dielectric Loss.

#### **I.4.2 Real Dielectric**

The real dielectric materials contain very few free charges represented by impurities so the material shows slight surface conduction, especially at low frequencies. Dielectric materials are characterized by several main properties among which are [28-30]:

##### ***I.4.2.1 Dielectric constant***

The dielectric constant  $\epsilon_r$  presents the response of a material under an electric field. This physical constant measures the polarizability of a substance. The more the material limits the passage of an electric current, the higher its dielectric constant is [31]. In most of the literature, we find the relative dielectric constant that defines the ratio of the dielectric

constant of the material and that of the vacuum. The value of the dielectric constant is calculated from the following relation (I.6) [32, 33].

$$\epsilon_r = \frac{C_p * d}{\epsilon_0 * A} \quad (I.6)$$

Where  $C_p$  is the parallel capacitance, the thickness of the pellet is denoted by  $d$ ,  $A$  is a ceramic disc area and  $\epsilon_0$  is the free space permittivity.

If we apply an electric field to a plane capacitor filled with a dielectric, charges  $P$  appear on the surface of the dielectric and compensate the charges brought by the source on the armatures (Figure I.3).

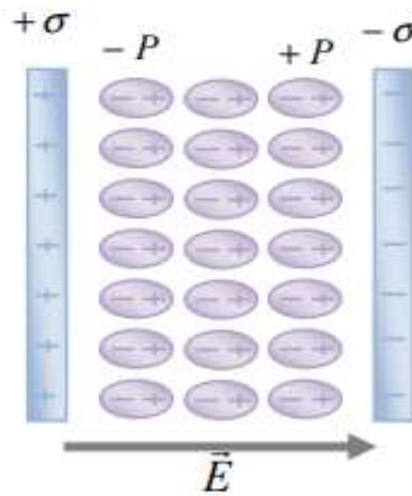


Figure I. 3: Schematic of a plane capacitor filled with a dielectric under the action of external excitation.

#### ***1.4.2.2 Dielectric loss***

The dielectric loss is electrical energy that transforms into thermal energy from a dielectric material, a part of these losses due to the momentary current is called ohmic; the other part associated with the displacement of charges is called dielectric losses. These losses can be by absorption and/or diffusion, the amount of energy lost compared to that stored in the dielectric expressed by the dissipation factor. If a dielectric material is excited by a sinusoidal electric field, given the time for the polarization to be established, a delay or phase shift  $\delta$  (depending on the frequency) may appear between the applied electric field and the induced polarization. Necessarily the electric induction will be sinusoidal with the same delay  $\delta$  with respect to the applied field [34]. The tangent of the loss angle ( $\tan \delta$ ) is equal to the dissipation factor, which is generally expressed by the following equation [35, 36] :

$$\tan \delta = \frac{\varepsilon''}{\varepsilon'} \quad (I.7)$$

### **I.4.3 Variables that influence the dielectric constant**

There are several parameters that can influence the dielectric constant, including the amplitude of the applied electric field, frequency, temperature, microstructure, external pressure, etc.

#### ***I.4.3.1 Influence of the amplitude of the applied electric field***

The variation of the electric field across a dielectric material affects its permittivity. This is particularly the case for ferroelectrics whose spontaneous polarization can be oriented or even reversed by applying a sufficient electric field. Their polarization is not a linear function of the applied electric field, and spontaneous polarization remains even in the absence of a field [37].

#### ***I.4.3.2 Influence of the frequency***

The lowest frequencies increase the value of the relative permittivity. As the frequency increases, the contributions made by each type of polarization disappear one after the other, therefore, the permittivity decreases with frequency. The polarization takes a delay with the electric field with a dissipation of energy [38].

#### ***I.4.3.3 Influence of temperature***

The effect of temperature on the dielectric constant or capacitance is often described by the temperature coefficient of capacitance TCC, which is expressed in ppm/C and can be defined by the following equation [38]:

$$\text{TCC} = \frac{dC}{CdT} = \frac{\Delta C}{C\Delta T} \quad (I.8)$$

Where C is the capacity at temperature T. The temperature has different effects on the various polarizations of the material. The two types of polarization most influenced are orientation and interfacial polarizations. The first one increases the mobility of the dipoles by breaking the interactions (decrease of the viscosity forces) and the other one by the mobility of the charges.



The effect of temperature on materials can be demonstrated by several examples. In the domain of polymers, at the glass transition temperature, there is an increase in permittivity due to the mobility of permanent dipoles. For ceramics, the most studied example in the literature is BaTiO<sub>3</sub>. The increase in temperature tends to deform its cubic lattice while changing the lattice parameters a, b, and c. The barycenter of the positive charges Ba<sup>2+</sup> and Ti<sup>4+</sup> no longer coincides with that of the negative charges O<sup>2-</sup>; a spontaneous polarization is established along the elongation direction (polar axis). The quadratic phase of BaTiO<sub>3</sub> is thus ferroelectric (Figure I.4) [34].

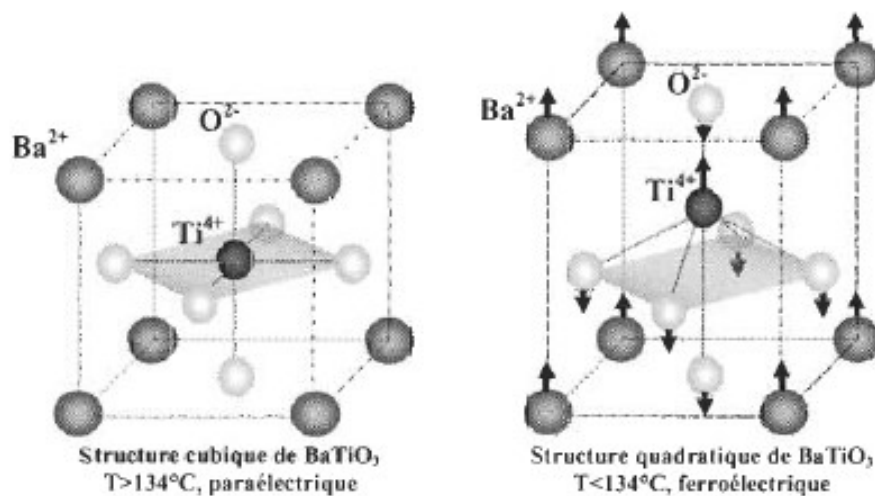


Figure I. 4: Deformation between the cubic and quadratic structure of BaTiO<sub>3</sub>.

#### 1.4.3.4 Influence of microstructure

The relative permittivity of materials can also depend on their microstructure. Generally, ceramics are governed by their grain size. The grain size has a major effect on the dielectric constant. A close relationship between this parameter and the dielectric susceptibility of different materials has been observed, more precisely in the case of BaTiO<sub>3</sub> [39]. The dielectric permittivity of the latter at room temperature shows a particular variation in grain size associated with the evolution of the ferroelectric domain configuration [39-41]. A maximum permittivity at room temperature can be obtained with grains of the order of 0.8 to 1 μm as shown in Figure I.5 [42].

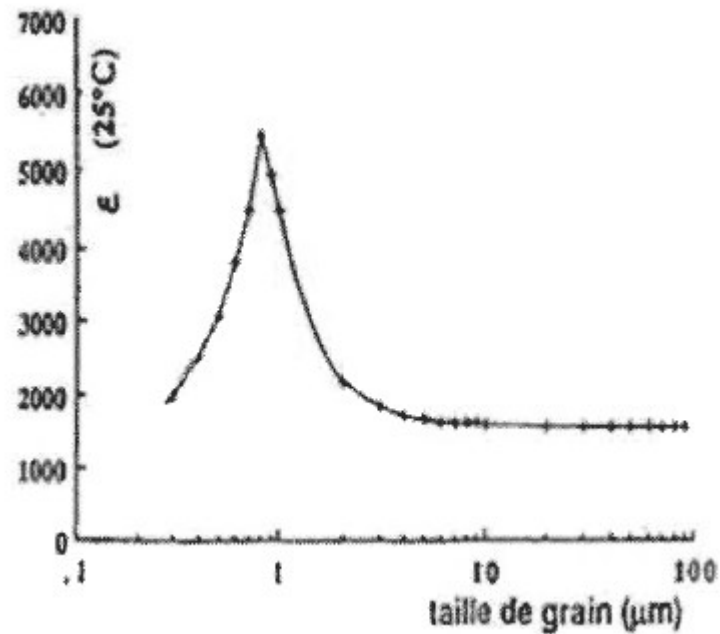


Figure I. 5: Dielectric constant versus average grain size for BaTiO<sub>3</sub> ceramics at 25°C.

## I.5 Paraelectric materials

Some dielectric materials are considered polarizable: under the action of an electric field, their positive charges move in the direction of the field, while their negative charges in the opposite direction, creating +/- electric dipoles oriented parallel to the field. When the electric field is cancelled, the charges return to their equilibrium position and the polarization disappears. These are paraelectric materials.

## I.6 Pyroelectric materials

Among the piezoelectric crystals, some crystals can show an electric polarization even in the absence of mechanical constraint or external electric field; they are called pyroelectric, in which the temperature affects on their permanent dipole moment. Among the 20 piezoelectric classes, only the 10 with a polar axis are pyroelectric (the existence of a single polar axis prevents a combination of symmetry elements that can reverse the direction of a dipole) [43, 44].

## I.7 Ferroelectric materials

Spontaneous polarization occurs in materials characterized by the presence of regions, called domains, with identically polarized particles. The domains, disordered at the beginning, orient themselves when the field is applied and according to this field spontaneous polarization

appears. Materials characterized by spontaneous polarization are called ferroelectric materials. In polycrystalline ferroelectric materials, the grains are made of ferroelectric domains separated by domain boundaries. Each domain has its own orientation which is related to its crystal structure. Ferroelectric materials have a phase called ferroelectric at a temperature below a characteristic temperature called Curie temperature  $T_C$ . These ferroelectric materials have good piezoelectric activity and a high dielectric constant. Ferroelectric materials are divided into two families: classical ferroelectrics and relaxer ferroelectrics, characterized by their phase transition behavior [45].

### **I.7.1 Classical ferroelectric**

Classical ferroelectrics present at least one structural phase transition from a cubic paraelectric phase to a polar ferroelectric phase. This transition can be of the first or second order depending on whether the polarization undergoes a discontinuity or not. At the transition temperature, the dielectric permittivity curve shows a narrow maximum. Above, the dielectric permittivity follows a Curie-Weiss law and its maximum is located near the Curie temperature whatever the frequency of measurement.

### **I.7.2 Relaxer ferroelectric**

In some materials, the dielectric relaxation is anticipated by a ferroelectric phase transition. We thus witness a change in relaxer ferroelectric behavior. The relaxer effect appears only in complex perovskites for which the sites or/and are occupied by at least two different cations. It is characterized by the existence in a large temperature range of a strong dielectric permittivity and by a dielectric relaxation (decrease of a maximum of  $\epsilon'$  and increase of the temperature of this maximum when the frequency of measurement increases) in a wide frequency range. The compounds presenting the effect relaxant effect are characterized, from a structural point of view, by a disorder of the cations, compared to classical ferroelectrics; relaxer ferroelectrics exhibit no phase transition and are characterized by the absence of a macroscopic polarization

## **I.8 Physical properties of ceramics materials**

Piezoelectricity, Pyroelectricity, and ferroelectricity have been known for many years, the electrical phenomenon resulting from the action of mechanical constraint on certain crystals was observed qualitatively for the first time in 1817 by Abbé René Just HAUY[25].

### I.8.1 Piezoelectricity

The word "piezoelectricity" comes from the contraction of the Greek words piezein (pressure) and elektron. Piezoelectricity is the ability of certain materials (crystals, ceramics, polymers or composites) to transform mechanical energy into electrical energy (and vice versa) [46]. In 1880, the Curie brothers observed and exploited the direct effect [47], but it was Lippmann who theoretically determined the inverse effect, a notion later experimentally confirmed by the Curie brothers [48], these piezoelectric effects can only be observed on insulating materials, as illustrated in Figure I.6.

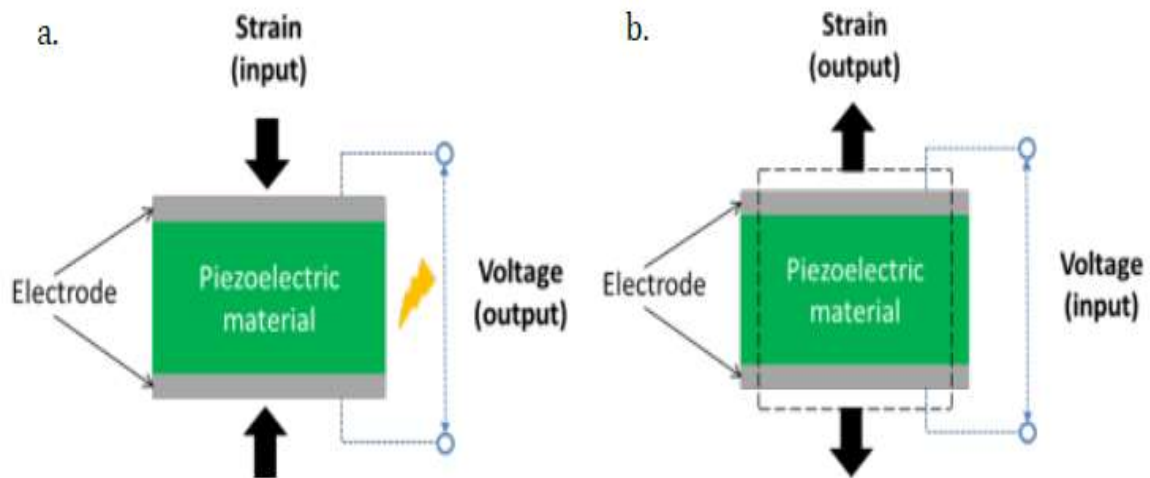


Figure I. 6: the direct (a) and inverse (b) piezoelectric effect [49].

### I.8.2 Pyroelectricity

The pyroelectric phenomenon is based on the electric charge released by the surfaces of certain non-centrosymmetric and optically active crystals which present a polar axis in their responses to a change of temperature, the pyroelectric materials are polar because they present a spontaneous polarization. The temperature has a major effect on the intensity of this polarization, according to a monotonic law which means that any variation of the temperature of the crystal causes the appearance or the disappearance of electric charges on the faces of the crystal, perpendicular to the polar axis and thus gives rise to a measurable current in an external circuit. In this type of crystal, the temperature has a major effect on the intensity of this polarization, according to a monotonic law which means that any variation in the temperature of the crystal causes the appearance or disappearance of electric charges on the faces of the crystal, perpendicular to the polar axis and thus gives rise to a measurable current in an external circuit, this effect was named by David Brewster [50].

### I.8.3 Ferroelectricity

Ferroelectricity remained a scientific curiosity for many years without any real opportunities. However, the discovery of many new materials in the middle of the XXth century, such as  $\text{BaTiO}_3$ , and more particularly the solid solution  $\text{Pb}(\text{Zr,Ti})\text{O}_3$ , PZT by Jaffe, Roth and Marzullo [51] will allow both to bring many theoretical answers to the phenomenon of ferroelectricity and to open the way to a wide range of applications. The majority of pyroelectric crystals have a spontaneous polarization  $P_s$  in certain temperature, to reverse the direction of the  $P_s$  by applying an external electric field. These crystals are called ferroelectric crystals [52]. This definition may have been published for the first time in 1952 by H. Megaw [53] and by A. von Hippel [54].

### I.8.4 Hysteresis cycle

Applying an electric field in the opposite direction can reverse the remanent polarization of ferroelectric materials, which is the origin of the hysteresis cycle. The hysteresis cycle is a diagram in the form of a buckle, as shown in Figure I.7, we can present this hysteresis cycle by the variation of the polarization  $P$  as a function of the applied electric field  $E$ . We can determine from this diagram [55]:

- Determine the coercive field  $E_c$ , the minimum field strength necessary for the material to polarize
- determine the remanent polarization  $P_r$ , the value of the polarization at zero field ( $E=0$ )
- the saturation polarization  $P_s$ , often called spontaneous polarization, is the maximum value of the polarization that can be attained

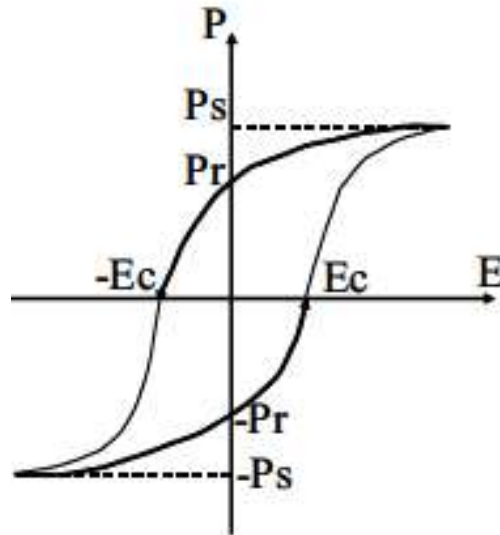


Figure I. 7: Hysteresis cycle characteristic of a ferroelectric: polarization  $P$  versus applied electric field  $E$ .

### I.8.5 Dielectricity

When a dielectric material is installed between two electrodes, it becomes polarized because of the increase in electrical charge between the two poles, so when there is a vacuum between the two electrodes, the phenomenon of dielectricity allows the accumulation of electric charges, the capacitor response changes and its characteristics depend directly on whether the voltage applied between the two armatures is AC or DC [56].

### I.8.6 Curie temperature

The increase in temperature decreases the polarization of piezoelectric ceramics until it is cancelled at TC called Curie temperature. Above this temperature, the piezoelectric material is in a non-polar paraelectric state. The polar-nonpolar transition corresponds to a phase transition. The crystal symmetry of the non-polar phase is always higher than that of the polar phase; the relative dielectric permittivity  $\epsilon_r$  has a maximum value at the Curie temperature [57].

### I.8.7 Impedance spectroscopy

Impedance spectroscopy is an experimental method for determining the microstructural and electrical properties of some electronic materials; the basis of this technique is the analysis of the AC response of a system and the subsequent calculation of the impedance as a function of

frequency, properties such as conductivity, dielectric constant, dielectric losses, etc. can be analyzed using this technique. Material properties such as complex permittivity ( $\epsilon^*$ ), complex impedance  $Z^*$ , complex admittance  $Y^*$ , complex electric modulus  $M^*$  and dielectric loss that are frequency dependent can be described. The real ( $\epsilon'$ ,  $Z'$ ,  $Y'$ ,  $M'$ ) and imaginary ( $\epsilon''$ ,  $Z''$ ,  $Y''$ ,  $M''$ ) parts of the complex parameters are in turn related to each other as follows:

$$\epsilon^* = \epsilon' + \epsilon''j \quad (I.9)$$

$$Z^* = Z' + Z''j = (1/j\epsilon^*C_0\omega) \quad (I.10)$$

$$Y^* = Y' + Y''j = j\epsilon^*C_0\omega \quad (I.11)$$

$$M^* = M' + M''j = (1/\epsilon^*) = j\omega C_0Z \quad (I.12)$$

$$\text{Tan}\delta = (\epsilon''/\epsilon') = (M'/M'') = (Y'/Y'') = (Z'/Z'') \quad (I.13)$$

Where  $\omega = 2\pi f$  is the angular frequency  $C_0$  is the free geometrical capacitance, and  $j^2 = -1$ . At the microstructural level, a ceramic is composed of grains and grain boundaries, with different resistivities  $q$  and dielectric permittivities  $\epsilon$  [58]. Figure 1 illustrates the electrical model of the equivalent circuit. The real part  $Z'$  and the imaginary part  $Z''$  of the complex impedance are defined by the following equations[59]:

$$Z' = R_g / (1 + (\omega R_g C_g)^2) + R_{gb} / (1 + (\omega R_{gb} C_{gb})^2) \quad (I.14)$$

$$Z'' = \omega R_g^2 C_g / (1 + (\omega R_g C_g)^2) + \omega R_{gb}^2 C_{gb} / (1 + (\omega R_{gb} C_{gb})^2) \quad (I.15)$$

Where  $R_g, C_g, R_{gb}, C_{gb}$  are the resistance and capacitance of the grain and grain boundary respectively

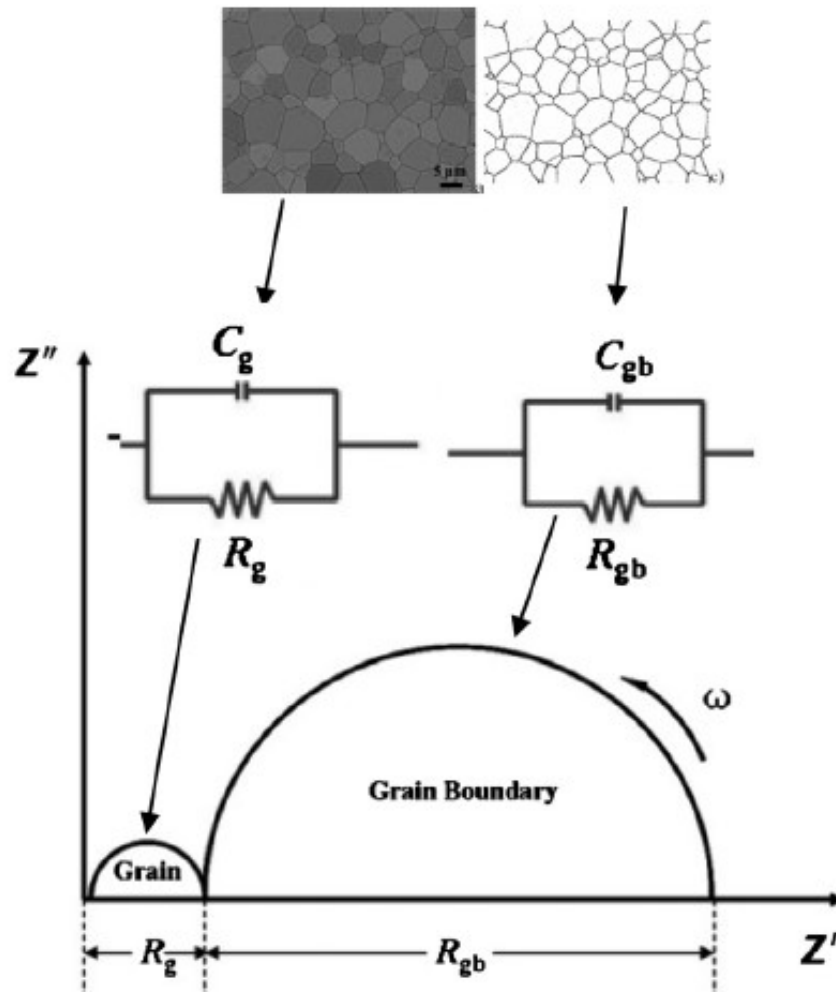


Figure I. 8: Electrical model of equivalent circuit and its Cole–Cole plot [60].

### 1.8.7.1 Nyquist plot

Nyquist plot (named by Harry Nyquist, a former engineer at Bell Laboratories, USA) is a graphical representation of impedance data obtained from an impedance spectroscopy experiment. It is a plot of the imaginary part of the impedance  $Z''$  against the real part of the impedance  $Z'$ . The Nyquist plot is a useful tool for analyzing the electrical properties of materials, such as conductivity, resistance, and capacitance. The shape of the plot can provide information about the microstructure and composition of the material. In a Nyquist plot, the data points typically fall on a semicircle. The center of the semicircle represents the bulk resistance of the material, while the diameter of the semicircle represents the resistance associated with the grain boundaries or interfaces within the material [61].



### 1.8.7.2 Bode plot

Bode plots are graphical representations commonly used in impedance spectroscopy to analyze the frequency-dependent behavior of materials. These plots provide valuable insights into the electrical properties of the material and its response to different frequencies. When applied to PZT ceramics, the real part of impedance spectroscopy signifies the resistive component of the impedance. It represents the electrical resistance encountered by an alternating current AC signal as it passes through the PZT ceramic sample. The resistive component of impedance in PZT ceramics is influenced by multiple factors, such as the material's conductivity, grain boundaries, defects, and electrode interfaces. By examining the real part of impedance at different frequencies, valuable insights can be obtained regarding the electrical behavior and characteristics of PZT ceramics, including their conductivity, ionic diffusion, and polarization response. Impedance spectroscopy serves as a valuable tool for characterizing and comprehending the electrical properties and performance of PZT ceramics. It aids in understanding the behavior of these materials and provides crucial information for their practical applications.

## 1.9 Different types of polarization

The appearance of the dipole moment or polarization is the result of the submission of a material to an electric field due to the displacement of positive and negative charges. At sufficiently low frequencies, all moments reorient themselves in the direction of the field and all polarization mechanisms are involved. When the frequency increases, a phase shift can occur between the field tilt and the reorientation of the dipole moments; this phenomenon is the cause of the dissipation of part of the field energy in the material, also called dielectric losses, therefore the dipole moment reacts to the action of the external electric field at different frequencies. Thus, the total polarization of a dielectric material is defined by the following relation [62]:

$$P_T = P_c + P_d + P_a + P_e \quad (I.16)$$

where  $P_c$ ,  $P_d$ ,  $P_a$ , and  $P_e$  are the polarization by space, dipole, atomic and electronic charges respectively

### I.9.1 Space charge polarization (Pc)

In crystalline materials such as ceramics, the grain boundaries are areas that can accumulate free charges (ions in interstitial positions, gaps, and electrons due to doping...); this type of polarization is present at around 100 Hz.

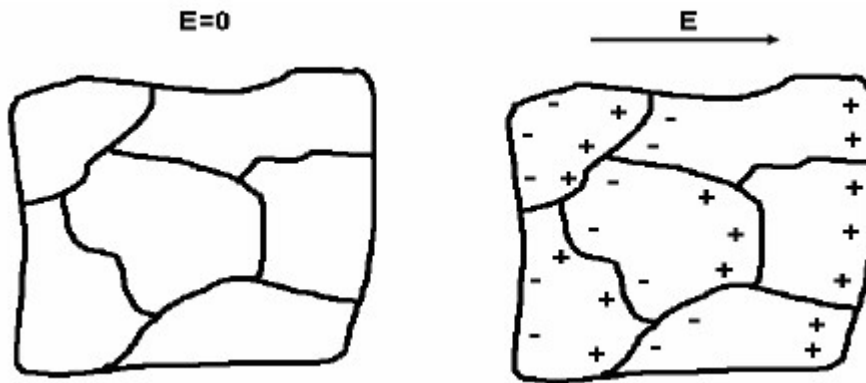


Figure I. 9: Displacement of free carriers that concentrate at defects, grain boundaries, surfaces, etc. creates polarization at the interfaces.

### I.9.2 Dipole polarization (Pd)

In the equilibrium state, the global dipole moment of the material is zero, because the permanent dipoles of the material are randomly oriented (Figure I.10). Under an external electric field, the dipoles tend to orient themselves parallel to it and the result is a non-zero overall dipole moment. Dipole moments can be oriented under the action of an electric field at frequencies around  $10^5$  Hz (100 kHz).

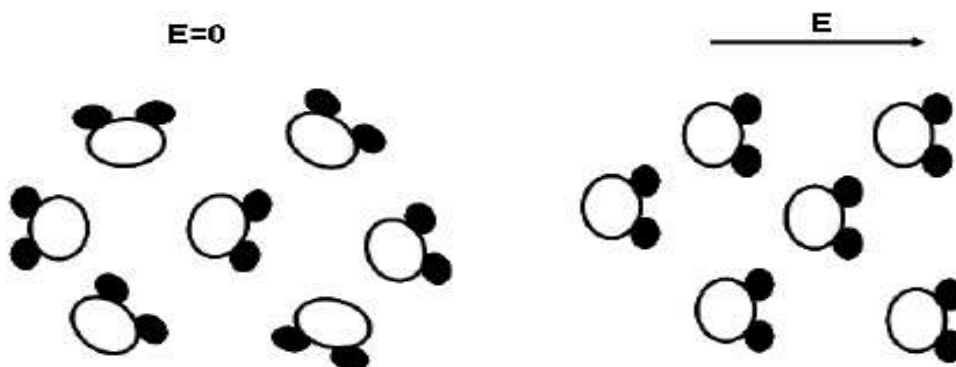


Figure I. 10: Displacement of permanent dipoles (e.g. molecules) which are oriented to be parallel to the field.

### I.9.3 Atomic or ionic polarization (Pa)

The appearance of ionic polarization was realized by subjecting the ionic material to an external electric field. The ions leave their mean equilibrium positions and move or not in the direction of the electric field (Figure I.11). This polarization occurs at frequencies on the order of (10 GHz-1 THz).

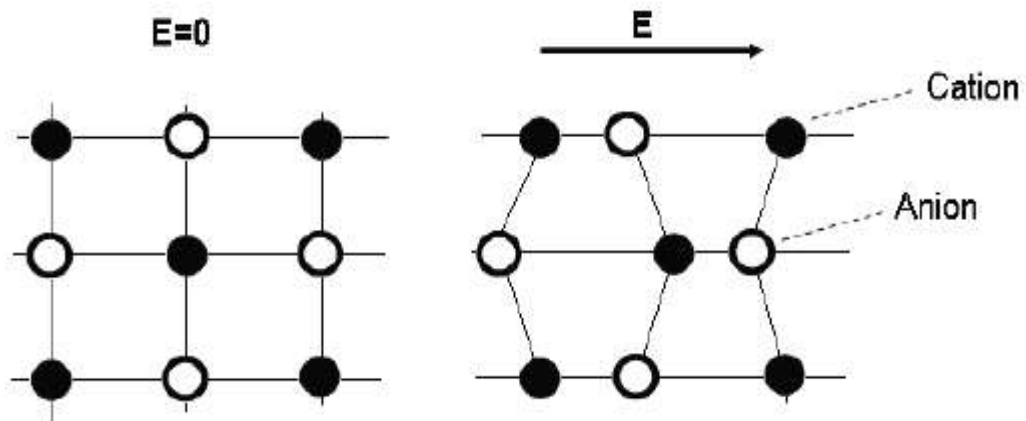


Figure I. 11: Relative displacement of oppositely charged ions with respect to each other.

### I.9.4 Electronic polarization (Pe)

An electron orbital has a strong inclination to deform under an electric field with a frequency of  $10^{18}$  Hz. This results in a displacement of the electrons relative to the nucleus, which leads to the formation of an induced electric dipole moment (Figure I.12).

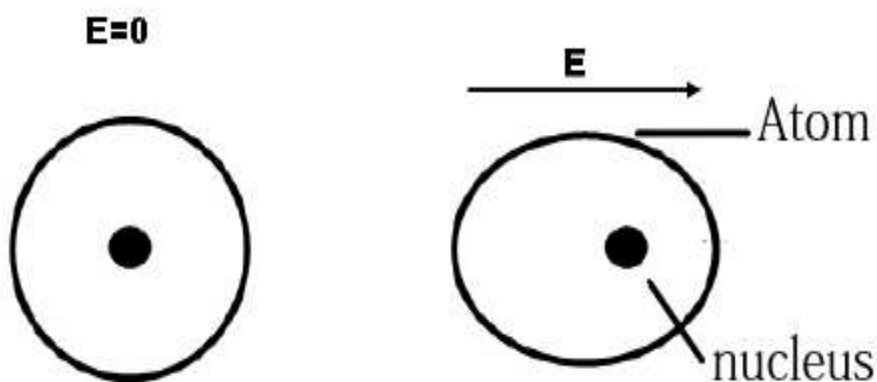


Figure I. 12: Displacement of the center of inertia of the electronic cloud with respect to the center of inertia of the nucleus of the atoms

## I.10 Perovskite structure

The origin of the term Perovskite can be traced back to the Russian mineralogist Lev Perovski, who is attributed with his discovery of the mineral  $\text{CaTiO}_3$  [63]. Since then, this term has been used for all classes that have the same general structure  $\text{ABX}_3$  [64]. The materials of the perovskite structure have a general formula  $\text{ABX}_3$ , where the cations occupy the A and B sites, for the B cation is coordinated six times to the X anion, forming a  $\text{BX}_6$ -cornered octahedron framework, the A cation filling the cavities of the framework [65]. The highest symmetry of the perovskite structure belongs to a cubic space group  $\text{Pm}\bar{3}\text{m}$ , where the cation A is in the center of the cube-shaped cavity [66], the displacement of cations can decrease the symmetry of the perovskite structure, this deformation makes the perovskite structure generally an orthorhombic or tetragonal phase [67]. The perovskite structure is illustrated in Figure I.13. The excellent piezoelectric properties of the PZT family of ceramics (which have a perovskite structure) prompted and encouraged Jaffe, Roth, and Marzullo to continue their research in this area [51].

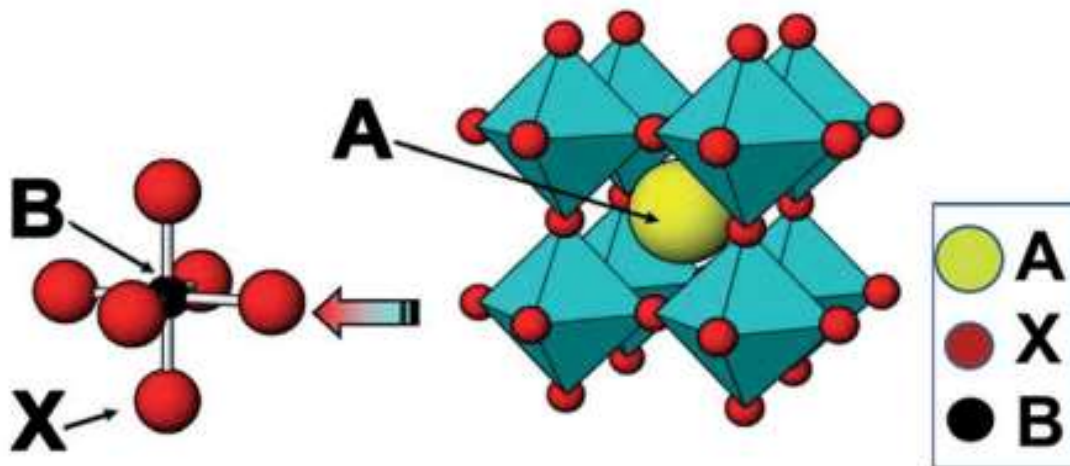


Figure I. 13: Illustration of perovskite crystal structure [68].

### I.10.1 Classification of the perovskite structure

In general we can classify perovskites in two types according to their occupation in sites A and B [69].

#### I.10.1.1 Simple perovskite

Simple perovskites are perovskites that have only one type of ion or one chemical element in the A and B sites like  $\text{CaTiO}_3$ ,  $\text{BaTiO}_3$ , and  $\text{SrTiO}_3$ ...

### ***1.10.1.2 Complex perovskite***

Contrary to simple perovskites, complex perovskites are characterized by the multi-element in the A and B sites i.e. there are two or more chemical elements in both sites, one can also find complex perovskites in which the A and B sites are occupied by two or more chemical elements at the simultaneously as  $(\text{Pb}_{1-x}\text{La}_x)(\text{Zr}_y\text{Ti}_{1-y})\text{O}_3$ .

### **1.10.2 Stability of the perovskite structure**

To say that a perovskite structure of general formula  $\text{ABO}_3$  is stable, it is necessary to check the three following essential conditions: Electroneutrality condition, Stoichiometric condition, tolerance factor.

#### ***1.10.2.1 Electro-neutrality condition***

Among the conditions of the stability of the perovskite structure of general formula  $\text{ABO}_3$  is the electro-neutrality, that is to say, that the sum of the charges of the sites A and B and O is zero because Oxygene is an anion of negative charge  $\text{O}^{2-}$  (the sum of the anionic charge is equal to -6) and the sum of the cation is the inverse of the anions ( $(+6) \text{A}^{+2}$  and  $\text{B}^{+4}$ ).

$$\sum_{i=1}^n X_{Ai} Z_{Ai} + \sum_{j=1}^n X_{Bj} Z_{Bj} = 6 \quad (\text{I.17})$$

With:

$X_{Ai}$  : The fraction of moles of cation  $\text{A}_i$  .

$X_{Bj}$  : The fraction of moles of the cation  $\text{B}_j$ .

$Z_{Ai}$  : Valence number of cation  $\text{A}_i$ .

$Z_{Bj}$  : Valence number of cation  $\text{B}_j$ .

#### ***1.10.2.2 Ionicity of the bonds***

To evaluate the stability of the perovskite structure  $\text{ABO}_3$  it is necessary to determine the difference in electronegativity between the ions [70]. Perovskite structures will be more thermally stable the more pronounced the ionic character of the cation-anion bonds. The ionicity of the bonds can be determined by the following formula:

$$\Delta E = \frac{\bar{\chi}_{A-O} + \bar{\chi}_{B-O}}{2} \quad (I.18)$$

Where  $\bar{\chi}_{A-O}$  and  $\bar{\chi}_{B-O}$  are the differences in electronegativity between cations A and B and the associated oxygens, high  $\Delta E$  values support the thermal stability of the perovskite structure.

### **I.10.2.3 Tolerance factor**

Megaw [71] was the first to propose the tolerance factor "T". This factor is fixed to determine the stability of the perovskite structure for a given set of anions and cations, among the important parameters related to the symmetry of perovskites and which have a considerable influence on the dielectric properties are the tolerance factor and the lattice parameter. In the structure of perovskite, the A cations, slightly larger than the B cation, are coordinated with 12 oxygen ions, while the B cations with 6 oxygen ions. Meanwhile the oxygen anions are coordinated with two B-site cations and four A cations. The definition of the tolerance factor was made by Goldschmidt [72] we used the following equation to calculate the tolerance factor [73]

$$T = \frac{R_A + R_O}{\sqrt{2}(R_B + R_O)} \quad (I.19)$$

In which  $R_A$ ,  $R_B$ , and  $R_O$  are the ionic radii of the A-site, B-site, and oxygen atoms, respectively. The most stable perovskite structure is the structure that has the tolerance factor closest to 1, moreover when  $t > 1$  the ferroelectric phase will be stable on the other hand if  $t < 1$  the anti-ferroelectric phase becomes the most stable [74].

## **I.11 Applications of perovskite materials**

Over time, perovskite-type materials have become increasingly used as they have great potential to contribute to solid fuel cells, solid electrolytes, fixed resistors, actuators, electromechanical devices, transducers, etc., due to the particular crystalline structure, magnetism, electrical conductivity, piezoelectric and electro-optical properties, catalytic activity and gas sensitivity,...etc [75, 76].

### **I.11.1 Electricals applications**

The role played by perovskite in modern electronics is certainly very important. They have a wide range of applications such as memories, capacitors, microwave devices, pressure gauges, and ultrafast electronics. They are superconduct at relatively high temperatures, convert mechanical pressure or heat into electricity (piezoelectricity), accelerate chemical reactions

(catalysts), and suddenly change their electrical resistance when placed in a magnetic field (magnetoresistance). Several electrochemical studies on electrodes based on perovskite-type materials have been carried out in aqueous medium [77]. They revealed an important electro-catalytic role in the oxygen electrode reaction at room temperature.

### **I.11.2 Catalytic Applications**

The catalyst layer is typically a metal grid, or other ceramic matrix structure designed to provide maximum surface area support for the catalyst. The active material is deposited on this support in a way that maintains a large active surface area. In the catalytic oxidation phenomenon, oxygen is fixed in the crystal lattice and it is involved in the gas phase. The mechanism of this phenomenon includes an oxidation cycle (which takes place on the surface of the oxide) between the anionic oxygen present on the surface and a reactant in the gas phase.

### **I.11.3 Conductor**

The electronic or essentially electronic conductive materials used as fuel cell [78] cathodes are  $ABO_3$  formulated perovskites where A is generally rare earth and B a transition metal. The perovskites also have become a burning topic in solar cell research in recent years due to the rapid increase in energy conversion efficiency exceeding 20% and the ease of precursor processing from solution. Emerging from the dye-sensitized solar cell [79], the device concept of perovskite solar cells has developed into a typical thin-film design with a compact nanocrystalline perovskite layer of about half a micron thickness sandwiched between charge transport layers (solid-state) and planar electrodes [80].

## **I.12 Lead Zirconate Titanate (PZT)**

### **I.12.1 Overview of the selected material**

Since the 1950's, PZT materials have been a challenge for Shirane and his team [81, 82], since then, studies have commenced on these materials. Lead zircono-titanate (abbreviated to PZT) is a polycrystalline solid solution with a perovskite  $ABO_3$  structure consisting of two components lead titanate ( $PbTiO_3$ ) and lead zirconate ( $PbZrO_3$ ), which are ferroelectric and anti-ferroelectric materials respectively [7], whose piezoelectric and dielectric characteristics are significantly better than those of the initial compounds [83] the same system of this solid solution can be elaborated with different compositions just by varying the Zr/Ti ratio. If the

composition is rich in Zr the structure obtained is Rhombohedral ( $Zr/Ti > 54:46$ ) while when the composition is rich in Ti ( $Zr/Ti < 48:52$ ) our structure is tetragonal.

### I.13 Morphotropic phase boundary

Some ferroelectric perovskite-type solid solutions have excellent properties such as high piezoelectric response and dielectric constant, Among the ferroelectric materials that are commonly used for Morphotropic applications (generally complex oxides) are Lead Titano-Zirconate PZT ( $Pb[Zr_{1-x}Ti_x]O_3$ ). Historically, the Zr/Ti ratio of the PZT system has not been precisely defined to say that we are in or near the region where the morphotropic phase boundary [82, 84, 85]. The two phases or the two rhombohedral and tetragonal structures coexist in an intermediate composition, this composition is located in a region called morphotropic phase boundary MPB where the region that associates these two structures at room temperature, this region is located at a Zr:Ti "53:47 point [55]. Studies of the PZT system in recent years have found that below the paraelectric-ferroelectric transition temperature there is a region of coexistence of tetragonal and rhombohedral phases close to the MPB composition, although the extent of this region is still subject to debate. The effect of adding small amounts of dopant can shift the MPB and increase the width of the coexistence region [86]. It is a region where the piezoelectric and dielectric properties are maximal. Jaffe and Cook determined the phase diagram from X-Ray Diffraction (XRD); this diagram is illustrated in figure I.14. In the phase diagram, the MPB is represented as a line, it is generally found that the tetragonal and rhombohedral phases coexist in a limited range of compositions around the MPB [87, 88], more factors can influence this range such as precursors, processing conditions, etc.

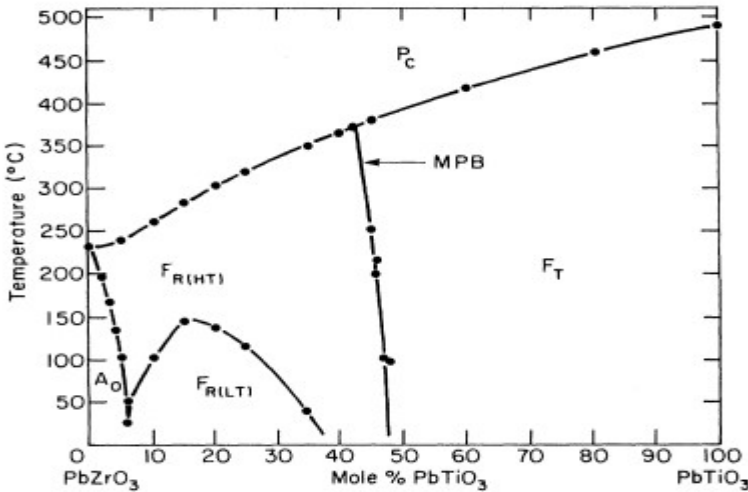


Figure I. 14: Phase diagram of PZT [89]



## I.14 Effect of doping on the properties of PZT materials

In solid chemistry, to modify or improve the properties of materials and reach the optimal response, we adjust or add an additive that corresponds to the chemical element of our material; we talk about doping of material. A dopant is a small amount of element introduced into the material by incorporating it into the crystal lattice of the chemical material which can improve initial electrical properties. In the case of PZT of general formula  $\text{Pb}(\text{Zr}_{1-x}\text{Ti}_x)\text{O}_3$  is generally modified by the addition of one or more cations which replace the  $\text{Pb}^{2+}$  in the A site or the couple  $(\text{Zr}^{4+}/\text{Ti}^{4+})$  in the B site.

Basically, there are 3 types of dopants that have been generally used in the modification of the composition of PZT: isovalent dopants, acceptor dopants, and donor dopants [7, 90, 91].

### I.14.1 Isovalent dopants

They are dopants of valence equal to that of the substituted ion such as  $\text{Ba}^{+2}$ ,  $\text{Sr}^{+2}$ ,  $\text{Ca}^{+2}$  which can substitute them in the A-site and  $\text{Ce}^{+4}$  and  $\text{Sn}^{+4}$  in B-site, the effect of this type of dopants can increase the dielectric permittivity of the PZT and decrease the Curie temperature, Similarly, we can substitute the oxygen ion by the fluorine ion (which is the case in our study), associating a cationic substitution by an ion of lower valence, which allows to obtain materials with a high mechanical quality factor (Q) presenting a great stability of  $d_{33}$  under uniaxial constraint, we could also have multiple substitutions by several unstable multiple valence ions or several stable valence ions. The overall influence on the properties depends on the concentration and valence of each ion.

These dopants can increase:

- The ionic character of the mesh
- The stability of the structure
- The permittivity ( $\epsilon$ )

and can also reduce the curie temperature  $T_c$  .

### I.14.2 Donor dopants

Donor dopants, which are higher valence cations than the substituted ion, we mention  $\text{La}^{3+}$ ,  $\text{Nd}^{3+}$ ,  $\text{Bi}^{3+}$ ,  $\text{Sb}^{3+}$  in the A-site and  $\text{Nb}^{+5}$ ,  $\text{Sb}^{5+}$ ,  $\text{Ta}^{5+}$ , and  $\text{W}^{6+}$  in the B-site. The resulting PZT materials are called soft because they are easily polarizable. Cationic vacancies such as  $\text{Pb}^{2+}$  vacancies in the A site compensate the excess of positive charge provided by the donor dopants, where a change of valence from  $\text{Ti}^{4+}$  to  $\text{Ti}^{3+}$ , These ceramics can be used in low

power actuators and transducers (non-destructive testing, medical ultrasound, positioning devices...).

The properties that are increased by the donor dopants are:

- The dielectric permittivity
- Dielectric losses
- Coupling coefficients

There is a decrease of:

- Mechanical quality factor
- Coercive field
- Conductivity and Curie point

### **I.14.3 Acceptor dopants**

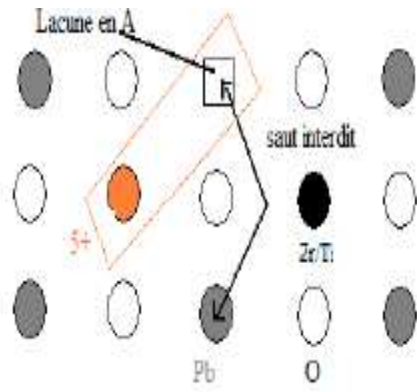
Acceptor dopants with a lower valence than the substituted ion, the acceptor dopants make the PZT materials hard because they depolarize with difficulty under the action of a constraint, the acceptor dopants also make the PZT materials hard because they depolarize with difficulty under the action of a stress, they induce the formation of oxygen vacancies (Figure I.15) resulting in a contraction of the lattice, it has been observed that the field application reduces the movement of the domain walls, but their characteristics remain stable under a high field.

This type of dopant increases:

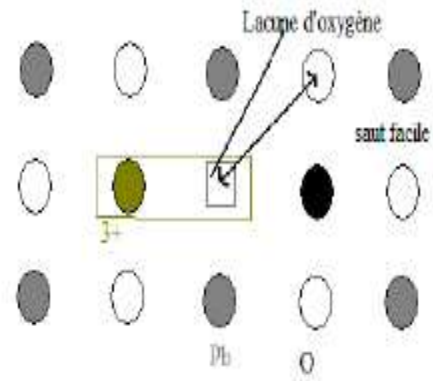
- Mechanical quality factor
- Coercive field
- Conductivity

and a decrease in:

- Permittivity
- Dielectric losses
- Coupling coefficients



a) Donor doping (soft materials)



b) Acceptor doping (hard materials)

Figure I. 15: Defects created in the PZT lattice after substitution by donor (a) or acceptor (b) ions [55]

# **Chapter II    Experimental**

## **part**

## Chapter II: Experimental part

### II.1 Introduction

The experimental chapter of this thesis aims to present the different steps of the experimental protocols. In this chapter, we will describe in detail the different steps and techniques used for the synthesis of our materials, their characterization, and their evaluation. We will also explain the reaction conditions, the experimental parameters, and the equipment used to carry out these experiments.

First, we will explain the synthesis method that we have chosen in the experimental part of the studied compounds, as well as the characterization techniques used to confirm their structure and purity.

In a second time, we detailed and discussed the starting materials or precursors and dopants (oxides). Finally, we will detail the experimental protocols implemented to evaluate the performance of the studied compounds. We will present the different analytical techniques used to evaluate the physicochemical properties of the compounds, such as X-ray diffraction, FTIR, and SEM.

Among the most important factors that can influence the properties of our materials are the method of synthesis and the precursors, so it is necessary to choose the method of synthesis, generally, there are two main methods of synthesis or elaboration: solid method such as the solid state reaction method (ceramic method) [92] and liquid method such as the sol-gel and [93] the hydrothermal synthesis [94].

So the method we are interested in is the solid-state method, it's the method of synthesis by solid way.

### II.2 Solid-state reaction method

The solid-state reaction method, also known as solid-state synthesis, is a widely used process in materials science and chemistry for synthesizing new compounds from solid precursors. It involves the mixing of reactants in a solid state, followed by heating to initiate a chemical reaction that results in the formation of a new solid product.

Solid-state reactions can occur through various mechanisms, such as diffusion of atoms through the solid, melting and recrystallization, and formation of intermediate phases. The reaction can take place in a variety of environments, such as a vacuum or an inert gas atmosphere, and the reaction temperature can range from room temperature to several hundred degrees Celsius.

This method has been utilized in the synthesis of a diverse range of materials, including ceramics, intermetallic, and organic compounds, and has important applications in fields such as energy storage, catalysis, and electronic materials [95, 96].

## II.3 Sample preparation

In our study, we will prepare a series of the composition of PZT type ceramics  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$  where  $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$ . The exception of this study is the diversity of dopants, so there are several dopants that we added in our basic matrix, but the most important study that we will base on is the effect of barium substitution in our basic matrix on structural, morphological, and dielectric properties.

### II.3.1 Precursor

The basic components of these types of materials are oxides such as  $PbO$ ,  $ZnO_2$ , and  $TiO_2$ .

#### II.3.1.1 Lead monoxide $PbO$ :

Lead monoxide, also known as lead (II) oxide, is a chemical compound composed of lead and oxygen, with the molecular formula  $PbO$ . It is a yellow or reddish-brown powder and is commonly employed as a precursor in the preparation of PZT-type ceramics.

It is produced industrially by heating lead in the presence of air, a process known as roasting.

The resulting lead oxide is then reduced to lead metal using carbon or another reducing agent.

The following table details the datasheet for lead oxide

Table II. 1: lead oxide datasheet

Chemical formula	$PbO$
Molecular weight	223.20 g/mol
CAS number	1317-36-8
Appearance	Yellow
Melting point	888°C
Boiling point	1470°C
Solubility	Insoluble in water, soluble in acids
Density	9.53 g/cm <sup>3</sup>

### II.3.1.2 Zirconium dioxide $ZrO_2$

Zirconium dioxide, also known as zirconia, is a white crystalline oxide of zirconium; it is mostly produced synthetically for various industrial applications such as ceramics, refractor materials, and high-performance coatings [97].

Table II. 2: Zirconium dioxide datasheet

Chemical formula	$ZrO_2$
Molecular weight	123,22 g/mol
CAS number	13463-67-7
Appearance	White powder
Purity	99%
Boiling point	4000 °C
Melting point	2715 °C
Solubility	insoluble in water and organic solvents
Density	5.68 g/cm <sup>3</sup>

### II.3.1.3 Titanium dioxide $TiO_2$ :

Titanium dioxide, also known as  $TiO_2$ , is a naturally occurring mineral with the chemical formula  $TiO_2$ . It is widely used in various industries, including cosmetics, food, and electronics, due to its unique properties such as excellent UV absorption capacity and photocatalytic activity. Regarding its chemical structure, titanium dioxide comprises titanium and oxygen atoms arranged in a crystalline lattice structure [98].

Table II. 3: Titanium dioxide datasheet

Chemical formula	$TiO_2$
Molecular weight	79.9 g/mol
CAS number	13463-67-7
Appearance	White powder
Purity	99%
Melting point	1843°C
Solubility	insoluble in water and organic solvents
Density	3.9 g/cm <sup>3</sup>

### II.3.2 Dopants

Several studies [10, 11] have reported that the substitution effect regardless of the A and/or B site is an effective method to enhance the dielectric properties. The dopants can be classified into three categories [7, 12], the isovalent dopants such as ( $\text{Ba}^{2+}$ ) [13] and ( $\text{Sr}^{2+}$ ) [14], donor dopants ( $\text{Sb}^{+5}$ ) [15], and acceptor dopants ( $\text{Al}^{+3}$ ) [16], the category that attracts us is the isovalent dopants ( $\text{Ba}^{2+}$ ) because of their effect on dielectric properties, where they can reduce the curie points, increase the dielectric constant [7], as well as avoiding the pyrochlore composition in perovskite structure [17]. This is what prompted some studies to investigate the barium impact substitution into PZT ceramics' dielectric properties [13, 18, 19]. Xiucui Wang et al. [20] found that the  $\text{Ba}^{2+}$  ion doping into PZT ceramics shows a very interesting effect on the dielectric properties and decreases the curie temperature from 85 to 48°C. The same tendency has been found by Dipti et al. [21] and Neha et al. [10] when  $\text{Ba}^{2+}$  ions were incorporated into the PZT system.

Among the dopants we used in this experimental part are:

#### II.3.2.1 $\text{Al}_2\text{O}_3$ :

$\text{Al}_2\text{O}_3$ , also known as aluminum oxide or alumina, is a chemical compound with the formula  $\text{Al}_2\text{O}_3$ . It is one of the most commonly used materials in ceramics and other high-temperature applications due to its high melting point [99].

Table II. 4: Aluminum oxide datasheet

Chemical formula	$\text{Al}_2\text{O}_3$
Molecular weight	101.96 g/mol
CAS number	1344-28-1
Appearance	White powder
Purity	98%
Melting point	2,072°C (3,762°F)
Solubility	low solubility in water
Density	from 3.95 to 4.1 g/cm <sup>3</sup>



### II.3.2.2 $Sb_2O_5$ :

Antimony pentoxide ( $Sb_2O_5$ ) is an oxide of antimony; it is commonly used materials in ceramics,  $Sb_2O_5$  has a molecular weight of 323.52 g/mol and a melting point of 380 °C.  $Sb_2O_5$  is used in the production of glass and ceramics as a fining agent to improve clarity [100].

Table II. 5: Antimony pentoxide datasheet

Chemical formula	$Sb_2O_5$
Molecular weight	323.52 g/mol
CAS number	1314-60-9
Appearance	White powder
Purity	99.99 %
Melting point	380°C (716°F)
Solubility	low solubility in water
Density	3.78 g/cm <sup>3</sup>

### II.3.2.3 $BaCO_3$ :

Barium carbonate ( $BaCO_3$ ) is a white crystalline powder composed of barium and carbonate ions. It is commonly used in the production of glass and ceramics, as well as in the manufacturing of other barium compounds [101].

Table II. 6: Barium carbonate datasheet

Chemical formula	$BaCO_3$
Molecular weight	197.34 g/mol
CAS number	513-77-9
Appearance	White powder
Purity	99%
Melting point	811°C (1,492°F)
Solubility	low solubility in water
Density	4.29 g/cm <sup>3</sup>

## II.4 Elaboration process

The sample preparation is a crucial step in the characterization of materials, especially in research materials such as ceramics. The quality of the characterization results depends to a

large extent on the quality of the prepared samples, sample synthesis must be carefully carried out to produce homogeneous and reproducible samples, the following figure illustrates in detail the steps of the synthesis method we have chosen (ceramic method).

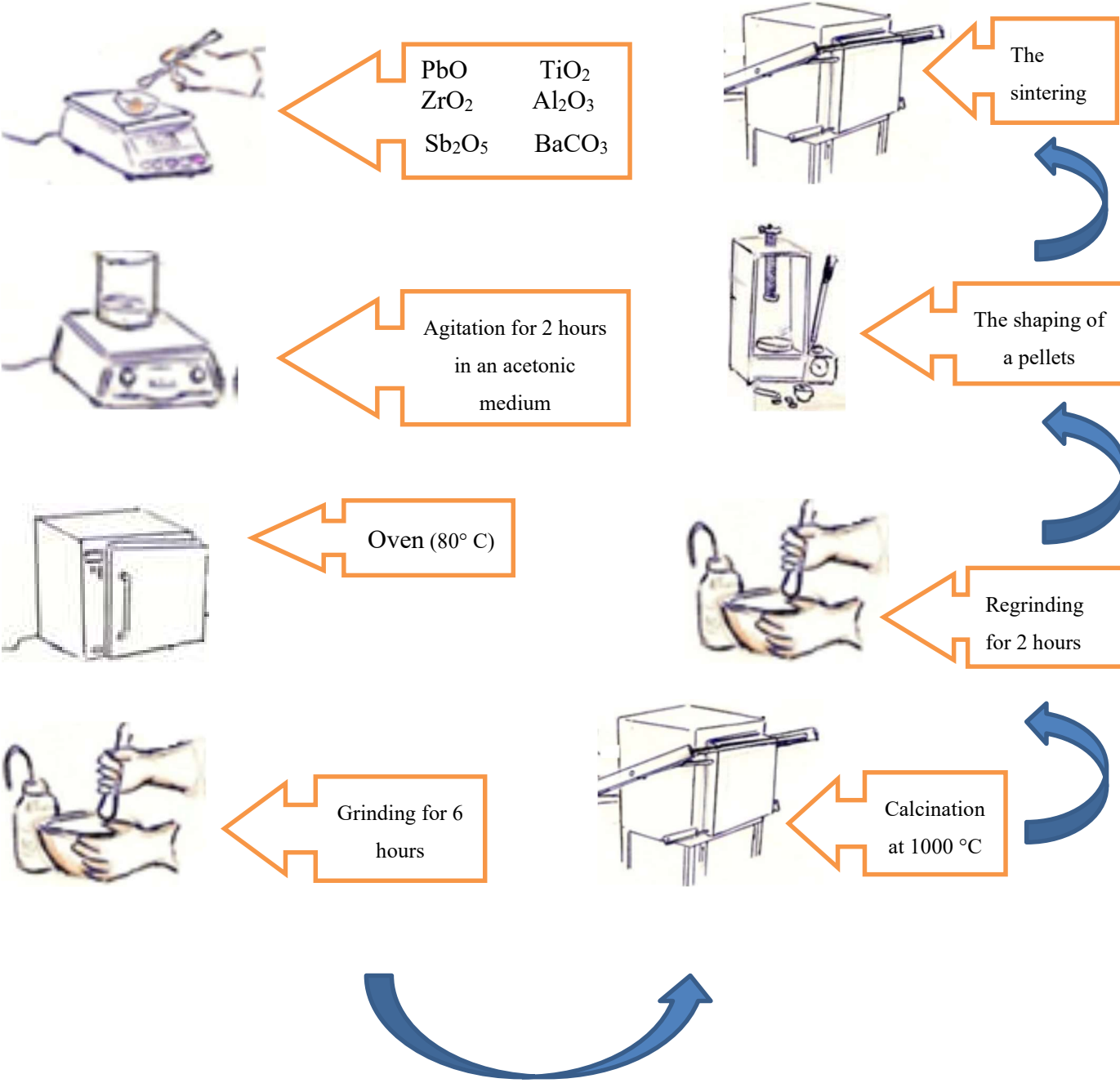


Figure II. 1: The different steps to prepare the samples [102].

### II.4.1 Weighing and mixing

The first step in the preparation of ceramic material is to weigh and mix the necessary powders. This step is of paramount importance as it ensures the composition and purity of the final ceramic. To obtain a homogeneous composition, it is essential to accurately weigh the different powders and mix them efficiently. We followed an equation to calculate the initial masses of the starting materials (the basic matrix materials and the dopants) before weighing and mixing them. Errors in weighing or mixing can cause significant variations in the composition we are trying to obtain, which can affect its properties and performance. We put this mixture in a beaker under agitation for 2 hours in an acetic medium (because the acetone evaporation temperature is low) to facilitate the distribution of the grains and to obtain a very homogeneous mixture, and then we dry it in an oven for another 2 hours at 80° C.

### II.4.2 Grinding

Grinding is an essential step in the preparation of PZT ceramics. It allows to reduce the size of the powders used and to obtain very fine particles as well as to homogenize the composition of the ceramic.

It allows the reduction of the size of the powders used, obtains wonderful particles, and homogenizes the composition of the ceramic

In our case, after taking our sample out of the oven, we have to grind it for 6h, which makes the grains closer to each other to help the formation of the perovskite structure during the heat treatment step.

### II.4.3 Calcination:

The calcination step is a crucial part of the synthesis of PZT ceramics. It involves heating the mixture of PZT precursors to high temperatures to convert them to the desired perovskite phase. During this process, the organic components of the precursors are decomposed and removed, and the remaining inorganic components react to form the perovskite structure. The calcination temperature we want to achieve to form the perovskite structure is 1000 °C for 2h with a heating rate of 2°C/min in a programmable heater [103]. The calcination temperature and duration are carefully controlled to ensure the formation of the perovskite phase, while minimizing the formation of undesirable secondary phases, the calcination cycle scheme is shown in Figure II.2.

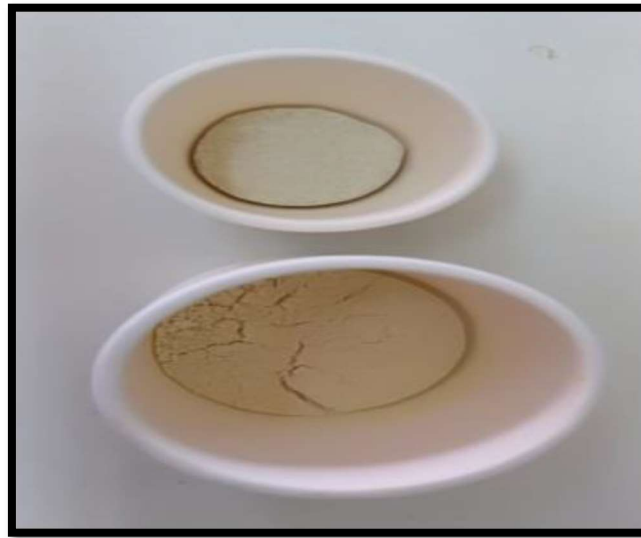
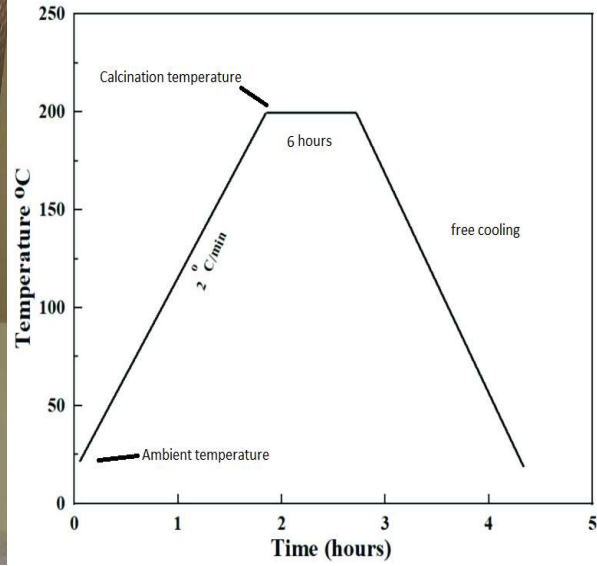


Figure II. 2: The calcination cycle diagram and the heating oven.

#### II.4.4 The shaping of a pellets

We take the mixture out of the heating oven and grind it again for 2 hours. The grinding of calcined powder aims to reduce the grain size and homogenize the powder; this allows for improving the properties of our sample, such as density and conductivity. The obtained powders were mixed with 5% by weight of polyvinyl alcohol as a binder before being compacted into disk-shaped specimens and pressed into cylindrical pellets of 10 mm diameter and about 3 mm height by pressing at  $1 \text{ ton/cm}^2$  for 5 min by a hydraulic uniaxial press.

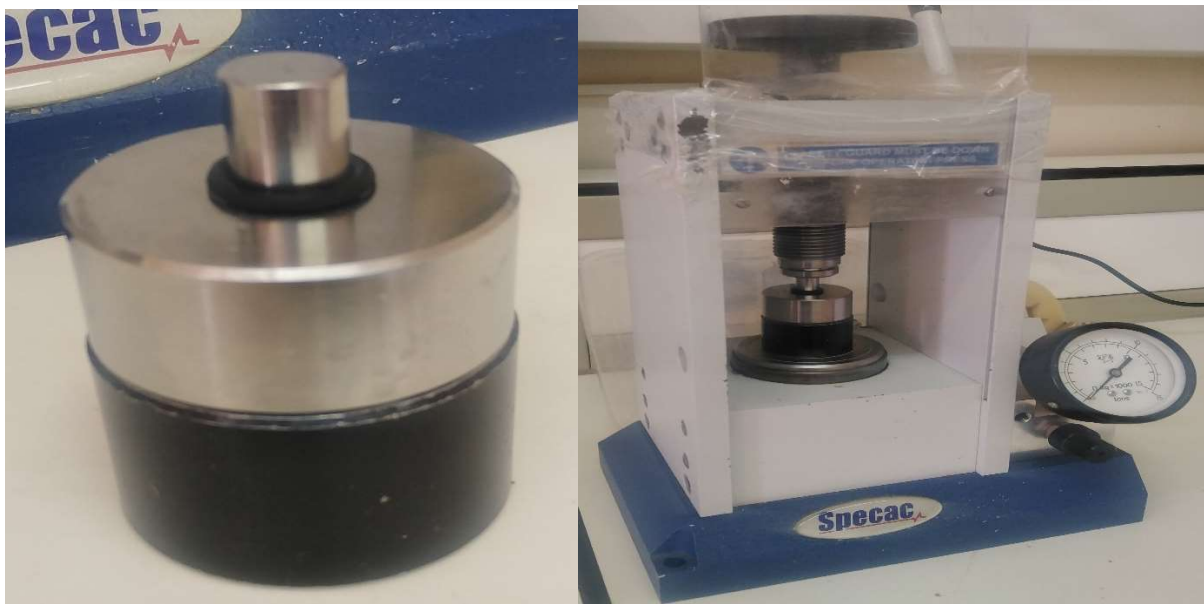


Figure II. 3: hydraulic uniaxial press

#### II.4.5 The sintering

This heat treatment process, called sintering, is an essential step in the preparation of samples to achieve the desired properties. Typically, after the synthesis and shaping of the specimens, the green compact is subjected to heat treatment at elevated temperatures. This removes any residual organic material from the sample and facilitates the densification of our material. The temperature and the duration of sintering are critical factors that affect the final microstructure and properties of the PZT ceramic [104]. Thereafter, to compact the pellet and reduce the porosity, the pellets were sintered at several temperatures (1190, 1210, 1230, 1250, and 1270

°C) for 2 hrs, with the same heating rate. To avoid lead loss during the sintering process and improve the density, lead zirconate (PZ) should be added [9, 105].



Figure II. 4: The position of the pellets during sintering.

## II.5 Characterization technique:

### II.5.1 XRD Analyses

X-ray diffraction (XRD) analysis is a technique used to study the atomic and molecular structure of crystalline materials. It involves irradiating a sample with X-rays and measuring the diffraction pattern of the diffracted X-rays. This pattern provides information about the arrangement of atoms in the sample, such as crystal lattice parameters, unit cell dimensions, and the presence of crystallographic defects or impurities. XRD is based on the principle of constructive interference of X-rays diffused by the planes of the crystal lattice. By measuring the angles and intensities of the diffracted X-rays, researchers can determine the spacing between the lattice planes and calculate the crystal structure of the material under study. This information is crucial for understanding the physical and chemical properties of materials, as well as for identifying unknown substances [106].

The Bragg's law, named after Sir William Lawrence Bragg and his father Sir William Henry Bragg, is a fundamental principle in the field of X-ray crystallography. It describes the relationship between the angles of incidence and the resulting constructive interference of X-rays when they interact with crystalline material. The Bragg's law, named after Sir William Lawrence Bragg and his father Sir William Henry Bragg, is a fundamental principle in the field of X-ray crystallography. It describes the relationship between the angles of incidence

and the resulting constructive interference of X-rays when they interact with crystalline material. According to Bragg's law, the X-rays incident on a crystal lattice will undergo constructive interference and produce a diffracted beam if the following condition is met:

$$n\lambda = 2d \sin(\theta)$$

where:

- n is an integer representing the order of the diffracted beam.
- $\lambda$  is the wavelength of the incident X-rays.
- d is the spacing between the crystal lattice planes.
- $\theta$  is the angle of incidence between the incident X-rays and the crystal lattice planes.

Bragg's law has been instrumental in the advancement of X-ray crystallography and has contributed to numerous scientific discoveries and applications, including the determination of crystal structures, the study of molecular and atomic arrangements, and the analysis of crystal defects [107]. The instrument used for this analysis is Rigaku Miniflex 600 used the radiation of Cu Ka of Copper  $\lambda = 1.5406 \text{ \AA}$ . The phase ratios (tetragonal and rhombohedral) were determined by peak deconvolution using Origin, the Bragg's angle ( $2\theta$ ) has been scanned from  $10^\circ$  to  $90^\circ$  with a scanning rate of  $0.04^\circ/\text{sec}$  at room temperature.



Figure II. 5: XRD instrument (Rigaku Miniflex 600).

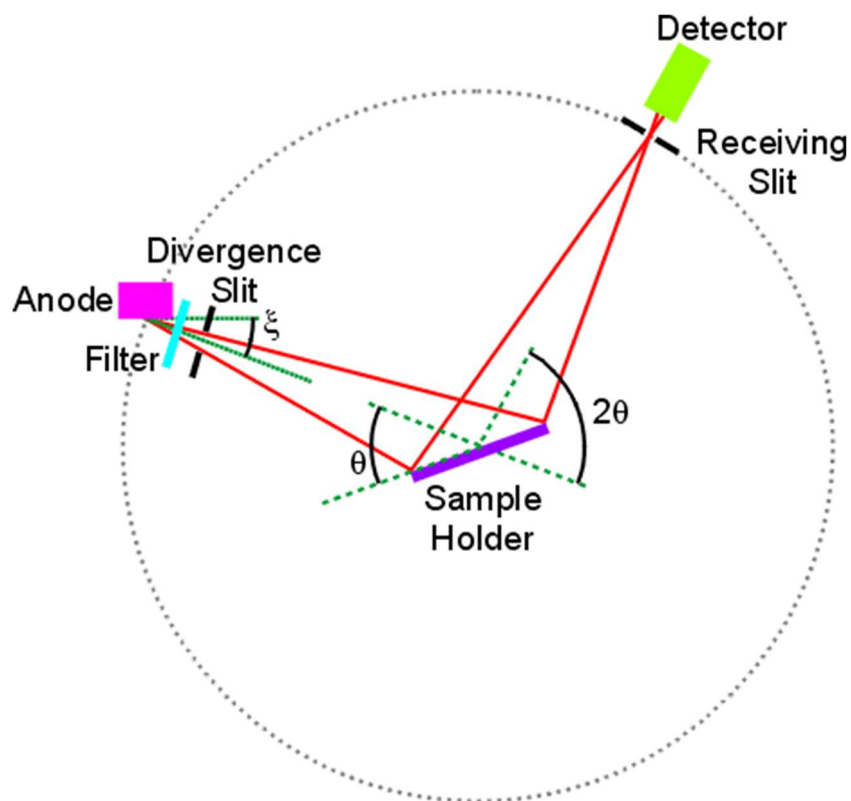


Figure II. 6: Schematic diagram of a diffractometer system. [108].

### II.5.2 Scanning electron microscopy SEM

Scanning electron microscopy SEM is a very useful imaging technique that is widely used in a variety of scientific fields. It enables the surface composition of a sample to be viewed at high resolution. In this technique, a focused electron stream is scanned through the sample, and the resulting signals are collected to generate an image [109, 110]. Advanced SEM systems can also offer additional features such as energy-dispersive X-ray spectroscopy EDS for elemental analysis. In conclusion, scanning electron microscopy SEM is a versatile technique for obtaining high-resolution images of a sample's surface composition. SEM provides also valuable information on the porosity and density of materials [111]. All the SEM analyses we have presented in this study are carried out in the CRAPCI analysis laboratory.

### II.5.3 Fourier Transform Infrared Spectroscopy FTIR

FTIR, which stands for Fourier Transform Infrared Spectroscopy, is a widely used analytical technique that provides valuable information about the chemical composition and molecular structure of a sample by analyzing its interaction with infrared radiation. In FTIR spectroscopy, a beam of infrared light is passed through a sample, and the absorption and



scattering of the light by the sample are measured. The infrared light consists of a range of wavelengths that correspond to different vibrational modes of the sample's constituent molecules. When the sample absorbs specific frequencies of infrared light, it causes characteristic energy transitions that can be used to identify functional groups and chemical bonds present in the sample.

The key principle behind FTIR spectroscopy lies in the use of an interferometer. The interferometer splits the incoming infrared beam into two paths: one that interacts with the sample and another that serves as a reference. The two beams are recombined, creating an interference pattern known as an interferogram. By applying a mathematical technique called Fourier transform to the interferogram, a spectrum is obtained, which represents the absorption intensity as a function of wavelength or wavenumber. FTIR spectroscopy has a wide range of applications in various fields, including chemistry, pharmaceuticals, polymers, materials science, and environmental analysis. It enables the identification of unknown substances, characterization of functional groups, analysis of chemical reactions, determination of molecular structures, and investigation of material properties [112, 113]. The Fourier Transform Infrared spectroscopy FTIR of the samples was carried out on a PerkinElmer FT-IR Spectrum Two Spectrophotometer in the wavelength range of 400–1500  $\text{cm}^{-1}$  in the photonic physics and multi-functional nanomaterials research laboratory LPPNM at the University of Biskra, which is controlled by a computer using UV Winlab software.

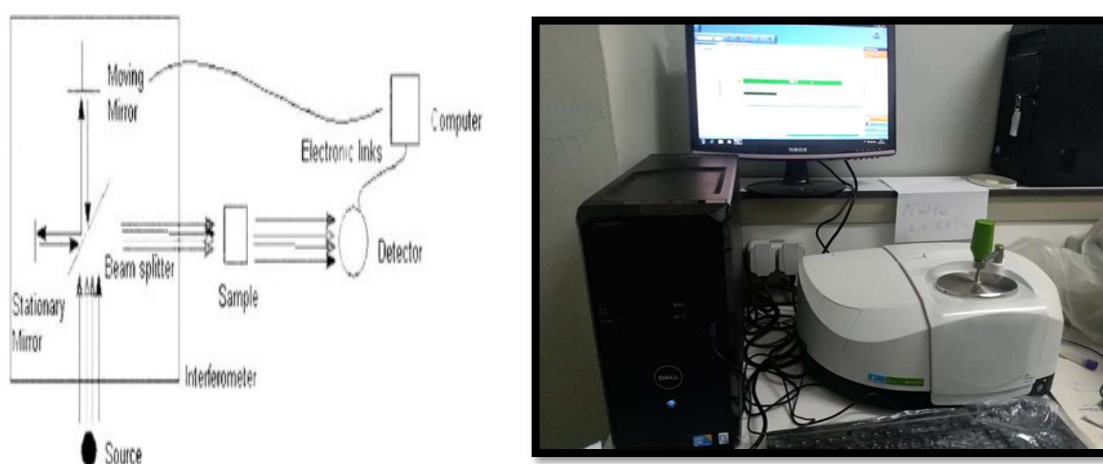


Figure II. 7: Schematic diagram of a Fourier transform infrared instrument. [114].

#### II.5.4 Density

The density of ceramics is an essential factor in achieving the maximum properties of our materials, defined as mass per unit volume. The higher the density, the better the piezoelectric

and Ferroelectric properties were obtained, this is because a denser material allows for better alignment of the crystal structure, leading to enhanced polarization and more efficient conversion of electrical energy into mechanical motion and vice versa. Moreover, the density of PZT ceramics also influences their dielectric properties, including dielectric constant and dielectric loss. Higher densities generally lead to higher dielectric constants, which is desirable for applications requiring efficient energy storage or voltage generation [115, 116]. After determining the optimal temperature corresponding to the maximum density, we used an electronic palmer to measure the density of pellets. The density ( $d$ ) is calculated by the following formula:

$$d = \frac{m}{\left(\frac{r}{2}\right)^2 \cdot \pi \cdot e} \quad (\text{II.1})$$

Were:

$m$ : mass of pellet (g).

$r$ : pellet diameter (cm).

$e$ : pellet thickness (cm).



Figure II. 8: Electronic Palmer.

### II.5.5 Impedance spectroscopy measurement

Impedance spectroscopy is a widely used technique for characterizing the electrical properties of materials, particularly their impedance response as a function of frequency. It provides valuable information about the complex impedance, which includes both resistive and reactive components and can be used to extract various dielectric properties of the material. One of the key advantages of impedance spectroscopy is its ability to analyze the behavior of materials over a wide frequency and temperature range. By applying an AC signal at different

frequencies and measuring the resulting voltage and current responses, a frequency-dependent impedance spectrum is obtained. This spectrum can be used to extract several important parameters, such as capacitance and resistance. Impedance spectroscopy has found applications in various fields, including materials science and electrochemistry. It is used for studying dielectric materials, electrolytes, batteries, sensors, and many other systems. The technique provides valuable insights into charge transport processes, interfacial phenomena, and material properties, making it a powerful tool for both fundamental research and practical applications [117, 118]. The instrument used in this study is Wayne-Kerr 6425 analyzer, with a frequency range from 1000 Hz to 1 MHz and a temperature range from 300 K to 700 K. To improve the conductivity of the pellets, it is necessary to paint them with a high-purity silver paste and dry them at 423K in an oven for 4 hours, then leave them to cool to room temperature [119].

# **Chapter III Structural and Microstructural properties of PZT-based ceramics**

# Chapter III: Structural and microstructural properties of PZT-based ceramics

## III.1 Introduction

This chapter presents the results and discussions of the research focused on investigating the structural and microstructural properties of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  with various amounts of Ba-doped. Understanding the structural and morphological characteristics of our material is essential for optimizing its performance and developing novel applications.

The structural properties play a vital role in determining the functional behavior and overall performance of ceramics. The crystal structure and phase composition of these ceramics significantly influences their electrical and mechanical properties. Therefore, in-depth characterization techniques are necessary to investigate these structural aspects. X-ray diffraction XRD analysis is a powerful tool commonly used to examine the crystal structure and phase composition of materials. By analyzing the diffraction patterns, valuable information about the crystalline phases present in the PZT ceramics can be obtained. Moreover, the identification of any secondary phases or impurities is crucial for understanding the material's properties and optimizing its performance.

Microstructural analysis is equally important in understanding the surface properties using Scanning electron microscopy (SEM), their imagery provides a visual representation of the surface, enabling the assessment of macroscopic features and the analysis of grain characteristics.

The understanding of the structural and microstructural properties of PZT ceramics is important for their effective utilization in various applications. By correlating the structural and microstructural characteristics with the electrical, mechanical, and piezoelectric properties, researchers can gain valuable insights into the fundamental relationships between structure and performance. Such knowledge can guide the optimization of processing techniques and the development of novel materials with improved properties.

In this chapter, the results of the structural and microstructural characterization will be presented and discussed in detail. The findings will be critically analyzed. By examining the interplay between the structural and microstructural.

### III.2 Structural properties

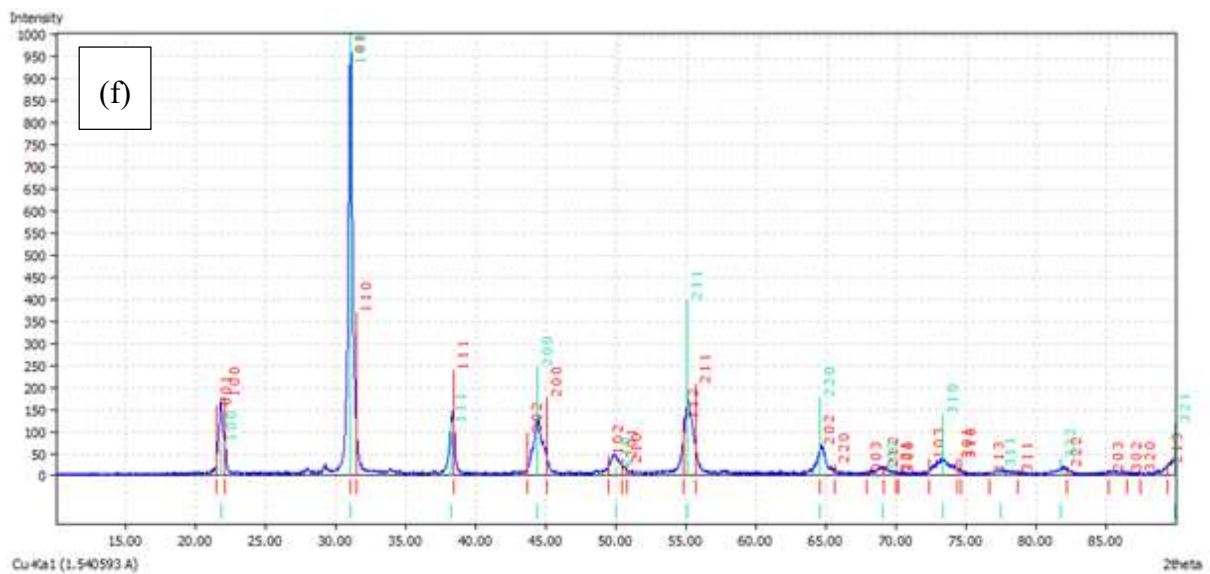
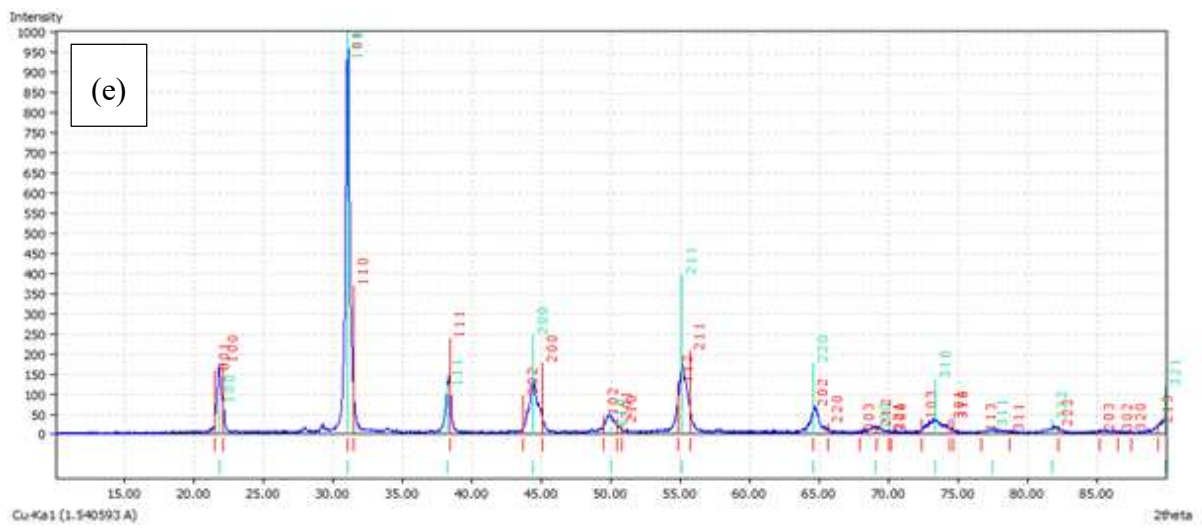
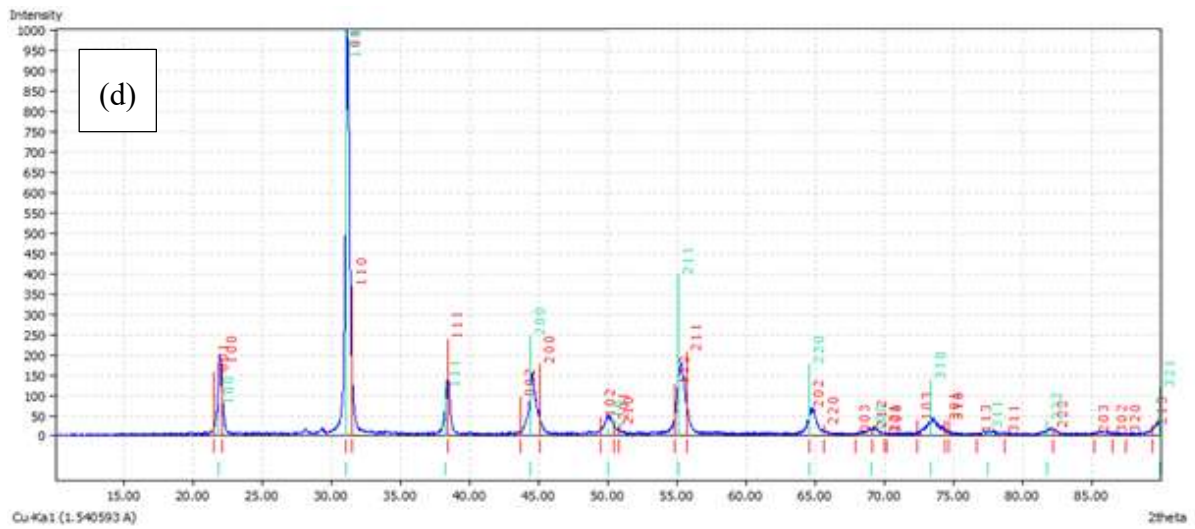
X-ray diffraction (XRD) analysis of barium-doped on  $\text{Pb}(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  provides valuable information about their structural properties and is of significant importance in understanding their composition and crystal structure. XRD is a powerful technique used to determine the crystallographic structure and phase composition of materials.

XRD can be used also to analyze the lattice parameters, which provide information about the crystal symmetry and unit cell dimensions. Moreover, XRD analysis can be used to evaluate the effect of processing conditions on the crystal structure of barium-doped PZT ceramics [13]. It enables researchers to control the crystallographic properties by adjusting parameters such as calcination temperature and dopant concentration during elaboration.

After recovering our compositions from the calcination step, which is done at the temperature of 1000 °C for 2h. Our samples are crushed for 6h and we made a structural characterization in which we determine the purity and the phases that we obtained with the help of a diffractometer Rigaku Miniflex 600 using the radiation  $K\alpha$  of copper ( $\lambda_{\text{Cu } K\alpha 1} = 1, 540593 \text{ \AA}$ ) and at room temperature.

The powder diffractograms are recorded in the angular range  $10^\circ < 2\theta < 90^\circ$  which seems to be sufficient for the identification of the different phases. Figure III.1 presents the XRD patterns of the analyzed samples calcined at 1000 °C for 2hrs as a function of different barium content ( $\text{Ba}^{2+}$ ) as a dopant. XRD peaks corresponding to each sample have been superposed to those of the crystallographic database namely ICDD-PDF2. All the picks that are detected in the diffractograms are corresponding to perovskite structures, so we conclude that the perovskite structure was successfully formed for each composition studied without any detectable secondary phase, indicating that the  $\text{Ba}^{2+}$  ions are well incorporated in the crystal lattice.





The rest of figure III.1.



### III.3 Morphotropic phase boundary

Morphotropic phase boundary MPB is an important concept in the field of piezoelectric materials, particularly in the study of lead zirconate titanate PZT ceramics. The MPB refers to the compositional boundary between two phases with different crystal structures [120], and represents also a delicate balance between the rhombohedral and tetragonal phases in the PZT crystal structure. At the MPB, the material exhibits a maximum in the piezoelectric and dielectric responses [121], which makes it an attractive target for researchers aiming to optimize PZT properties for specific applications. The concept of MPB becomes a well-established area of research in materials science and engineering. The location of the MPB in PZT ceramics can be controlled by adjusting the composition of the material, such as the ratio of zirconium to titanium. The region of the MPB can be modified by adjusting the ratio of Zr and Ti in the PZT composition. Changing the Zr/Ti ratio alters the crystal structure and shifts the position of the MPB. Typically, increasing the Zr content expands the rhombohedral phase region, while increasing the Ti content expands the tetragonal phase region [122].

From the results of the XRD of our samples, there are lines in the diffractogram in which we can say that we have close to the morphotropic phase boundary i.e. the existence of the two phases (tetragonal and rhombohedral). It is known that the lines in which we can say that we have close to the Morphotropic phase boundary are located in the region  $2\theta$  (43-47), which corresponds to the peaks 002 and 200 for tetragonal and 200 for Rhombohedral, but there are also other regions in the diffractogram that can detect the existence of this region which are shown in the following table.

Table III. 1: The angular regions that present the coexistence of the two phases T and R[55].

$2\theta$	$(hkl)_T$	$(hkl)_R$
21-23	(001) et (100)	(100)
30-33	(101) et (110)	(110) et (101)
43-47	(002) et (200)	(200)
53-56	(112) et (211)	(211), (211)

Figure III.2 shows the deconvoluted peak situated between  $42^\circ$  and  $47^\circ$  by using the Gaussian function, this function helps us to observe three small peaks corresponding to the (002) and (200) of Tetragonal phase (T) and (200) of the Rhombohedral phase (R), suggesting the

coexistence of two phases T+R at the same time, meaning that we are in the region of the MPB [123]. This is what prompted us to evaluate the fraction of the two tetragonal  $F_T$  and rhombohedral  $F_R$  phases by estimating the relative intensities of the deconvoluted peaks T(002), T(200), and R(200), using the following equations [124-126] :

$$F_T (\%) = \frac{I_{(002)T} + I_{(200)T}}{I_{(002)T} + I_{(200)T} + I_{(200)R}} * 100 \quad (3.1)$$

$$F_R (\%) = 100 - F_T (\%) \quad (3.2)$$

In which  $I_{(002)T}$ ,  $I_{(200)T}$ , and  $I_{(200)R}$  are the integrated area of Tetragonal (002), Tetragonal (200), and Rhombohedral (200) peaks, respectively, the obtained data are illustrated in figure III.2.

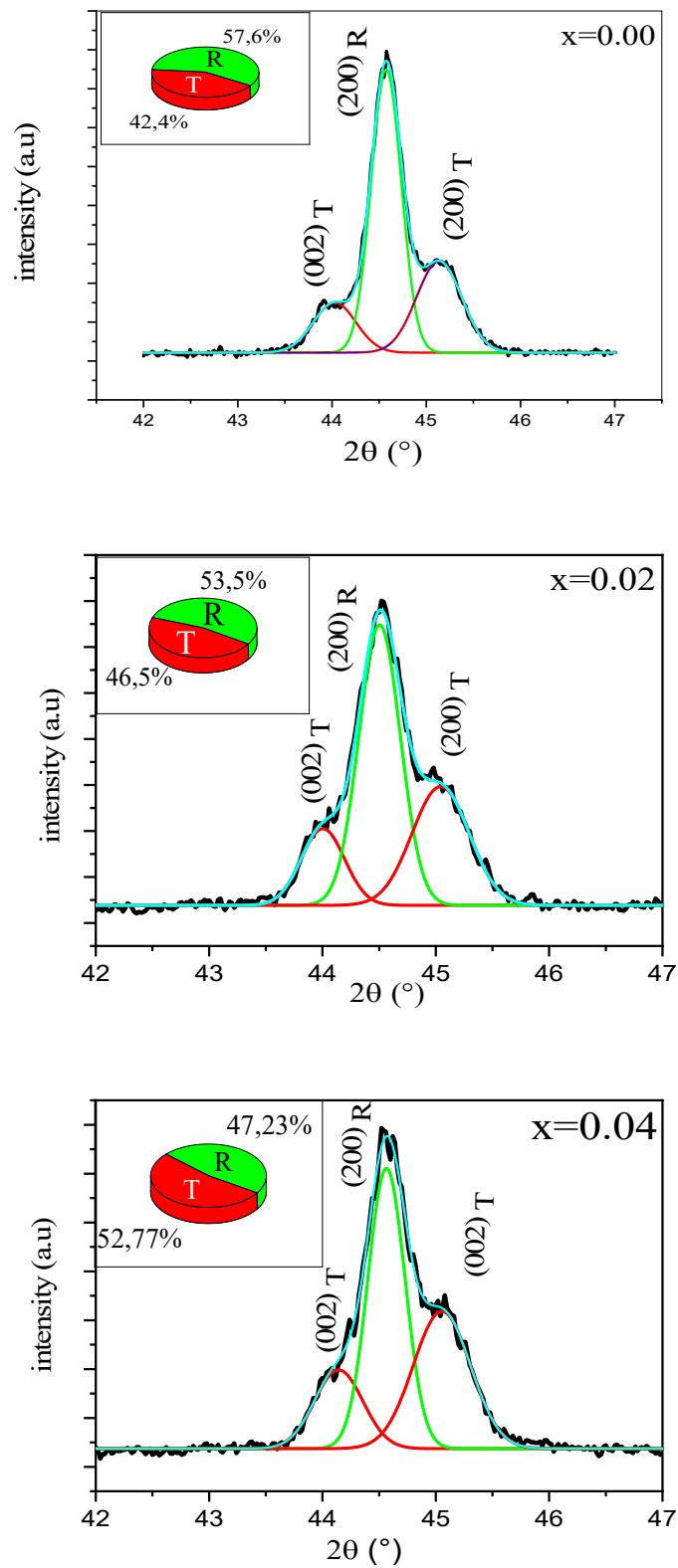
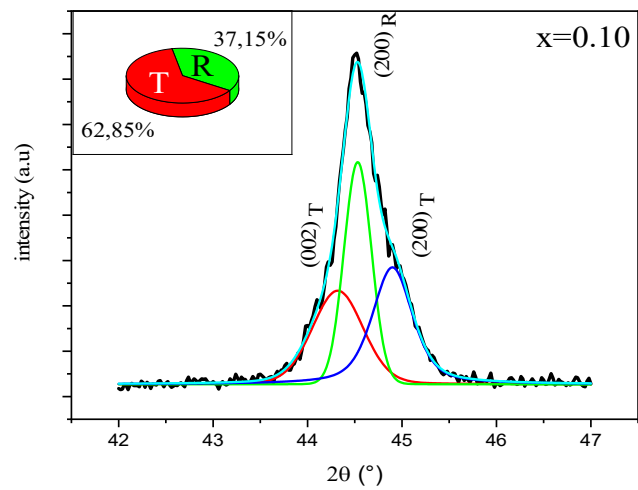
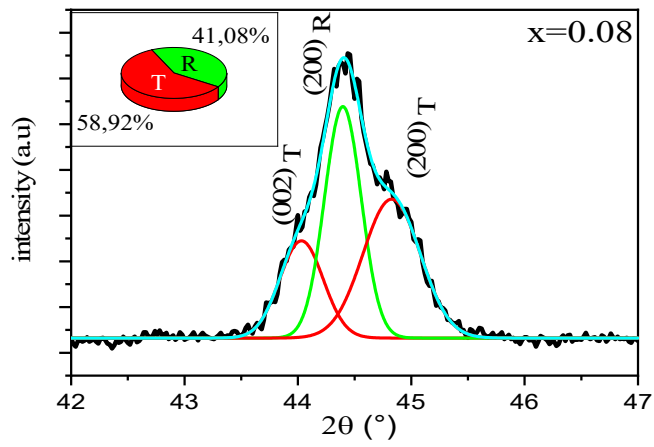
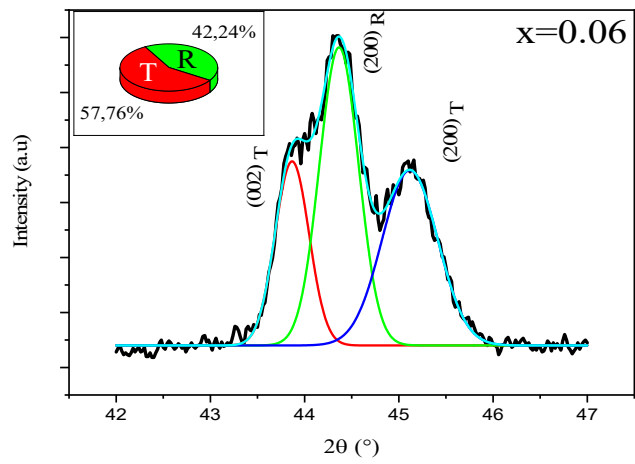


Figure III. 2: The deconvoluted peaks simulated in  $2\theta$  range of  $42^\circ$  to  $47^\circ$  and the volume fraction of the Tetragonal (T) and Rhombohedral (R) phases of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .



The rest of figure III.2.

### III.4 Lattice parameter

The lattice parameter is a fundamental property that characterizes the crystal structure of materials. Understanding the lattice parameter of our material and its variations is crucial for determining the structural stability and functional properties of the material. The lattice parameter of PZT ceramics is determined by the ionic radii of the constituent elements, their crystallographic arrangement, and the degree of cation substitution. Barium substitution can introduce changes in the lattice parameter due to differences in ionic radii between barium and lead. The larger ionic radius of barium compared to lead can cause lattice expansion and affect the crystal symmetry and structural stability. Several studies have investigated the effect of barium substitution on the lattice parameter [127, 128]. X-ray diffraction XRD analysis is commonly employed to determine the lattice parameter by measuring the positions of diffraction peaks. The lattice parameter can be calculated using Bragg's law and compared between the undoped composition and the barium-doped composition.

In this part, an evaluation of the lattice parameter was made for the  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  composition which varied according to the concentration of Barium; these compositions are calcined at a temperature of 1000 °C. We noticed that the substitution of Barium has a very low effect on the lattice parameter (a and c) of our composition. The c/a ratio represents the tetragonality of the specimens prepared [129], which increases with the increase of  $\text{Ba}^{2+}$  ion amount, the rise of tetragonality suggesting that the substitution of  $\text{Ba}^{2+}$  ion could be preferred the formation of the tetragonal phase rather than the rhombohedral phase. The crystallite size was calculated using the Debye-Scherrer formula [130, 131]:

$$D = \frac{0.9\lambda}{\beta \cos \theta} \quad (\text{III.1})$$

Where D is the size of the crystallites,  $\lambda = 1.5406 \text{ \AA}$  represents the wavelength of CuK $\alpha$  X-ray,  $\theta$  is the angle of Bragg in degrees,  $\beta$  means the full width at half-maximum FWHM, the results were showing in table III.2. The crystallite size increase with increasing of  $\text{Ba}^{2+}$  content due to the difference between the ionic sizes of  $\text{Ba}^{2+}$  (1.61 Å) and  $\text{Pb}^{2+}$  (1.49 Å) [132].

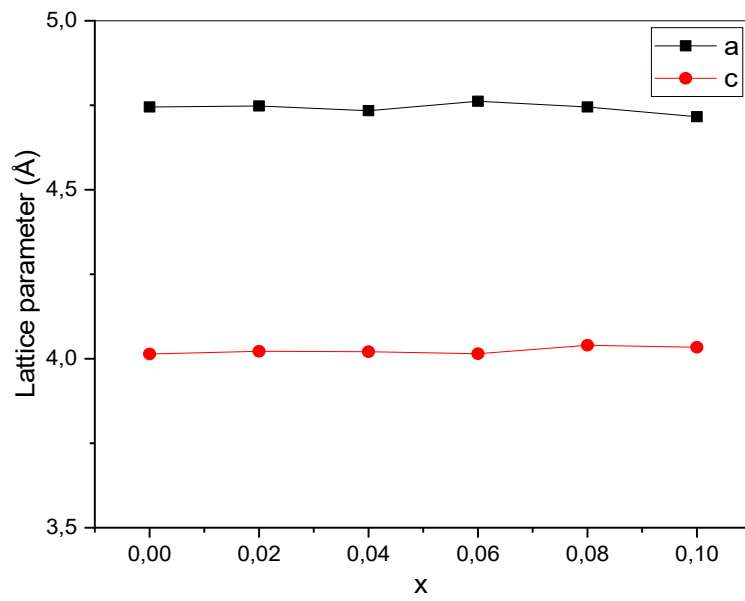


Figure III. 3: Variation of the lattice parameters as a function of Barium content.

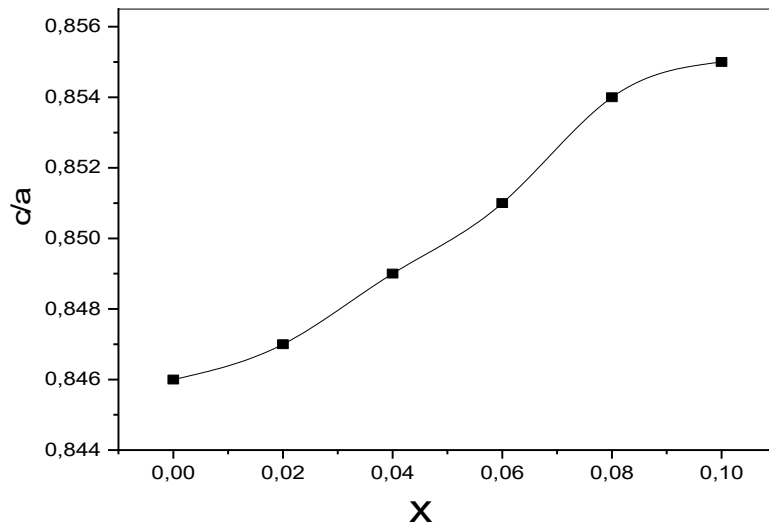


Figure III. 4: Variation of c/a ratio as a function of Barium content.

Table III. 2: The lattice parameters, c/a ratio, and the crystallite size of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

Samples	crystallite size (nm)	Lattice parameter		
		a (Å)	c (Å)	c/a
X= 0.00	14,80	4,745	4,014	0.846
X= 0.02	13,78	4.748	4.022	0.847
X= 0.04	15,56	4.734	4.021	0.849
X= 0.06	10,09	4.745	4.040	0.851
X= 0.08	15,80	4.762	4.066	0.854
X= 0.10	16,89	4.716	4.034	0.855

In conclusion, the lattice parameter of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  plays a significant role in determining their structural stability and functional properties. The investigation of the lattice parameter and its variations through barium doping provides valuable insights into the structure property.

### III.5 Tolerance factor

The tolerance factor is a parameter used to describe and evaluate the stability of the perovskite structure. In the case of PZT ceramics, a too-high or too-low tolerance factor can result in the formation of secondary phases, reduced ferroelectricity, and decreased piezoelectric coefficients.

To ensure the desired properties, it is important to understand and control the tolerance factor during the elaboration. By adjusting the composition and processing conditions, it is possible to tailor the tolerance factor to optimize the crystal structure and properties of the ceramic. This involves careful selection of the cationic ratios, such as the ratio of lead, aluminum, antimony, Barium, zirconium and titanium, to achieve the desired tolerance factor range. In summary, the tolerance factor is of great importance in determining the crystal structure and properties of these materials.

It's calculated based on the ionic radii of the constituent cations in the crystal lattice using the following equation [73]:

$$T = \frac{R_A + R_O}{\sqrt{2}(R_B + R_O)} \quad (3.4)$$

In which  $R_{Am}$ ,  $R_{Bm}$ , and  $R_O$  are the average ionic radii of the A-site, B-site, and oxygen atoms, respectively. Where the ionic radii of  $Pb^{2+}$ ,  $Ba^{2+}$ ,  $Zr^{4+}$ ,  $Ti^{4+}$ ,  $Sb^{5+}$ ,  $Al^{3+}$ , and  $O^{2-}$  are 1.49, 1.61, 0.72, 0.605, 0.62, 0.54, and 1.35 Å, respectively [20, 133, 134].

The calculated values of T are listed in Table 1 and showing in figure III.5 the results of the tolerance factor are in the range of 0.9968 and 1.0001 which indicates the stability of the perovskite structure [135], in addition, the increase of  $Ba^{2+}$  amounts brings the tolerance factor close to 1, which makes the perovskite structure more stable [136].

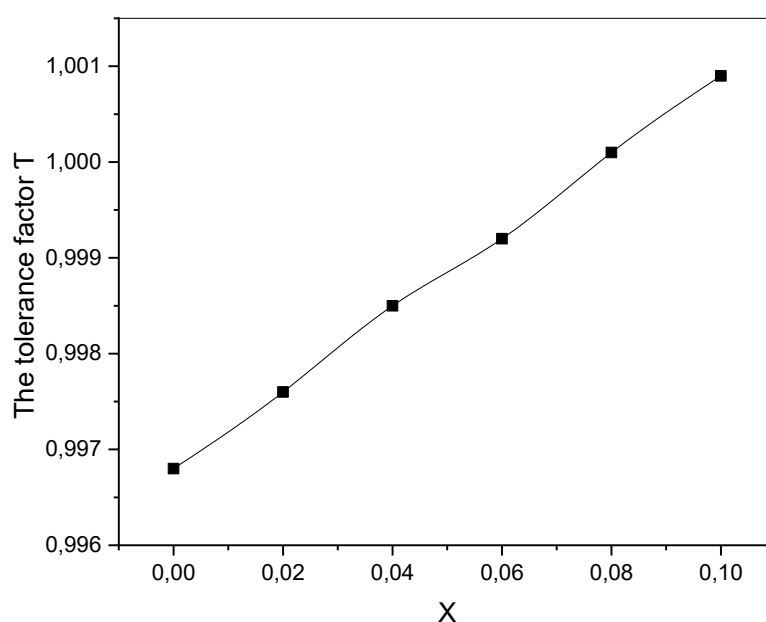


Figure III. 5: The tolerance factor T of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

Table III. 3: The tolerance factor T of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

Samples	X= 0.00	X= 0.02	X= 0.04	X= 0.06	X= 0.08	X= 0.10
T	0.9968	0,9976	0.9985	0,9992	1.0001	1,0009



### III.6 Fourier Transform Infrared spectroscopy (FTIR)

Fourier Transform Infrared spectroscopy FTIR is a widely used analytical technique for the characterization of materials; it is a non-destructive and non-invasive technique that provides information on the chemical structure and composition of a sample. Several infrared absorption studies on perovskite have been carried out to evaluate the frequencies of the normal modes of vibration of these compositions [137, 138]. The Fourier Transform Infrared spectroscopy FTIR of the samples was carried out on a PerkinElmer FT-IR Spectrum Two Spectrophotometer in the wavelength range of 400–1500  $\text{cm}^{-1}$  in the photonic physics and multi-functional nanomaterials research laboratory LPPNM at the University of Biskra, which is controlled by a computer using UV Winlab software. FTIR spectroscopy has been used to investigate the chemical composition and structural properties. Several studies have reported the use of FTIR spectroscopy to analyze PZT ceramics. For example, a study by PK Panda et al [139] used FTIR spectroscopy to investigate the effect of  $\text{Zr}^{4+}$  on piezoelectric, dielectric, and ferroelectric properties. Another study by A Mirzaei et al. used FTIR spectroscopy to the effect of Nb doping on sintering and dielectric properties.

The PZT-based materials have four vibration modes, two vibration modes which are located below 400  $\text{cm}^{-1}$ . These two modes correspond to the vibrations in the Pb-TiO<sub>3</sub> or ZrO<sub>3</sub> bond, the third mode has a wavenumber range of 390 - 410  $\text{cm}^{-1}$ , where it is caused by the stretching vibrations of O-Zr and Ti-O [140], these three modes can't be observed due to the measurement limitation of our equipment which begins measuring from 400  $\text{cm}^{-1}$ , the fourth vibration mode is the most important band which is between 440  $\text{cm}^{-1}$  and 640  $\text{cm}^{-1}$ , it's characterized by the vibration of M-O (M= Zr, Ti, and Pb) octahedron asymmetrical stretching which is presented in figure III.3 [141-143]. The FTIR results are consistent with the XRD results above and confirmed that the perovskite structure was successfully formed.

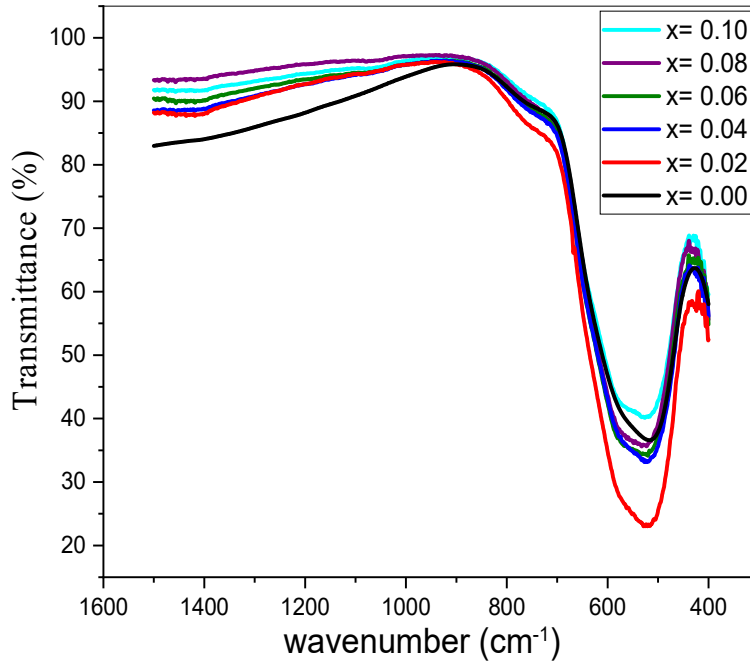


Figure III. 6: FTIR patterns of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0,52}\text{Ti}_{0,43}(\text{Al}_{0,5}\text{Sb}_{0,5})_{0,05})\text{O}_3$ .

### III.7 Density

The density of ceramics can have a significant impact on their dielectric properties and conductivity. Density refers to the mass of material per unit volume and can be measured in  $\text{g}/\text{cm}^3$ . The density of PZT ceramics can influence their dielectric properties in several ways. Firstly, higher density can result in reduced porosity within the ceramic, which generally improves dielectric properties. A denser ceramic also has reduced voids or defects, which can reduce dielectric losses and improve material quality.

Regarding conductivity, density can also play an important role. A denser ceramic typically exhibits better electrical conductivity. This is due to enhanced connectivity between ceramic grains, facilitating the movement of electric charges through the material [144].

#### III.7.1 Effect of temperature on density

The best morphological properties of our samples are having a minimum of pores, more compact and dense; to obtain this type of samples it is necessary to find the optimal temperature of sintering. To determine this temperature, we sintered our samples with several temperatures between  $1170^\circ\text{C}$  to  $1270^\circ\text{C}$  with a step of  $20^\circ\text{C}$ . Figure III.7 represents the

variation of the density of different compositions doped by  $\text{Ba}^{2+}$  ion as a function of the sintering temperature, the best temperature of sintering is  $1220^\circ\text{C}$  which offers the densest samples with a density value of around  $7.2 \text{ g/cm}^3$ , this is a very favorable factor for excellent dielectric properties [145].

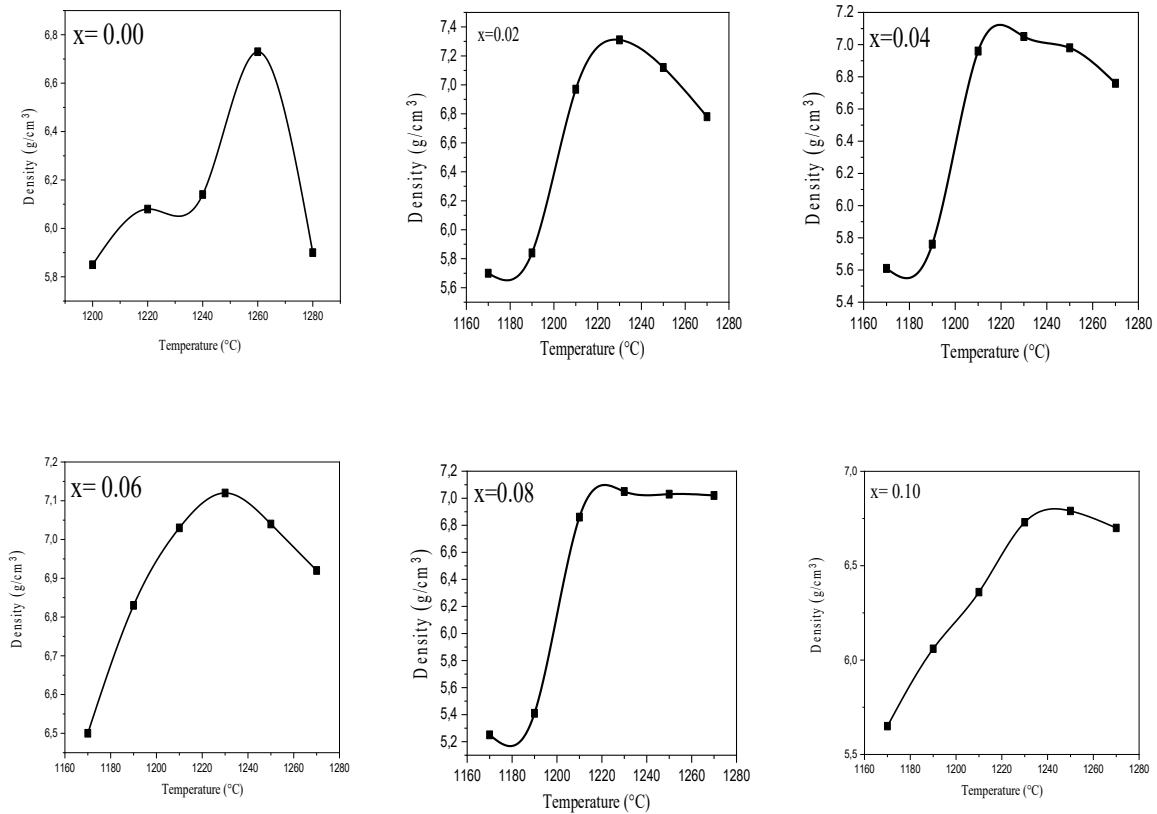


Figure III. 7: Influence of the temperature on the density of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

### III.7.2 Effect of barium substitution on density

The previous study is based on the search for the optimum sintering temperature for our pellets, but in this section, we have taken this temperature ( $T = 1220^\circ\text{C}$ ) to study the density as a function of the barium substitution rate at this temperature. From Figure III.8 we observe that the effect of Barium substitution on density is significantly clear, in that the density of the pellets increases with increasing Barium content, reaches up to  $7.17 \text{ g/cm}^3$ .

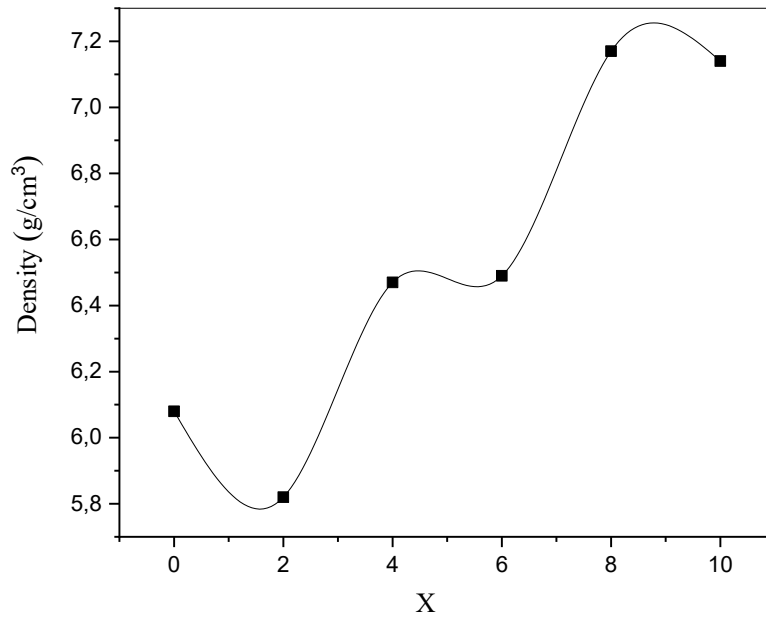


Figure III. 8: Influence of barium substitution on density of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

### III.8 Microstructural analysis

The size and distribution of the grains can affect properties such as mechanical strength and electrical conductivity. The presence of defects or porosity can influence the reliability and performance of the material under different conditions. Several studies have reported SEM characterization of PZT ceramics. For example, a study by CA Oliveira [146] used SEM to investigate the synthesis and characterization of lead zirconate titanate PZT prepared by different synthesis methods. Figure III.9 represents the SEM micrographs of the specimens sintered at 1220°C, it can be seen that the microstructure of the studied samples is dense and composed of grains having different shapes and relatively small sizes, the sintering temperature, which we have chosen where the density is optimal (see figure III.7) gives us a SEM image which also shows the densification of the materials and therefore less porous. Although the samples are less porous, we do not know if the porosity is zero, which may influence the electrical properties. Image J software was used to approximate the average grain size, it was noticed that the grain size of the compositions  $x = 0.00, 0.02, 0.04, 0.06, 0.08,$  and  $0.10$  are found to be 1.24, 2.84, 2.74, 2.95, 2.14, and 2.75  $\mu\text{m}$  respectively.

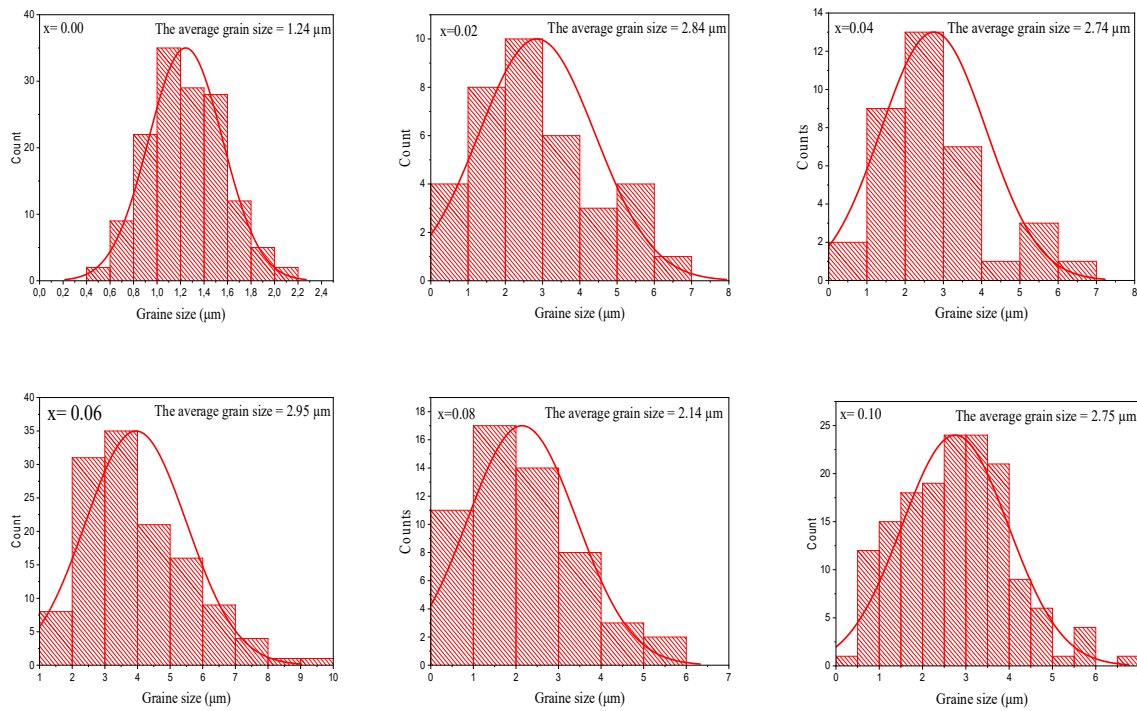
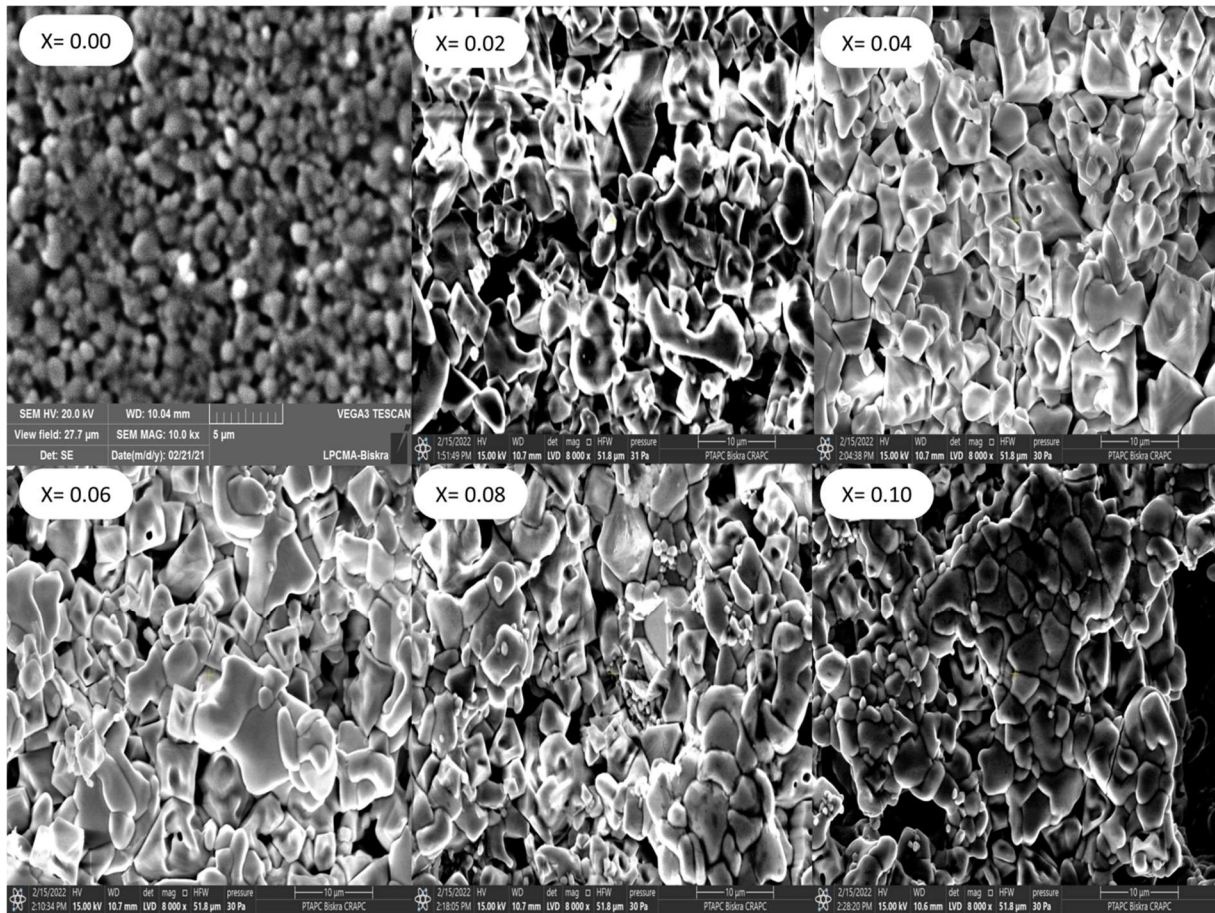


Figure III. 9: SEM images of fracture surface and the average grain size of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

### III.8.1 Effect of Barium substitution on average grain size

The evolution of the average grain size of specimens sintered at 1220°C as a function of Barium substitution has been shown in Figure III.10. In general, when comparing the base composition (before Barium substitution) with the other compositions, we noticed that the average grain size of the doped composition is very large compared to the basic composition.

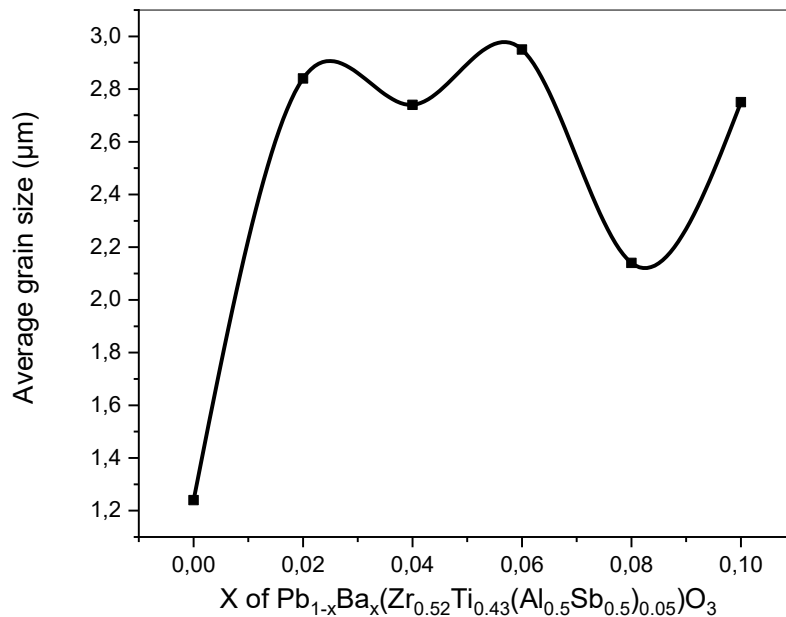


Figure III. 10: The average grain size as a function of Barium substitution

### III.9 Energy dispersive spectrometric analysis EDS

Energy dispersive X-ray spectroscopy EDS is a technique commonly used to investigate the chemical composition of ceramics. The results of EDS analysis can be used to interpret the properties and characteristics of the ceramics, such as how impurities may affect their mechanical properties. Figure III.11 shows the analysis we obtained from the EDX instrument for the samples of Barium substitution. From these results we can conclude that all the compositions are clearly pure with no secondary elements or impurities, the chemical elements of our composition are all detected such as Pb, Ba, Zr, Ti, Al, Sb, and O, these results complete the other analyses such as the DRX analysis.

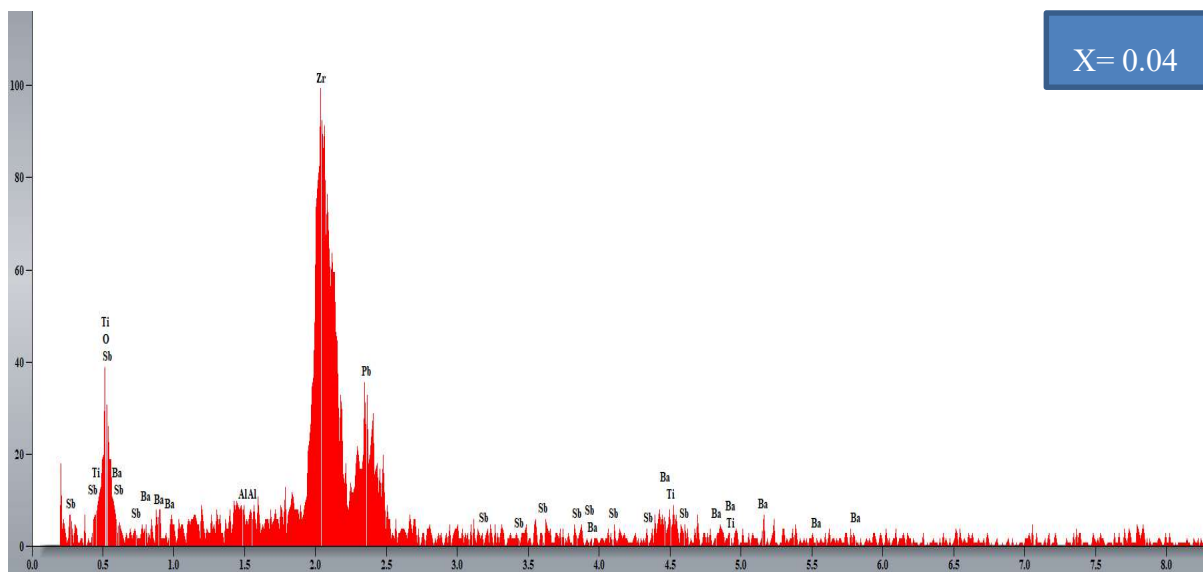
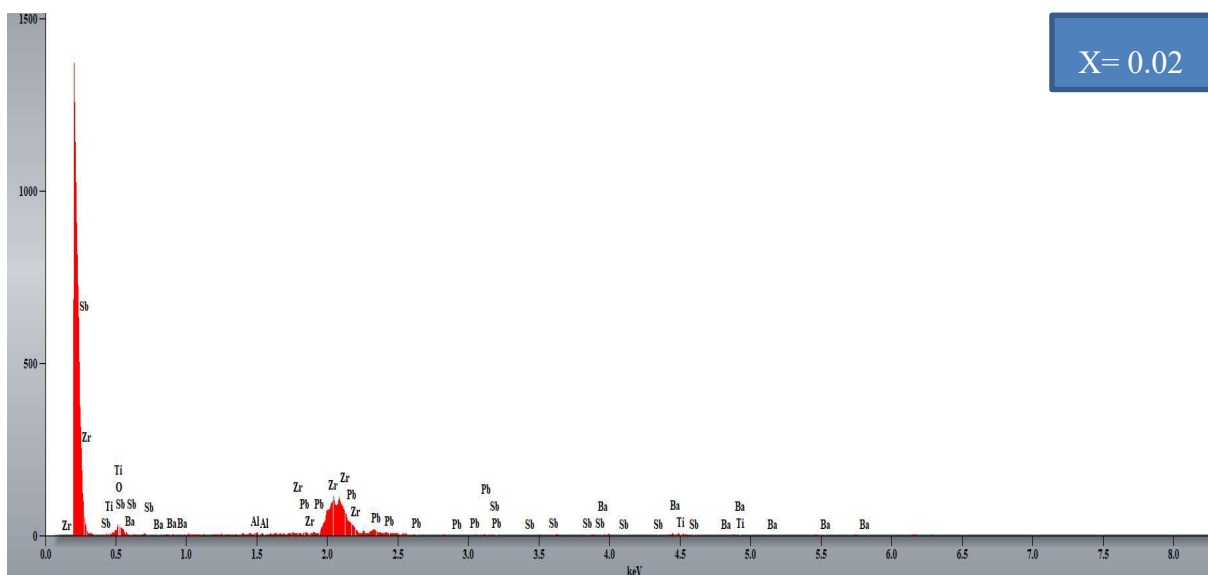
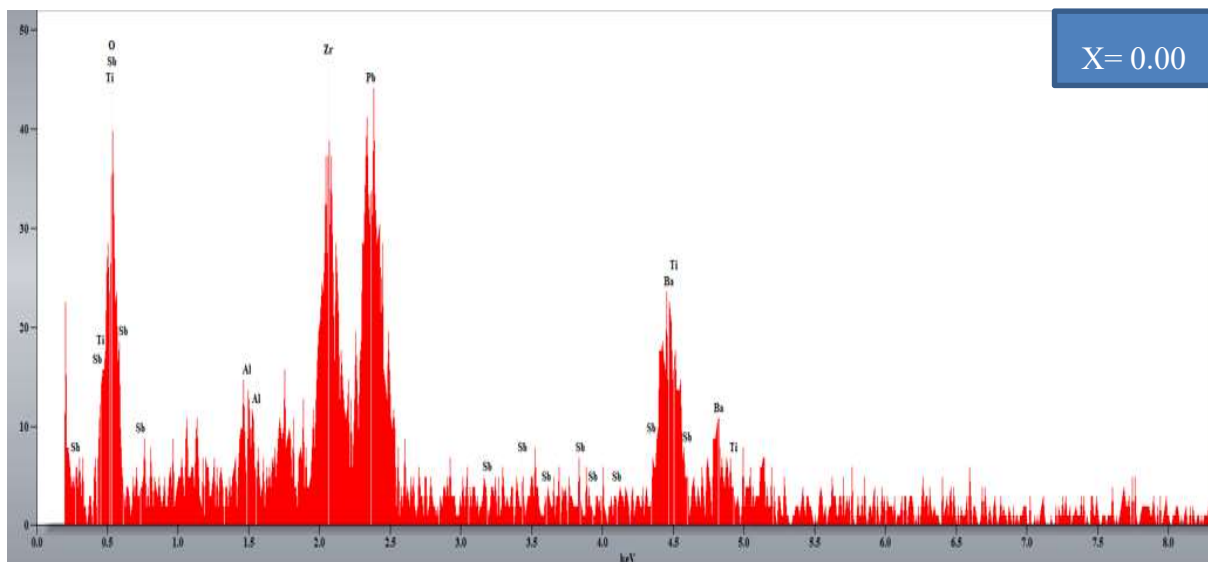
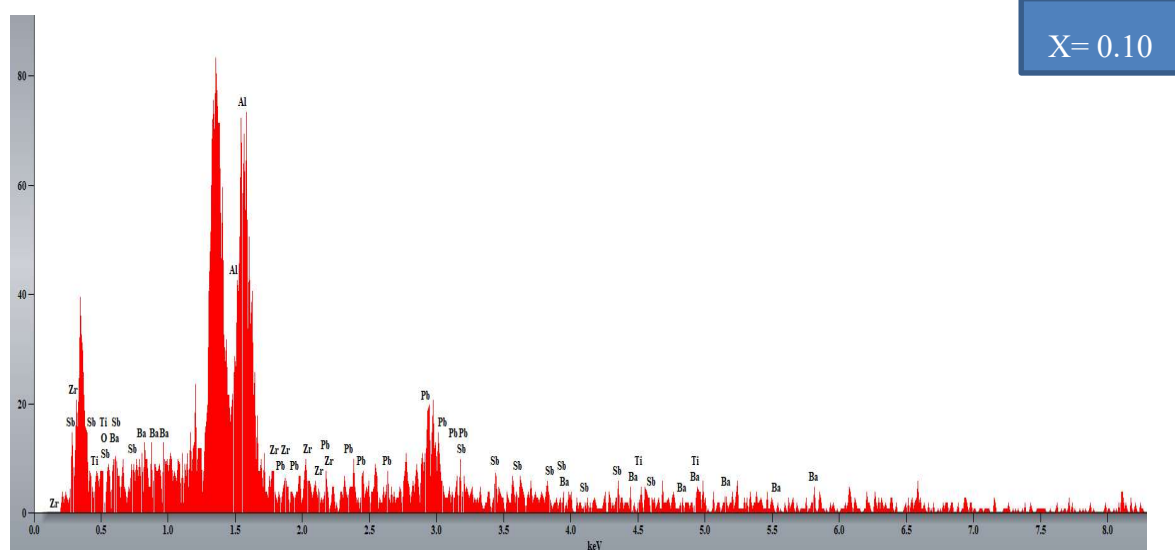
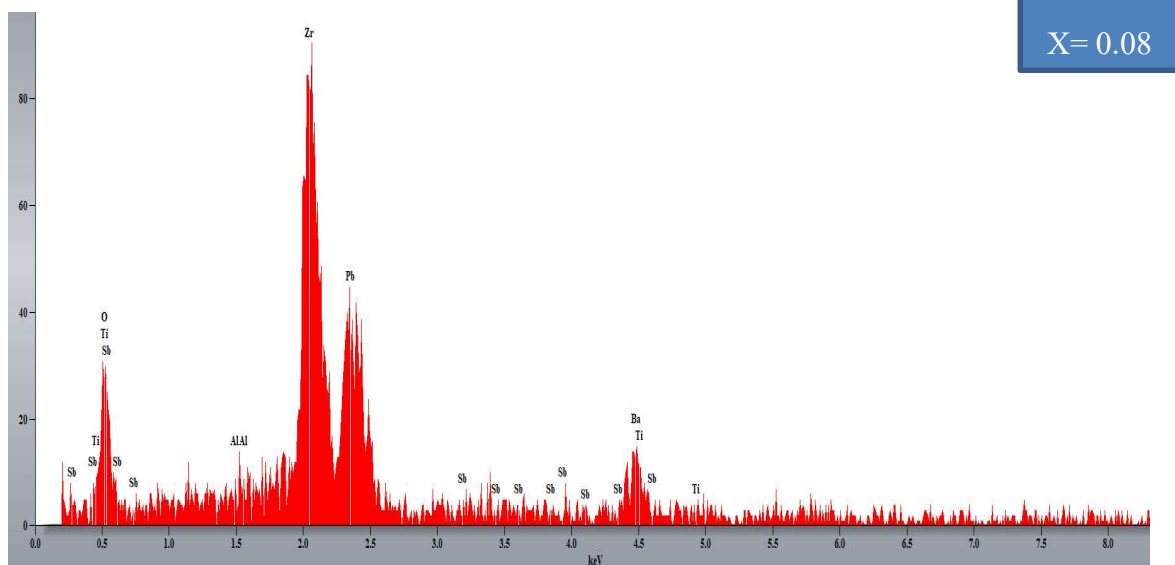
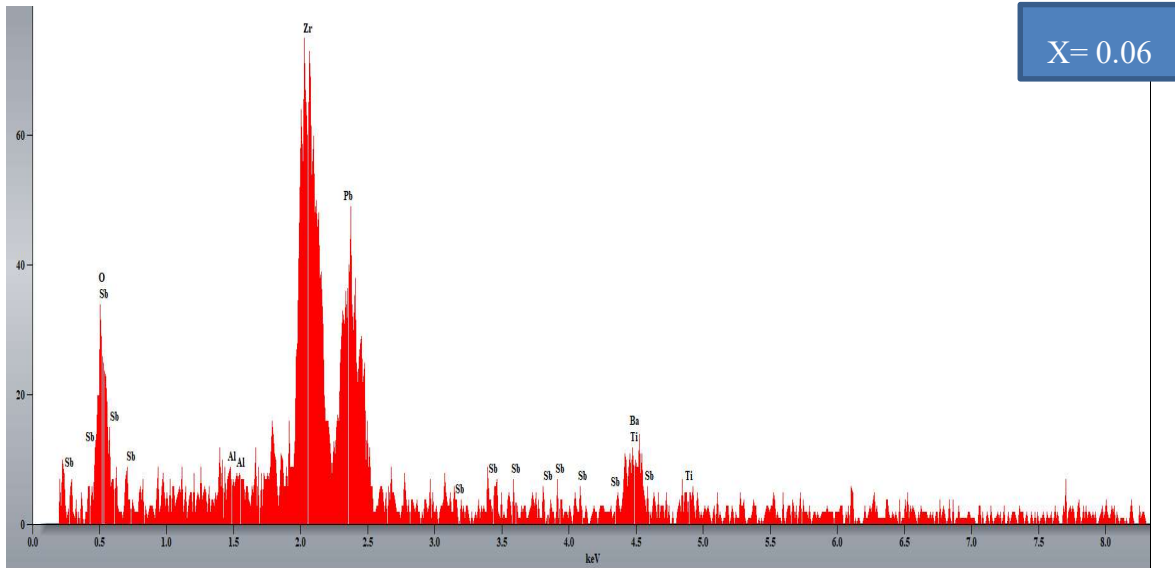


Figure III. 11: X-EDS spectrum for the sample of  $\text{Pb}_{1-X}\text{Ba}_X(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .



The rest of figure III.11.



### III.10 Conclusion

In conclusion, this chapter presented several results related to the structural and morphological properties of the samples. The following techniques were employed:

X-ray Diffraction XRD: XRD analysis confirmed that all the samples were pure. The crystal structure and phase composition of the ceramics were determined using this technique.

Scanning Electron Microscopy SEM: SEM imaging was performed to examine the surface morphology and determine the average grain size of the ceramics; we found that all the samples are homogeneous with a minimum porosity. This analysis provided also the average grain size of our pellets.

Fourier Transform Infrared Spectroscopy FTIR: FTIR spectroscopy was employed to investigate the chemical bonding and functional groups present in the ceramics. This technique has provided us the illustration of all the vibration modes of this type of ceramic.

Morphotropic Phase Boundary: we have discussed the morphotropic phase boundary, which refers to the boundary region between different phases in the material. The effects of composition and processing conditions on the phase boundary were explored.

The impact of temperature and the effect of substituting barium on the density of the pellets was investigated. The variations in density at different temperature ranges and different amounts of Barium compared to pure compositions were showing very interesting results.

The lattice parameters of the ceramics were determined. These parameters provide information about the unit cell dimensions and crystal structure, contributing to the understanding of the material's properties.

The tolerance factor, an important parameter for perovskite structures, was calculated. It helps determine the stability of the crystal lattice in the ceramics. EDS analysis results show that all the compositions are clearly pure with no secondary elements or impurities.

Generally, these results contribute to a comprehensive understanding of the compositional, microstructural, and structural properties of the  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics. They provide valuable insights for optimizing the materials' performance and tailoring their properties for specific applications.

**Chapter IV Effect of  
Barium substitution and  
various parameters on  
impedance spectroscopy  
and electrical properties of  
PZT based ceramics**

# **Chapter IV: Effect of Barium substitution and various parameters on impedance spectroscopy and electrical properties of PZT based ceramics**

## **IV.1 Introduction**

Dielectric, AC conductivity characteristics and impedance spectroscopy play an important role to understand the electrical behavior and performance of materials. These characteristics are often investigated using impedance spectroscopy, a powerful technique that provides valuable information about electrical properties. In this chapter, we present the interpretation and presentation of the results obtained from impedance spectroscopy measurements, focusing on the effects of barium substitution, temperature, and frequency on AC conductivity and dielectric properties.

Dielectric properties, such as permittivity and dielectric loss, are key parameters that determine the electrical response of materials to an applied electric field. Impedance spectroscopy allows us to measure and analyze the complex impedance, which consists of a real part (resistance) and an imaginary part (reactance). By studying the frequency-dependent behavior of the impedance. The AC conductivity is also an important parameter that characterizes the ability of materials to conduct alternating current. Impedance spectroscopy provides a comprehensive understanding of the frequency-dependent conductivity behavior, revealing insights into charge transport mechanisms and material performance.

The substitution of barium can significantly modify the dielectric response and conductivity behavior. Temperature is a critical parameter that strongly influences the dielectric and AC conductivity characteristics. By studying the temperature dependence of dielectric properties and AC conductivity, we can explore the thermal behavior and phase transitions of the materials. The response of materials to different frequencies reveals information about their polarization mechanisms and relaxation processes. We will examine the frequency dependence of dielectric properties. In this chapter we will analyze how different barium concentrations, temperatures, and frequencies affect the dielectric constant, dielectric loss, and AC conductivity, shedding light on the role of barium in modifying electrical properties.

In summary, this chapter focuses on the interpretation and presentation of dielectric and AC conductivity characteristics obtained through impedance spectroscopy. The effects of barium,

temperature, and frequency on the dielectric constant, dielectric loss, the real part, the imaginary part, and AC conductivity will be thoroughly investigated. These findings will contribute to a deeper understanding of the electrical behavior of  $Pb_{1-x}Ba_x(Zr_{0,52}Ti_{0,43}(Al_{0,5}Sb_{0,5})_{0,05})O_3$ .

## IV.2 Dielectric studies

To get an idea about the electrical properties of materials as a function of temperature and frequency, it is necessary to make the dielectric measurement. The two main electrical characteristics that we can take from the dielectric measurements are the capacity and the conductivity, one which is related to the insulation of materials and the other which is related to the transport of electronic charge, and from this analysis, we can determine the constant and the dielectric loss [147]. The equation in which we can calculate the dielectric constant is the following [105, 131]:

$$\epsilon_r = \frac{C_p * d}{\epsilon_0 * A} \quad (3.5)$$

Where  $C_p$  is the parallel capacitance, the thickness of the pellet is denoted by  $d$ ,  $A$  is a ceramic disc area and  $\epsilon_0$  is the free space permittivity ( $\epsilon_0 = 8,85 * 10^{-12} \text{F/m}$ ).

### IV.2.1 Dielectric constant and dielectric loss

The dielectric constant and dielectric loss are important parameters that describe the behavior of dielectric materials. These parameters are influenced by various factors, including temperature and frequency. In this explanation, we will discuss the effects of temperature and frequency on the dielectric constant and dielectric loss.

#### IV.2.1.1 The effect of temperature

Temperature has a significant impact on the dielectric constant and dielectric loss of materials. Typically, The dielectric constant increases with increasing temperature up to the Curie temperature, after which it begins to decrease, while the dielectric loss tangent  $\tan \delta$  usually exhibits an opposite trend. The decrease in the dielectric constant with temperature can be attributed to several factors, such as reduced polarization.

### IV.2.1.2 The effect of Frequency

The frequency of the applied electric field also affects the dielectric properties of materials. Dielectric constant and dielectric loss are frequency-dependent and their behavior can be described using frequency response curves.

Figure IV.1 represents the variation of the dielectric constant ( $\epsilon_r$ ) and dielectric loss ( $\text{tg}\delta$ ) of the  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ , where  $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$  sintered at  $1220\text{ }^\circ\text{C}$  as a function of temperature (300 K–700 K) at several selected frequencies (1, 2, 4, 6, 8, and 10 kHz). It can be seen that the dielectric constant gradually increases with the increase in temperature until the  $\epsilon_{r\text{ max}}$  which corresponds to a specific temperature, after this temperature, the dielectric constant will be strongly decreased which indicate ferroelectric phase transition [148], the temperature where the phase change from ferroelectric to paraelectric (cubic structure) is called the Curie Temperature TC or the phase transition temperature [21].

The highest dielectric constant was found at the Curie temperature  $\epsilon_{\text{max}}$ , which is probably due to the thermally activated electrons in the system [149]. We can observe also that the curie temperature is not changing as a function of frequency, indicating the normal ferroelectric characteristics [150, 151]. The dielectric constant  $\epsilon_r$  drops with increasing frequency which is a general characterization of polar dielectric materials [152], which indicates the presence of all types of polarizations at the same time (dipole, ionic, space charge, electronics, etc.) [119, 138]. Concerning the dielectric loss  $\text{tg}\delta$ , which have very small values, there is decreasing with increasing frequency, also the increase in the dielectric loss at high temperatures could be assigned to the increase in conductivity [153]. the Curie temperature TC, dielectric constant at curie temperature  $\epsilon_{\text{max}}$ , dielectric constant at room temperature  $\epsilon_{\text{RT}}$ , dielectric loss at curie temperature  $\text{tg}\delta_{\text{TC}}$ , dielectric loss at room temperature  $\text{tg}\delta_{\text{RT}}$  at a frequency of 1 kHz of PBZTAS with  $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$  are listed in table IV.I.

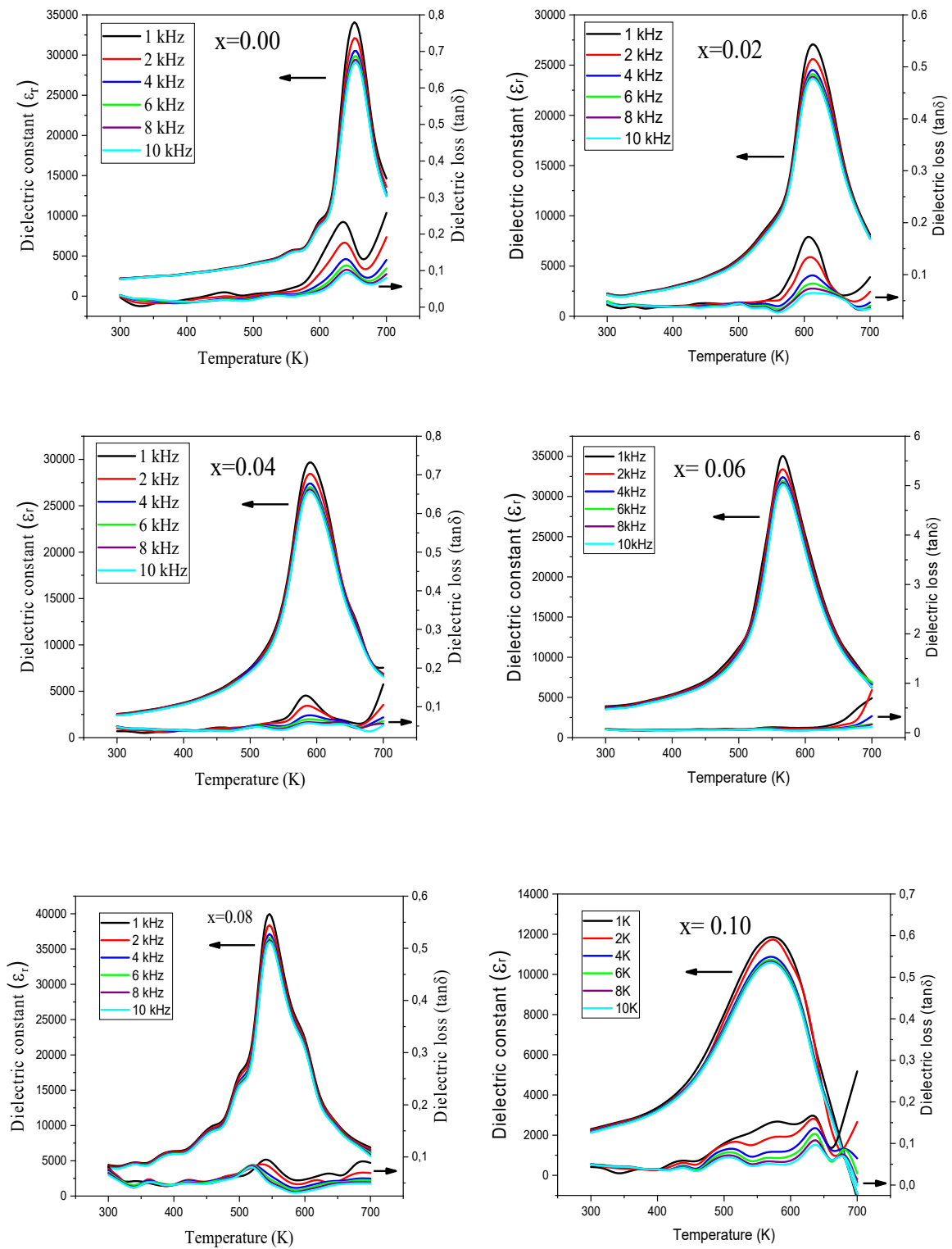


Figure IV. 1: Temperature dependence of Dielectric constant  $\epsilon_r$  and Dielectric loss ( $\tan\delta$ ) at different frequencies of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{1.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$

Table IV. 1: Variation of TC,  $\epsilon_{RT}$ ,  $\epsilon_{max}$ ,  $Tg\delta_{RT}$  and  $Tg\delta_{TC}$  of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$  at 1 kHz.

PBZTAS	TC	$\epsilon_{max}$	$\epsilon_{RT}$	$Tg\delta_{TC}$	$Tg\delta_{RT}$
X= 0.00	660	32497	2219	0.138	0.268
X= 0.02	620	26630	2264	0.065	0.046
X= 0.04	600	28787	2557	0.107	0.036
X= 0.06	560	33898	3895	0,070	0,065
X= 0.08	540	38800	4407	0.095	0.081
X= 0.10	560	12657	2313	0,051	0,049

#### IV.2.1.3 The effect of Barium substitution

Figure IV.2 shows the dielectric constant as a function of temperature at 1 kHz of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ . The compound which corresponds to the strongest dielectric response is that of  $x= 0.08$  ( $\epsilon_{max}= 38800$ ) which is much higher compared to previous studies [10, 147, 150]. The broadening of the dielectric peaks and the variation of the maximum value of the dielectric constant  $\epsilon_{Rmax}$  with the addition of  $Ba^{2+}$  content resulted from the origin of grain size variation and structural disorder [57].

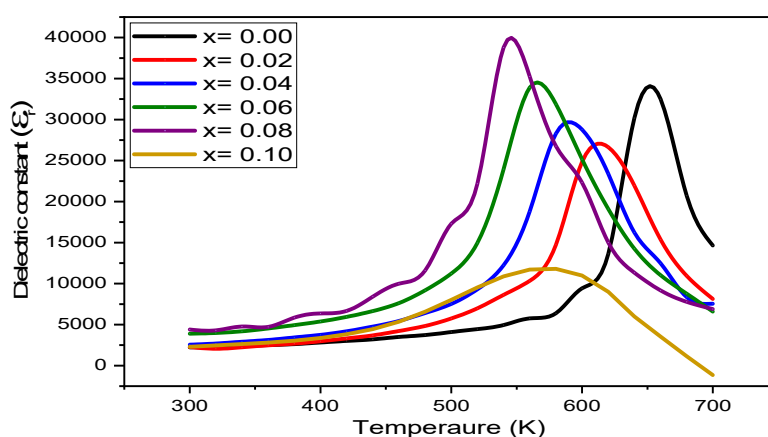


Figure IV. 2: Temperature dependence of Dielectric constant  $\epsilon'$  at 1 kHz of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

### IV.3 Curie temperature

One of the aims of this work is to find or determine the effect of the substitution of barium in all the proprieties, and one of these proprieties is the Curie temperature. Figure IV.3 shows the variation of the curie temperature as a function of the barium substitution. It's very clear that the Curie temperature of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramic decreases from 660 °C to 560 °C with the increase in the barium content, so it can be seen that the no-doped compositions have the highest Curie temperature (TC=660 °C) due to the interaction of the vacancies created by the  $\text{Ba}^{2+}$  ion and the reduction of the lattice vibrations [19, 154]. Which means that the barium substitution in our composition is not recommended for high-temperature applications [155].

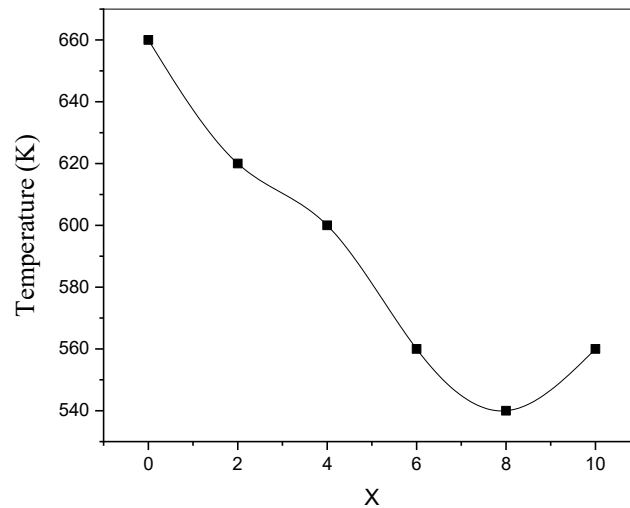


Figure IV. 3: Curie temperature dependent on barium substitution of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

### IV.4 Impedance spectroscopy

Impedance spectroscopy measurements involve applying an AC voltage to the material and measuring the resulting current as a function of frequency. The resulting impedance spectrum can be analyzed to extract information about the material's electrical properties, such as its capacitance, resistance, and conductivity.

#### IV.4.1 Nyquist plot

The Nyquist plot can be analyzed using equivalent circuit models to extract the electrical parameters of the material, such as the resistance and capacitance. These parameters can then



be used to model the behavior of the material under different conditions. Several studies have used Nyquist plots to analyze the electrical properties of various materials, including piezoelectric ceramics.

#### *IV.4.1.1 The effect of temperature and frequency on electrical properties*

An analysis using the impedance spectroscopy technique was performed for a series of compositions of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  base matrix ceramics in a frequency range and different temperatures to determine and evaluate the electrical behavior of our materials. Figure IV.4 shows the complex impedance spectra (Nyquist plot  $Z''$  VS  $Z'$ ) of the  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics where  $x = 0, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$  at a frequency range of 0.1 kHz to 1 MHz and at different temperatures. Impedance data for materials are typically plotted with each point representing a specific frequency. These spectra are defined by the presence of a semicircular arc that depends on temperature. From these curves, we have observed a single semi-circle which suggests that the electrical results are homogeneous [156]. We can suggest that the presence of a single depressed semi-circle is due to the mass property of the materials and indicates the existence of a non-Debye type relaxation [157]. Almost all the curves show semicircles, the semi-circles illustrated in the figures give an idea of the impedance properties of materials, which can be evaluated as a function of temperature. It is known that the appearance of two semicircles indicates the contribution of grain and grain boundaries, but when only one semicircle is found (which is what we found in this case) it suggests that the electrical properties of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics are mostly determined by the grain [6]. Consequently, the equivalent circuit we have chosen for all samples can be considered as consisting of a bulk resistance  $R_b$  and a bulk capacitance  $C_b$  connected in parallel [158]. In the case of ceramics and when we have obtained a single semicircle, the intersection of this semicircle with the x-axis which presents the real part of the impedance ( $Z'$ ) is considered as the bulk resistor of the ceramic [159]. It is clear that the diameter of the semicircles is reduced with the increase of the temperature, therefore the resistivity will be increased and consequently the increasing of conductivity. On the other hand, from the point of view of the effect of barium substitution, we observed that each time we increased the quantity of barium the curve took the shape of a semicircle. Several studies have investigated the impedance spectroscopy of PZT ceramics, A Kumari et al.(2021) [160] performed impedance spectroscopy measurements on ferromagnetic ceramics in the frequency range of 100 Hz to 7 MHz. They observed a single semicircle in the impedance spectrum, which they attributed to

the grain boundary contribution. The authors also studied the temperature dependence of the impedance spectra and observed a decrease in the resistance and an increase in the conductivity with increasing temperature. In another study, Pin-Yi Chen et al [161] investigated the impedance spectroscopy of Ferroelectric ceramics in the range of frequency of 0.1 KHz–1 MHz. They found that the impedance spectrum consisted of two semicircles, which could be attributed to the grain and grain boundary contributions. The authors also performed equivalent circuit analysis to extract the electrical parameters of the material, such as the resistance and capacitance. SC PANIGRAHI et al [162]. (2021) used Nyquist plots to investigate the effect of  $Gd^{+3}$  doped on the electrical properties of PZT-based ceramics. They found that semicircles are depressed; indicating the presence of non-Debye-type of relaxation, the existence of a single semicircle is related to the mass property of the materials

In a recent study, K. Rama Rao et al.(2021) [163] investigated the impedance spectroscopy of PZT ceramics with varying amounts of  $Sn^{4+}$  ion dopant. They show the non-Debye kind of relaxation process. Cole-Cole plots reveal the contribution of grain and grain boundary to the conduction process. The authors also observed a decrease in the resistance and an increase in the capacitance with increasing of  $Sn^{4+}$  ion doping.

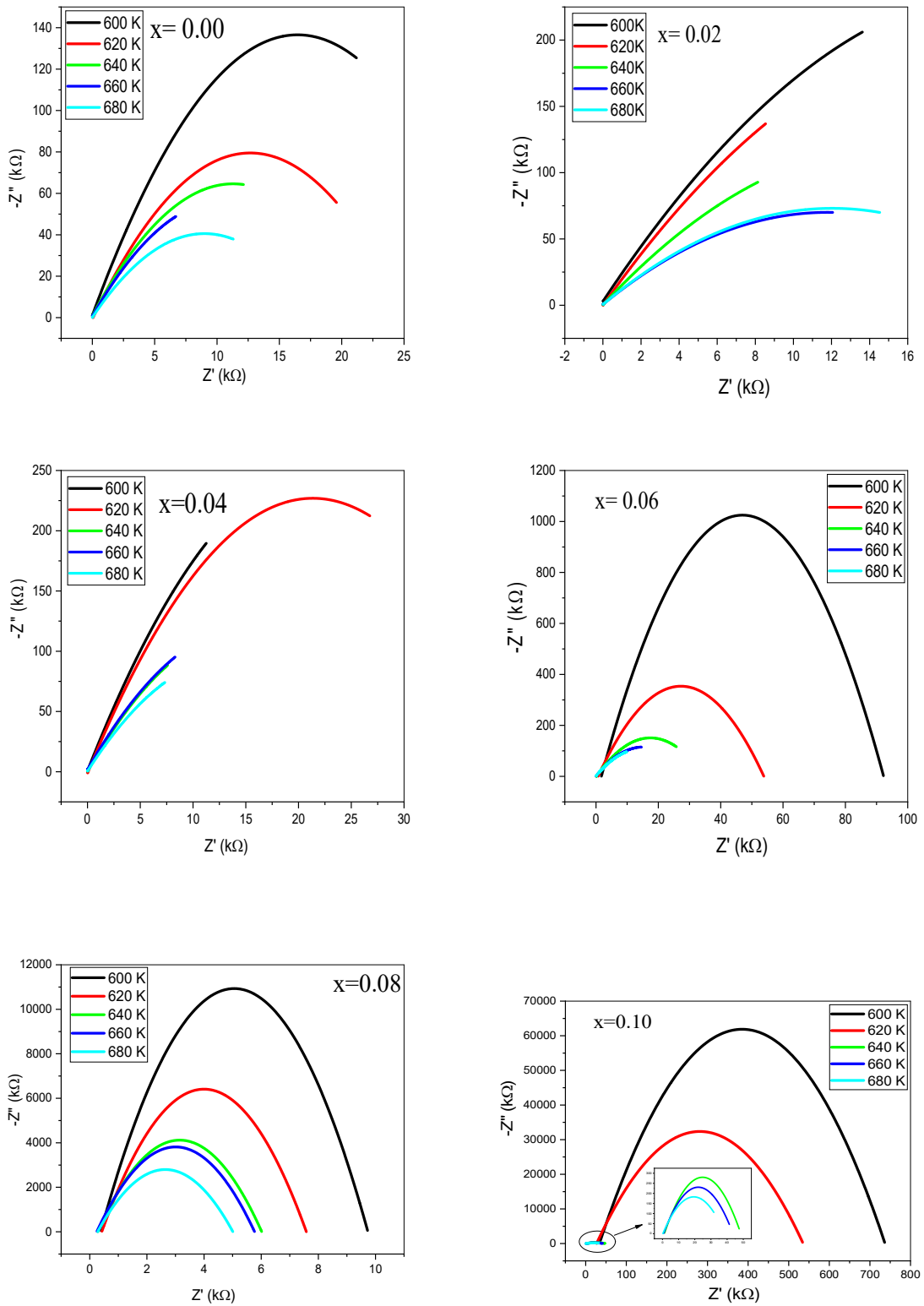


Figure IV. 4:  $Z''$  depending on  $Z'$  at different temperatures of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

## IV.4.2 Bode plots

### IV.4.2.1 The Real Part

The variation of the real part of the impedance  $Z'$  depends on the frequency for several temperatures for all compositions has been illustrated in Figure IV.5. It can be seen at low frequencies that the amplitude of  $Z'$  reduces with an increase in temperature, demonstrating negative temperature coefficient of resistance behavior NTCR [158], the negative temperature coefficient of resistance NTCR refers to the variation in resistance of a material as a function of temperature, with an inverse dependency. In other words, as temperature increases, resistance decreases. In an NTCR, the electrical conductivity of the material increases as the temperature rises. This may be due to charge carrier mobility effects or to changes in the crystalline structure of the material. As a result, the electrical resistance of NTCR decreases with increasing temperature. It should be noted that the term 'negative temperature coefficient' can also be applied to other physical quantities, such as thermal conductivity, where an increase in temperature results in a decrease in thermal conductivity [164, 165]. This behavior will change radically at high frequencies, the value of the real part  $Z'$  for all temperatures will be completely merged above a specific frequency ( $f = 30$  KHz) which clearly indicates the possibility of the eventual release of the space charge [166], we can consider this phenomenon as an electrical phenomenon that occurs in certain dielectric or insulating materials. When an insulating material is subjected to an external electric field, electric charges can move and accumulate at the interface between the material and the electric field, creating a region known as a "space charge". Furthermore, it is interesting to realize that the value of  $Z'$  strongly depends on the Barium content in our composition, it was found that the value of  $Z'$  for  $x=0.00$  (without barium doping) at each temperature and frequency is low compared to the other compositions and begins to increase progressively (except  $x= 0.02$  and  $x=0.08$ ) with increasing barium content.

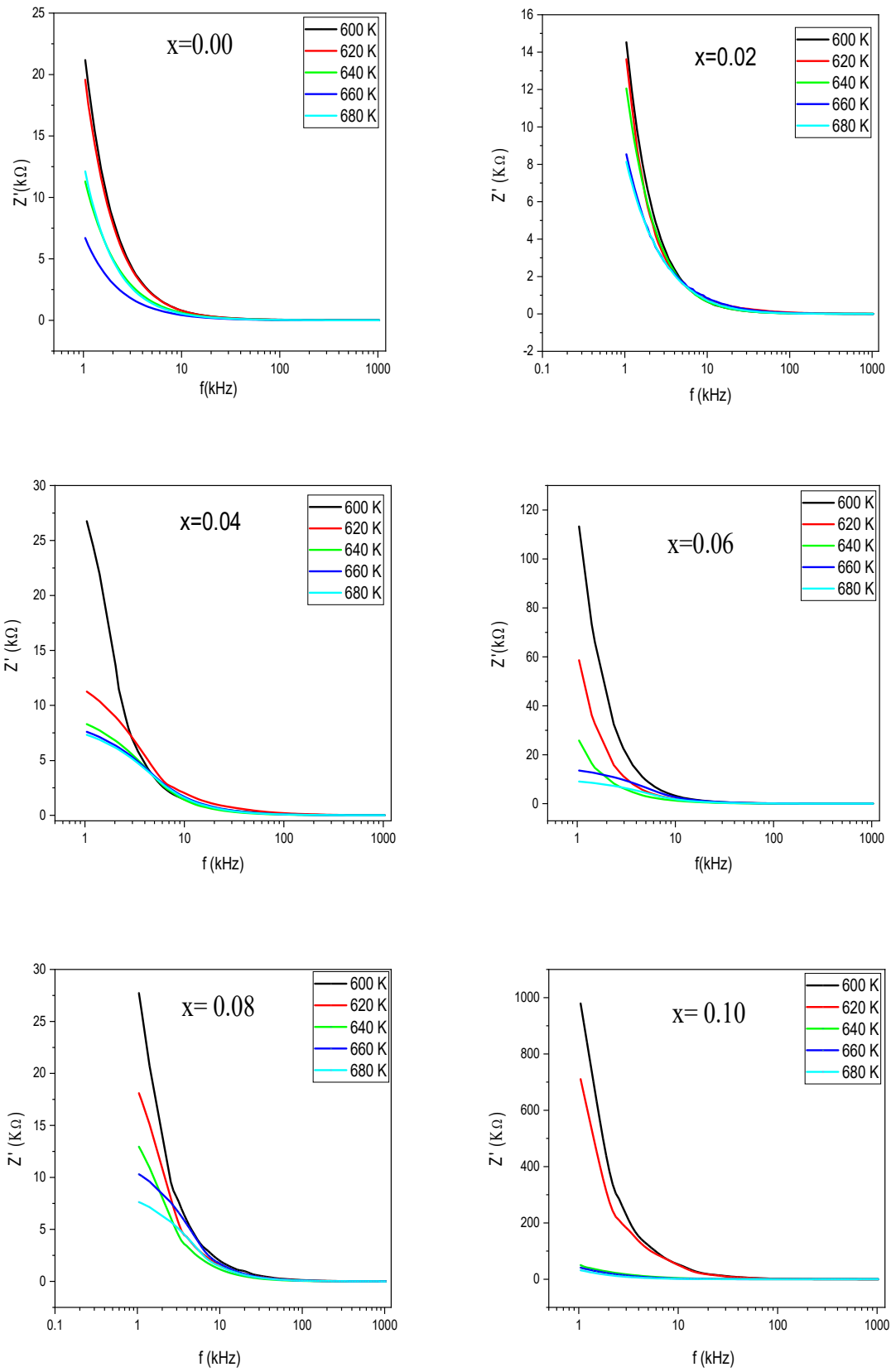


Figure IV. 5: Variation of  $Z'$  with frequency at different temperatures of of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{10.5}Sb_{0.5})_{0.05})O_3$ .

#### *IV.4.2.2 The Imaginary Part*

Concerning the imaginary part of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  and their variation as a function of frequency and temperature are illustrated in Figure IV.6. First, we noticed that the imaginary part  $Z''$  decreased with increasing temperature due to the absence of mobile electrons at the examined temperatures [167]. This type of plot gives an idea of the electrical processes involved and the relaxation frequency of the most resistive component. Dispersion at a low frequency and merging at a higher frequency, this is what characterizes this pattern, which is due to the presence of a space charge polarization at a lower frequency and its elimination at a higher frequency [162]. However, it can be said that this style of dispersion and merging of  $Z''$  of all compositions at lower and higher frequencies respectively is due to the release of space charges as a result of a reduction in the barrier properties of the material with increasing temperature, can also be seen as an important factor in encouraging temperature-dependent increases in AC conductivity at higher frequencies [168].

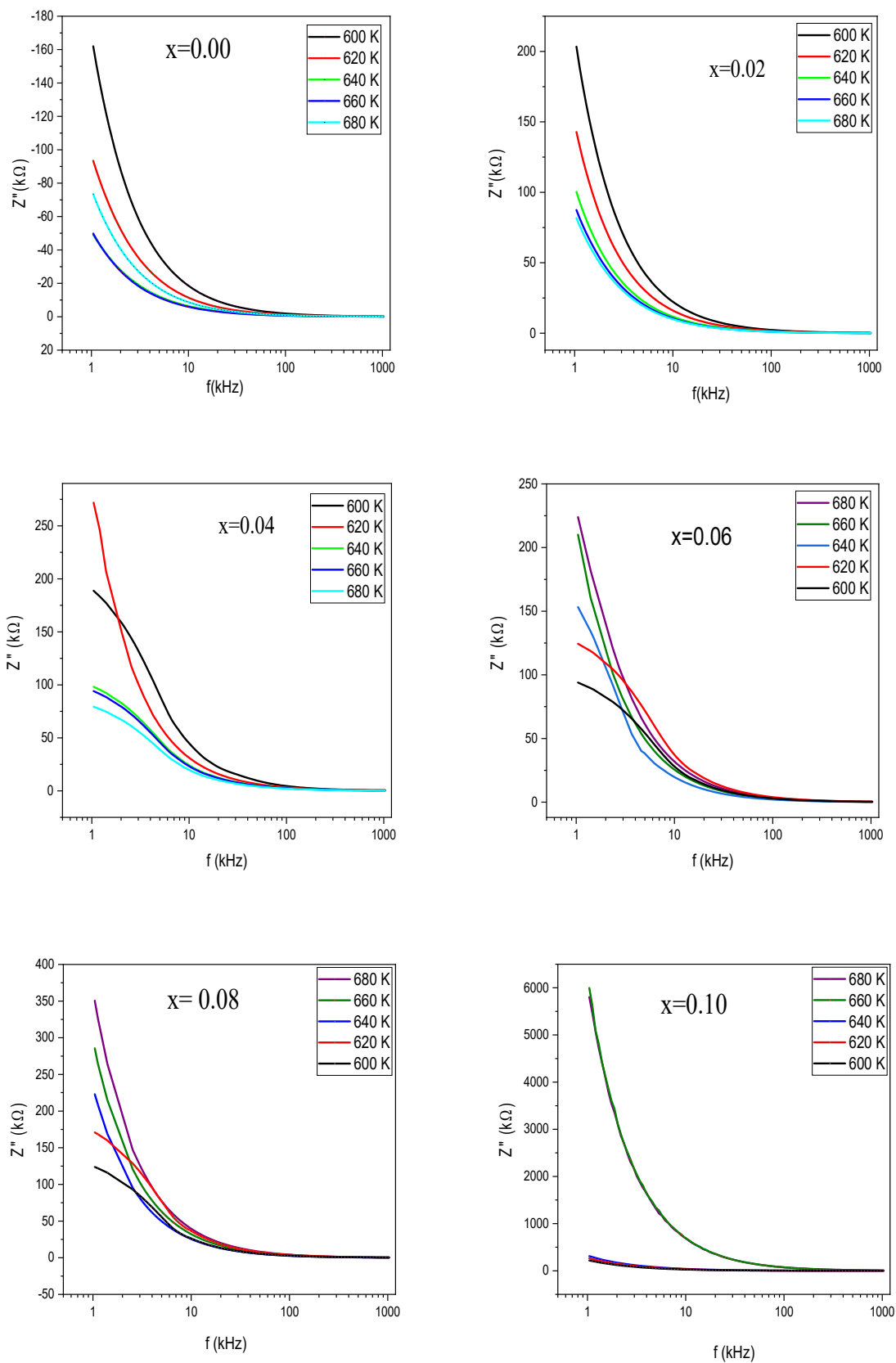


Figure IV. 6: Frequency–temperature dependence of  $Z''$  of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

## IV.5 AC conductivity

It is challenging to define the movement of charge carriers in ceramic materials because a variety of complex dynamic processes are involved. However, conductivity can be described as an acceptable proxy for the electrical properties of the materials under study. It is well known that PZT ceramics have a p-type conductivity (hole-type conduction), caused by the loss of Pb due to the high volatility of PbO during the sintering process [115, 169]. The AC conductivity of PZT ceramics refers to their ability to conduct electrical current under the influence of an alternating current (AC) electrical field.

### IV.5.1 The evolution of AC conductivity as function of temperature

The AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  can be influenced by various factors, including temperature, composition, and frequency. Figure IV.7 demonstrates the AC Conductivity  $\sigma_{AC}$  as a function of the inverse of temperature  $1000/T$  at different frequencies for all compositions. Around the Curie temperature, the conductivity increases, indicating an increase in  $\tan \delta$  and the polarizability of the material, which was suggested in the same study that it made by S C PANIGRAHI et al [162], but when the Curie temperature is exceeded, the conductivity takes the form of a straight line, suggesting behavior typical of the DC component of conductivity [119].



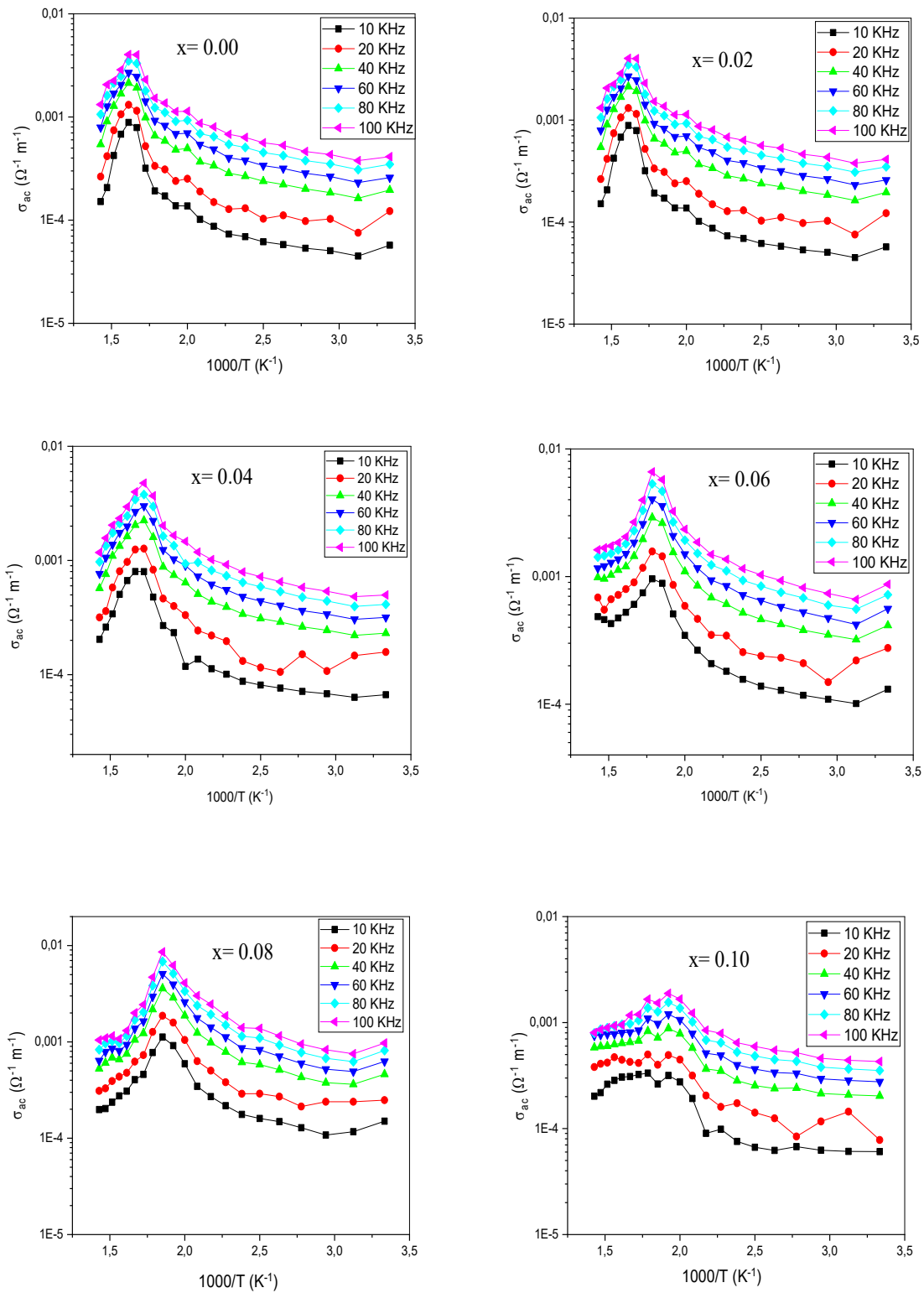


Figure IV. 7: Temperature–frequency dependence of ac conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$ .

### IV.5.2 The evolution of AC conductivity as function frequency

Figure IV.8 reveals the frequency dependent AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  at different temperature ranges. AC conductivity  $\sigma_{ac}(\omega)$  is related to the total conductivity  $\sigma_t(\omega)$  and dc conductivity  $\sigma_{dc}$  according to the relation [170, 171]

$$\sigma_{ac}(\omega) = \sigma_t(\omega) - \sigma_{dc} \quad \text{IV.2}$$

The AC component is determined by subtracting the dc component from the total conductivity. However, the dc component  $\sigma_{dc}$  is insignificantly small compared to  $\sigma_t(\omega)$ . Therefore,  $\sigma_t(\omega)$  can be considered as  $\sigma_{ac}(\omega)$  [172]. In general, the AC conductivity of the dielectric material can be calculated using the following equation [173]:

$$\sigma_{ac} = \omega \cdot C \cdot \text{tg}\delta \cdot (d/a) \quad \text{IV.3}$$

where  $\omega$  represents the angular frequency,  $C$  is capacitance,  $\text{tg}\delta$  represents dielectric loss, and  $d$  and  $a$  denote the thickness and area of the sample, respectively. The equation suggests that the AC conductivity changes slowly at lower frequencies, while at higher frequencies (>100 kHz), the AC conductivity becomes more strongly dependent on the frequency.

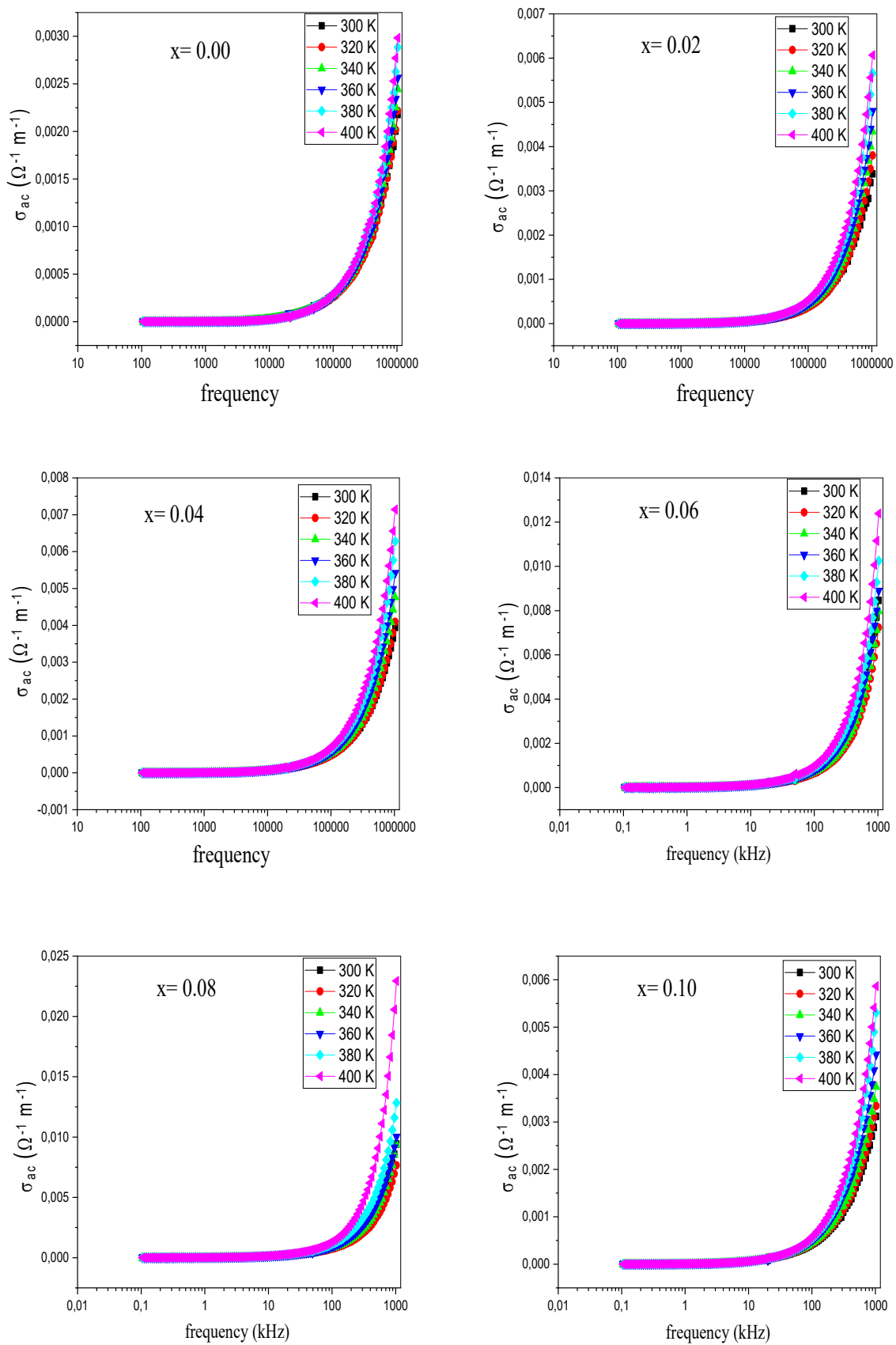


Figure IV. 8: The AC conductivities of  $Pb_{1-x}Ba_x(Zr_{0.52}Ti_{0.43}(Al_{0.5}Sb_{0.5})_{0.05})O_3$ .

### IV.5.3 The Barium effect on AC conductivity

Figure IV.9 demonstrate the AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  as a function of barium concentration, it is clear that the Barium substitution can have a significant effect on their AC conductivity. When barium Ba is substituted for some of the lead Pb, it alters the crystal structure and electrical properties of the material. Barium substitution can modify the oxygen vacancies and defect concentrations in the crystal lattice, thereby affecting the electrical conductivity. The AC conductivity is primarily governed by two conduction mechanisms [174, 175]: electronic conduction and ionic conduction. Electronic conduction involves the movement of free electrons, while ionic conduction involves the migration of charged species, typically oxygen vacancies. So we can suggest that the AC conductivity can be tailored by adjusting the barium content and optimizing the composition to achieve the desired electrical properties [176]. It is worth noting that other factors, such as temperature, sintering conditions, and the presence of dopants, can also influence AC conductivity. Therefore, comprehensive experimental studies [177, 178] and characterization techniques are typically necessary to understand and quantify the specific impact of barium substitution on the AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics.

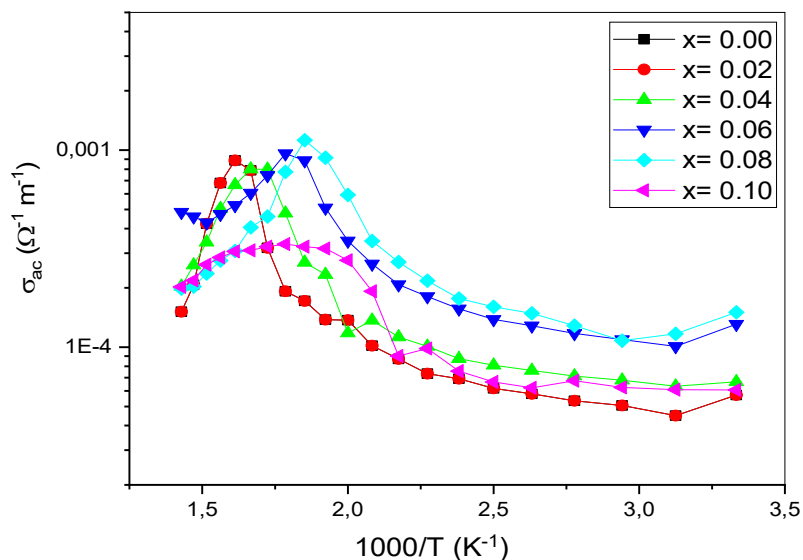


Figure IV. 9: Barium amount dependence of AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics.

## IV.6 Conclusion

In conclusion, this chapter presented an in-depth analysis of the dielectric and AC conductivity characteristics using impedance spectroscopy. The following key results were obtained:

Bode and Nyquist diagrams were utilized to visualize the impedance behavior. The Nyquist diagram provided information on the complex impedance and allowed the determination of the material's electrical properties. The real and imaginary parts of impedance were investigated as a function of temperature and frequency. At low frequencies the amplitude of  $Z'$  reduces with an increase in temperature, demonstrating a negative temperature coefficient of resistance behavior NTCR, and this behavior will change radically at high frequencies, the value of the real part  $Z'$  for all temperatures will be completely merged above a specific frequency ( $f = 30$  KHz) which clearly indicates the possibility of the eventual release of the space charge. We also noticed that the imaginary part  $Z''$  decreased with increasing temperature due to the absence of mobile electrons at the examined temperatures. The permittivity and dielectric loss were calculated from the impedance measurements. The permittivity represented the material's ability to store electrical energy.

Finally, the results presented in this chapter provided a comprehensive understanding of the dielectric and AC conductivity characteristics of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  ceramics. The temperature and frequency dependencies, as well as the effects of barium substitution, were thoroughly analyzed. These findings contribute to the broader knowledge of impedance spectroscopy and its application in characterizing dielectric materials.

# General conclusion

## General conclusion

This doctoral thesis, the  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0,52}\text{Ti}_{0,43}(\text{Al}_{0,5}\text{Sb}_{0,5})_{0,05})\text{O}_3$  ceramics where ( $x = 0.00, 0.02, 0.04, 0.06, 0.08, \text{ and } 0.10$ ) have been successfully prepared using the solid-state reaction method, we successfully investigated the characteristics of this type of ceramic and providing valuable insights into their, dielectric, and AC conductivity behavior. The combination of extensive literature research and practical experimentation allowed for a comprehensive understanding the electrical behavior.

The main results and objectives we were hoping to achieve include:

XRD results show all the peaks are corresponding to perovskite structures, so we conclude that the perovskite structure was successfully formed for each composition studied without any detectable secondary phase, so the indication of the  $\text{Ba}^{2+}$  ions are well incorporated in the crystal lattice. The deconvolution of the peaks situated between  $42^\circ$  and  $47^\circ$  by using the Gaussian function which helps us to observe three small peaks corresponding to the (002) and (200) of the Tetragonal phase T and (200) of the Rhombohedral phase R, suggesting the coexistence of two phases T+R at the same time, meaning that we are in the region of the MPB. The FTIR results are consistent with the XRD results above and confirmed that the perovskite structure was successfully formed.

The results of the tolerance factor are in the range of 0.9968 and 1.0001 which indicate the stability of the perovskite structure, in addition, the increase of  $\text{Ba}^{+2}$  amounts brings the tolerance factor close to 1, which makes the perovskite structure more stable. The effect of Barium substitution on density is significantly clear, in that the density of the pellets increases with increasing Barium content, reaching up to  $7.17 \text{ g/cm}^3$ . The SEM micrographs of the specimens sintered demonstrate that the microstructure of the studied samples is dense and composed of grains of different shapes and relatively small sizes, showing that the samples are denser and therefore less porous.

The variation of the dielectric constant  $\epsilon_r$  and dielectric loss  $\text{tg}\delta$  demonstrate that the dielectric constant gradually increases with an increase in temperature until the TC after that the dielectric constant will be strongly decreased which indicates ferroelectric phase transition, The highest dielectric constant was found at the Curie temperature  $\epsilon_{\text{max}}$ , which is probably due to the thermally activated electrons in the system. The dielectric constant  $\epsilon_r$

drops with increasing frequency which is a general characterization of polar dielectric materials which indicates the presence of all types of polarizations. Concerning the dielectric loss  $\text{tg}\delta$ , which has very small values, there is decreasing with increasing frequency, also the increase in the dielectric loss at high temperatures could be assigned to the increase in conductivity. It is very clear that the Curie temperature ceramic decreases from 660 °C to 560 °C with the increase in the barium content, which means that the barium substitution in our composition is not recommended for high-temperature applications.

From the Nyquist plot, we can suggest from the presence of a single depressed semi-circle is due to the mass property of the materials and indicates the existence of a non-Debye type relaxation. It can be seen from the variation of the real part of the impedance  $Z'$  depends on the frequency for several temperatures, that at low frequencies the amplitude of  $Z'$  reduces with an increase in temperature, demonstrating a negative temperature coefficient of resistance behavior NTCR, this behavior will change radically at high frequencies, the value of the real part  $Z'$  for all temperatures will be completely merged which clearly indicates the possibility of the eventual release of the space charge.

We noticed too that the imaginary part  $Z''$  decreased with increasing temperature due to the absence of mobile electrons at the examined temperatures. Around the Curie temperature, the conductivity increases, indicating an increase in  $\tan \delta$  and the polarizability of the material. The effect of barium substitution on AC conductivity depends on the concentration of barium and the specific composition of our material. In general, increasing barium content can lead to changes in the AC conductivity

In conclusion, our research work has yielded significant results, and we have successfully achieved our research objectives. The results obtained in this study provide valuable insights into the characteristics of barium-doped PZT ceramics and contribute to the existing knowledge base in this field of research. Extensive analysis and experimental research have concluded that barium has a major influence on the various properties and characteristics of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0,52}\text{Ti}_{0,43}(\text{Al}_{0,5}\text{Sb}_{0,5})_{0,05})\text{O}_3$  ceramics, these results underscore the importance and highlight its potential applications in various fields.

Additionally, our research work has addressed several research gaps and generated new perspectives for future investigations. Overall, this study significantly advances our understanding of PZT-based materials and their properties and sets the stage for further research and development in this area." We therefore hope also that every researcher in this



field will benefit from this modest work, so that it will provide at least a small helping hand to develop and give a new idea in this specialization of scientific research.

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# Annexes

Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.00$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
<b>300</b>	2218,5	2196,06	2157,3	2138,94	2124,66	2113,44
<b>320</b>	2290,92	2293,98	2278,68	2262,36	2250,12	2241,96
<b>340</b>	2409,24	2423,52	2403,12	2388,84	2379,66	2367,42
<b>360</b>	2503,08	2518,38	2514,3	2503,08	2492,88	2483,7
<b>380</b>	2621,4	2605,08	2593,86	2591,82	2588,76	2583,66
<b>400</b>	2817,24	2791,74	2786,64	2782,56	2777,46	2770,32
<b>420</b>	3011,04	2985,54	2967,18	2962,08	2956,98	2949,84
<b>440</b>	3209,94	3172,2	3150,78	3141,6	3134,46	3126,3
<b>460</b>	3491,46	3450,66	3410,88	3396,6	3388,44	3379,26
<b>480</b>	3729,12	3689,34	3649,56	3634,26	3625,08	3618,96
<b>500</b>	4100,4	4055,52	4001,46	3982,08	3966,78	3957,6
<b>520</b>	4455,36	4390,08	4323,78	4291,14	4267,68	4249,32
<b>540</b>	4954,14	4874,58	4790,94	4753,2	4725,66	4703,22
<b>560</b>	5757,9	5672,22	5587,56	5545,74	5517,18	5495,76
<b>580</b>	6385,2	6273	6172,02	6127,14	6092,46	6066,96
<b>600</b>	9437,04	9131,04	8902,56	8813,82	8754,66	8709,78
<b>620</b>	13617	13035,6	12597	12444	12321,6	12250,2
<b>640</b>	30181,8	28152	26622	26010	25591,8	25296
<b>660</b>	32497,2	30906	29549,4	28957,8	28539,6	28233,6
<b>680</b>	20716,2	19839	19176	18910,8	18727,2	18584,4
<b>700</b>	14647,2	13606,8	12892,8	12648	12495	12393



Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.02$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
300	2264,46	2227,96	2178,32	2159,34	2130,14	2121,38
320	2057,14	2026,48	1984,14	1963,7	1949,1	1935,96
340	2235,26	2203,14	2157,88	2135,98	2118,46	2105,32
360	2477,62	2445,5	2398,78	2373,96	2354,98	2340,38
380	2683,48	2639,68	2591,5	2568,14	2547,7	2533,1
400	2976,94	2922,92	2876,2	2849,92	2828,02	2811,96
420	3314,2	3254,34	3198,86	3168,2	3146,3	3127,32
440	3687,96	3619,34	3555,1	3524,44	3501,08	3482,1
460	4223,78	4144,94	4063,18	4023,76	3996,02	3974,12
480	4839,9	4743,54	4644,26	4597,54	4563,96	4537,68
500	5752,4	5638,52	5511,5	5450,18	5402	5365,5
520	6986,1	6831,34	6670,74	6602,12	6555,4	6521,82
540	8631,52	8427,12	8227,1	8139,5	8082,56	8041,68
560	10339,72	10123,64	9938,22	9855	9798,06	9755,72
580	14746	14289,02	13957,6	13848,1	13753,2	13671,44
600	24820	23593,6	22703	22352,6	22119	21943,8
620	26630,4	25214,2	24119,2	23725	23462,2	23272,4
640	21943,8	21170	20396,2	20016,6	19768,4	19578,6
660	15359,2	15038	14687,6	14493,42	14321,14	14210,18
680	10951,46	10766,04	10612,74	10549,96	10493,02	10446,3
700	8135,12	7951,16	7811	7758,44	7720,48	7689,82

Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.04$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
300	2556,68	2519,65	2455,25	2431,1	2405,34	2387,63
320	2695,14	2643,62	2580,83	2555,07	2532,53	2514,82
340	2917,32	2854,53	2806,23	2774,03	2749,88	2728,95
360	3133,06	3100,86	3039,68	3007,48	2981,72	2960,79
380	3427,69	3397,1	3332,7	3298,89	3273,13	3252,2
400	3756,13	3704,61	3649,87	3616,06	3588,69	3566,15
420	4184,39	4116,77	4049,15	4015,34	3987,97	3965,43
440	4762,38	4673,83	4585,28	4546,64	4516,05	4488,68
460	5440,19	5324,27	5229,28	5184,2	5148,78	5121,41
480	6407,8	6269,34	6129,27	6068,09	6023,01	5989,2
500	7521,92	7401,17	7422,1	7172,55	7261,1	7092,05
520	9300,97	9073,96	8816,36	8700,44	8615,11	8553,93
540	12240,83	11896,29	11585,56	11458,37	11368,21	11305,42
560	18804,8	18257,4	17758,3	17532,9	17388	17275,3
580	28287,7	27160,7	26243	25888,8	25647,3	25454,1
600	28786,8	27595,4	26532,8	26162,5	25888,8	25663,4
620	23393,3	22652,7	21847,7	21525,7	21284,2	21091
640	16228,8	16325,4	16033,99	15634,71	15464,05	15304,66
660	12469,45	12155,5	11886,63	11627,42	11558,19	11439,05
680	8354,29	8431,57	8405,81	8246,42	8227,1	8151,43
700	7546,07	6903,68	6731,41	6671,84	6634,81	6573,63

Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.06$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
<b>300</b>	3895	3740,84	3675,24	3588,32	3567	3524,36
<b>320</b>	3986,84	3862,2	3768,72	3706,4	3675,24	3645,72
<b>340</b>	4190,2	4070,48	3954,04	3885,16	3857,28	3827,76
<b>360</b>	4528,04	4446,04	4331,24	4259,08	4234,48	4206,6
<b>380</b>	4934,76	4819,96	4696,96	4634,64	4598,56	4564,12
<b>400</b>	5379,2	5267,68	5126,64	5062,68	5016,76	4985,6
<b>420</b>	5943,36	5803,96	5654,72	5577,64	5543,2	5497,28
<b>440</b>	6650,2	6481,28	6307,44	6215,6	6169,68	6120,48
<b>460</b>	7617,8	7414,44	7232,4	7122,52	7070,04	7017,56
<b>480</b>	9190,56	8828,12	8596,88	8454,2	8378,76	8316,44
<b>500</b>	11225,8	10979,8	10653,44	10445,16	10356,6	10274,6
<b>520</b>	14960,08	14538,6	14056,44	13779,28	13641,52	13493,92
<b>540</b>	23960,4	22992,8	21992,4	21484	21254,4	21041,2
<b>560</b>	33898,8	32750,8	31684,8	31192,8	30963,2	30750
<b>580</b>	31881,6	30946,8	30110,4	29700,4	29520	29356
<b>600</b>	25174	24534,4	23829,2	23501,2	23337,2	23189,6
<b>620</b>	19089,6	18532	17990,8	17695,6	17580,8	17449,6
<b>640</b>	14253,24	13972,8	13564,44	13329,92	13228,24	13111,8
<b>660</b>	11029	10722,32	10438,6	10277,88	10207,36	10131,92
<b>680</b>	8772,36	8544,4	8386,96	8229,52	8163,92	8101,6
<b>700</b>	6597,6	6691,6	6616,8	6869,96	6209,04	6272

Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.08$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
300	4406,67	4230,54	4115,97	4052,7	4013,37	3963,78
320	4298,94	4182,66	4102,29	4040,73	4001,4	3968,91
340	4770,9	4697,37	4618,71	4555,44	4516,11	4481,91
360	4719,6	4606,74	4487,04	4423,77	4377,6	4341,69
380	5849,91	5747,31	5586,57	5511,33	5454,9	5407,02
400	6362,91	6255,18	6121,8	6038,01	5988,42	5945,67
420	6672,42	6503,13	6349,23	6267,15	6209,01	6164,55
440	8414,91	8226,81	8021,61	7915,59	7843,77	7785,63
460	9986,4	9705,96	9468,27	9345,15	9263,07	9187,83
480	11604,06	11274,03	10957,68	10798,65	10684,08	10598,58
500	17305,2	16841,79	16262,1	15974,82	15755,94	15588,36
520	22178,7	21460,5	20622,6	20195,1	19870,2	19630,8
540	38799,9	37226,7	35927,1	35397	35037,9	34781,4
560	35260,2	34131,6	33208,2	32832	32558,4	32387,4
580	26761,5	26163	25615,8	25376,4	25239,6	25102,8
600	22315,5	21836,7	21340,8	21152,7	20998,8	20879,1
620	15003,54	14521,32	14146,83	13992,93	13890,33	13801,41
640	11333,88	11229,57	10860,21	10711,44	10602	10528,47
660	9158,76	8926,2	8710,74	8603,01	8512,38	8449,11
680	7777,08	7525,71	7317,09	7217,91	7154,64	7093,08
700	6893,01	6639	6384,76	6130,48	5874,83	5630,93

Dielectric constant ( $\epsilon_r$ ) of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.10$

	1 kHz	2 kHz	4 kHz	6 kHz	8 kHz	10 kHz
300	2297,40661	2253,70434	2192,66129	2164,08798	2141,8601	2123,64691
320	2464,59224	2418,8898	2366,16086	2338,15736	2315,72001	2297,55577
340	2633,25301	2590,06891	2540,3109	2512,95254	2490,35458	2472,263
360	2803,88799	2766,49495	2716,5205	2689,76112	2667,08416	2649,09925
380	3039,02535	2957,62225	2946,12392	2919,27937	2896,65312	2878,76106
400	3374,38255	3251,09637	3261,92872	3233,01024	3209,67292	3190,91327
420	3833,69551	3721,05163	3689,53149	3656,65443	3631,36702	3611,47416
440	4456,55748	4281,71557	4258,46448	4216,27725	4185,2978	4161,85816
460	5353,29376	5031,22876	5047,13716	4983,58733	4938,14206	4905,47465
480	6579,78825	6197,73744	6112,27022	6019,22193	5953,64496	5908,21024
500	8020,9209	7726,58639	7391,29711	7270,69264	7188,24362	7130,35272
520	9538,67838	9174,15563	8785,58664	8649,77271	8559,54477	8495,57236
540	10885,31854	10550,78727	10031,06401	9888,8198	9798,99996	9735,17094
560	11704,46838	11488,62083	10769,54458	10626,53549	10539,29532	10479,02265
580	11801,28482	11642,21407	10777,0657	10625,20553	10533,4907	10472,30043
600	10983,76035	10582,12212	9900,44309	9731,8195	9630,11791	9565,33541
620	8995,13426	9023,75083	8013,00124	7848,99234	7745,45488	7682,62195
640	5992,86527	5791,715	5289,24137	5161,11937	5078,04588	5029,55753
660	3530,68108	2417,69611	3122,71652	3046,44344	2995,1077	2966,40813
680	1140,20697	886,75307	1028,20993	1005,56876	987,932	979,6993
700	-1156,61133	-193,34299	-976,79086	-945,19298	-928,19255	-915,87424

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.00$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	5,71E-05	1,22E-04	1,96E-04	2,58E-04	3,48E-04	4,12E-04
<b>3,125</b>	4,49E-05	7,55E-05	1,63E-04	2,31E-04	3,09E-04	3,78E-04
<b>2,94118</b>	5,06E-05	1,03E-04	1,85E-04	2,65E-04	3,51E-04	4,32E-04
<b>2,77778</b>	5,34E-05	9,78E-05	2,01E-04	2,84E-04	3,78E-04	4,63E-04
<b>2,63158</b>	5,80E-05	1,11E-04	2,22E-04	3,17E-04	4,23E-04	5,31E-04
<b>2,5</b>	6,18E-05	1,03E-04	2,38E-04	3,38E-04	4,52E-04	5,63E-04
<b>2,38095</b>	6,91E-05	1,31E-04	2,67E-04	3,80E-04	5,07E-04	6,34E-04
<b>2,27273</b>	7,33E-05	1,28E-04	2,85E-04	4,02E-04	5,43E-04	6,80E-04
<b>2,17391</b>	8,72E-05	1,50E-04	3,38E-04	4,87E-04	6,45E-04	8,02E-04
<b>2,08333</b>	1,02E-04	1,90E-04	3,69E-04	5,40E-04	6,90E-04	8,70E-04
<b>2</b>	1,37E-04	2,52E-04	4,96E-04	6,97E-04	9,28E-04	0,00113
<b>1,92308</b>	1,38E-04	2,40E-04	4,81E-04	6,85E-04	9,09E-04	0,00113
<b>1,85185</b>	1,72E-04	3,10E-04	5,86E-04	8,24E-04	0,00111	0,00136
<b>1,78571</b>	1,92E-04	3,35E-04	6,58E-04	9,22E-04	0,00123	0,00152
<b>1,72414</b>	3,19E-04	5,21E-04	9,88E-04	0,00142	0,00179	0,0023
<b>1,66667</b>	7,90E-04	0,00115	0,00192	0,00246	0,00331	0,00401
<b>1,6129</b>	8,87E-04	0,00131	0,00214	0,00269	0,00349	0,00403
<b>1,5625</b>	6,81E-04	0,00106	0,00168	0,00205	0,00248	0,00287
<b>1,51515</b>	4,23E-04	7,44E-04	0,00128	0,00169	0,00213	0,00225
<b>1,47059</b>	2,07E-04	4,17E-04	9,05E-04	0,00127	0,00161	0,00206
<b>1,42857</b>	1,51E-04	2,64E-04	5,44E-04	7,93E-04	0,00106	0,00132

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.02$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	5,71E-05	1,22E-04	1,96E-04	2,58E-04	3,48E-04	4,12E-04
<b>3,125</b>	4,49E-05	7,55E-05	1,63E-04	2,31E-04	3,09E-04	3,78E-04
<b>2,94118</b>	5,06E-05	1,03E-04	1,85E-04	2,65E-04	3,51E-04	4,32E-04
<b>2,77778</b>	5,34E-05	9,78E-05	2,01E-04	2,84E-04	3,78E-04	4,63E-04
<b>2,63158</b>	5,80E-05	1,11E-04	2,22E-04	3,17E-04	4,23E-04	5,31E-04
<b>2,5</b>	6,18E-05	1,03E-04	2,38E-04	3,38E-04	4,52E-04	5,63E-04
<b>2,38095</b>	6,91E-05	1,31E-04	2,67E-04	3,80E-04	5,07E-04	6,34E-04
<b>2,27273</b>	7,33E-05	1,28E-04	2,85E-04	4,02E-04	5,43E-04	6,80E-04
<b>2,17391</b>	8,72E-05	1,50E-04	3,38E-04	4,87E-04	6,45E-04	8,02E-04
<b>2,08333</b>	1,02E-04	1,90E-04	3,69E-04	5,40E-04	6,90E-04	8,70E-04
<b>2</b>	1,37E-04	2,52E-04	4,96E-04	6,97E-04	9,28E-04	0,00113
<b>1,92308</b>	1,38E-04	2,40E-04	4,81E-04	6,85E-04	9,09E-04	0,00113
<b>1,85185</b>	1,72E-04	3,10E-04	5,86E-04	8,24E-04	0,00111	0,00136
<b>1,78571</b>	1,92E-04	3,35E-04	6,58E-04	9,22E-04	0,00123	0,00152
<b>1,72414</b>	3,19E-04	5,21E-04	9,88E-04	0,00142	0,00179	0,0023
<b>1,66667</b>	7,90E-04	0,00115	0,00192	0,00246	0,00331	0,00401
<b>1,6129</b>	8,87E-04	0,00131	0,00214	0,00269	0,00349	0,00403
<b>1,5625</b>	6,81E-04	0,00106	0,00168	0,00205	0,00248	0,00287
<b>1,51515</b>	4,23E-04	7,44E-04	0,00128	0,00169	0,00213	0,00225
<b>1,47059</b>	2,07E-04	4,17E-04	9,05E-04	0,00127	0,00161	0,00206
<b>1,42857</b>	1,51E-04	2,64E-04	5,44E-04	7,93E-04	0,00106	0,00132

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.04$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	6,67E-05	1,58E-04	2,31E-04	3,18E-04	4,12E-04	4,99E-04
<b>3,125</b>	6,33E-05	1,47E-04	2,21E-04	3,05E-04	3,96E-04	4,83E-04
<b>2,94118</b>	6,80E-05	1,08E-04	2,45E-04	3,39E-04	4,41E-04	5,38E-04
<b>2,77778</b>	7,14E-05	1,51E-04	2,62E-04	3,64E-04	4,77E-04	5,82E-04
<b>2,63158</b>	7,62E-05	1,06E-04	2,89E-04	4,04E-04	5,34E-04	6,51E-04
<b>2,5</b>	8,10E-05	1,15E-04	3,11E-04	4,41E-04	5,88E-04	7,21E-04
<b>2,38095</b>	8,74E-05	1,32E-04	3,40E-04	4,82E-04	6,42E-04	7,93E-04
<b>2,27273</b>	1,01E-04	1,96E-04	3,92E-04	5,54E-04	7,35E-04	9,20E-04
<b>2,17391</b>	1,13E-04	2,20E-04	4,35E-04	6,17E-04	8,20E-04	1,02E-03
<b>2,08333</b>	1,37E-04	2,43E-04	5,09E-04	7,26E-04	9,63E-04	1,18E-03
<b>2</b>	1,18E-04	3,32E-04	6,40E-04	9,02E-04	9,37E-04	0,00147
<b>1,92308</b>	2,33E-04	3,99E-04	7,45E-04	1,03E-03	1,35E-03	0,00166
<b>1,85185</b>	2,69E-04	4,64E-04	8,81E-04	1,24E-03	0,00163	0,00202
<b>1,78571</b>	4,78E-04	8,31E-04	1,60E-03	2,23E-03	0,00297	0,00368
<b>1,72414</b>	7,98E-04	1,27E-03	2,24E-03	0,00299	0,00378	0,00476
<b>1,66667</b>	8,01E-04	0,00125	0,00204	0,00268	0,00342	0,00399
<b>1,6129</b>	6,67E-04	9,71E-04	0,00163	0,00199	0,00245	0,00295
<b>1,5625</b>	5,05E-04	8,04E-04	0,00134	0,00175	0,00211	0,00234
<b>1,51515</b>	3,41E-04	5,81E-04	0,0011	0,00138	0,00174	0,00204
<b>1,47059</b>	2,61E-04	3,60E-04	7,60E-04	0,00106	0,00134	0,00157
<b>1,42857</b>	2,04E-04	3,18E-04	5,71E-04	7,65E-04	9,73E-04	0,00117



AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.04$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	6,67E-05	1,58E-04	2,31E-04	3,18E-04	4,12E-04	4,99E-04
<b>3,125</b>	6,33E-05	1,47E-04	2,21E-04	3,05E-04	3,96E-04	4,83E-04
<b>2,94118</b>	6,80E-05	1,08E-04	2,45E-04	3,39E-04	4,41E-04	5,38E-04
<b>2,77778</b>	7,14E-05	1,51E-04	2,62E-04	3,64E-04	4,77E-04	5,82E-04
<b>2,63158</b>	7,62E-05	1,06E-04	2,89E-04	4,04E-04	5,34E-04	6,51E-04
<b>2,5</b>	8,10E-05	1,15E-04	3,11E-04	4,41E-04	5,88E-04	7,21E-04
<b>2,38095</b>	8,74E-05	1,32E-04	3,40E-04	4,82E-04	6,42E-04	7,93E-04
<b>2,27273</b>	1,01E-04	1,96E-04	3,92E-04	5,54E-04	7,35E-04	9,20E-04
<b>2,17391</b>	1,13E-04	2,20E-04	4,35E-04	6,17E-04	8,20E-04	1,02E-03
<b>2,08333</b>	1,37E-04	2,43E-04	5,09E-04	7,26E-04	9,63E-04	1,18E-03
<b>2</b>	1,18E-04	3,32E-04	6,40E-04	9,02E-04	9,37E-04	0,00147
<b>1,92308</b>	2,33E-04	3,99E-04	7,45E-04	1,03E-03	1,35E-03	0,00166
<b>1,85185</b>	2,69E-04	4,64E-04	8,81E-04	1,24E-03	0,00163	0,00202
<b>1,78571</b>	4,78E-04	8,31E-04	1,60E-03	2,23E-03	0,00297	0,00368
<b>1,72414</b>	7,98E-04	1,27E-03	2,24E-03	0,00299	0,00378	0,00476
<b>1,66667</b>	8,01E-04	0,00125	0,00204	0,00268	0,00342	0,00399
<b>1,6129</b>	6,67E-04	9,71E-04	0,00163	0,00199	0,00245	0,00295
<b>1,5625</b>	5,05E-04	8,04E-04	0,00134	0,00175	0,00211	0,00234
<b>1,51515</b>	3,41E-04	5,81E-04	0,0011	0,00138	0,00174	0,00204
<b>1,47059</b>	2,61E-04	3,60E-04	7,60E-04	0,00106	0,00134	0,00157
<b>1,42857</b>	2,04E-04	3,18E-04	5,71E-04	7,65E-04	9,73E-04	0,00117

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.06$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	1,31E-04	2,76E-04	4,14E-04	5,60E-04	7,20E-04	8,70E-04
<b>3,125</b>	1,01E-04	2,20E-04	3,20E-04	4,21E-04	5,56E-04	6,62E-04
<b>2,94118</b>	1,09E-04	1,49E-04	3,49E-04	4,74E-04	5,97E-04	7,38E-04
<b>2,77778</b>	1,17E-04	2,09E-04	3,80E-04	5,26E-04	6,81E-04	8,19E-04
<b>2,63158</b>	1,28E-04	2,31E-04	4,24E-04	5,79E-04	7,52E-04	9,31E-04
<b>2,5</b>	1,38E-04	2,38E-04	4,62E-04	6,48E-04	8,42E-04	1,03E-03
<b>2,38095</b>	1,57E-04	2,56E-04	5,20E-04	7,17E-04	9,33E-04	1,15E-03
<b>2,27273</b>	1,81E-04	3,44E-04	6,08E-04	8,44E-04	1,11E-03	1,36E-03
<b>2,17391</b>	2,08E-04	3,49E-04	6,84E-04	9,36E-04	1,23E-03	1,49E-03
<b>2,08333</b>	2,64E-04	4,66E-04	8,48E-04	1,16E-03	1,52E-03	1,86E-03
<b>2</b>	3,46E-04	5,89E-04	1,10E-03	1,50E-03	1,93E-03	0,00235
<b>1,92308</b>	5,09E-04	8,60E-04	1,55E-03	2,08E-03	2,68E-03	0,00324
<b>1,85185</b>	8,85E-04	1,44E-03	2,62E-03	3,58E-03	0,00467	0,00574
<b>1,78571</b>	9,60E-04	1,57E-03	2,90E-03	4,03E-03	0,00533	0,00661
<b>1,72414</b>	7,45E-04	1,17E-03	1,96E-03	0,00259	0,0033	0,00397
<b>1,66667</b>	6,05E-04	9,00E-04	0,00144	0,00185	0,00228	0,00267
<b>1,6129</b>	5,24E-04	7,97E-04	0,0012	0,00151	0,00181	0,00205
<b>1,5625</b>	4,73E-04	7,18E-04	0,00112	0,00137	0,00162	0,00184
<b>1,51515</b>	4,28E-04	6,64E-04	0,00103	0,00129	0,00151	0,00174
<b>1,47059</b>	4,60E-04	5,49E-04	9,59E-04	0,00121	0,00146	0,00168
<b>1,42857</b>	4,85E-04	6,85E-04	9,85E-04	1,16E-03	1,42E-03	0,00162

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.08$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	1,50E-04	2,49E-04	4,62E-04	6,27E-04	8,15E-04	9,72E-04
<b>3,125</b>	1,17E-04	2,39E-04	3,63E-04	4,93E-04	6,24E-04	7,53E-04
<b>2,94118</b>	1,08E-04	2,39E-04	3,78E-04	5,21E-04	6,76E-04	8,30E-04
<b>2,77778</b>	1,29E-04	2,14E-04	4,31E-04	5,98E-04	7,77E-04	9,49E-04
<b>2,63158</b>	1,49E-04	2,70E-04	5,13E-04	7,07E-04	9,26E-04	1,15E-03
<b>2,5</b>	1,60E-04	2,90E-04	5,83E-04	8,27E-04	1,10E-03	1,38E-03
<b>2,38095</b>	1,76E-04	2,89E-04	6,14E-04	8,61E-04	1,14E-03	1,40E-03
<b>2,27273</b>	2,18E-04	3,81E-04	7,88E-04	1,12E-03	1,49E-03	1,86E-03
<b>2,17391</b>	2,71E-04	5,03E-04	9,88E-04	1,42E-03	1,93E-03	2,46E-03
<b>2,08333</b>	3,46E-04	6,30E-04	1,24E-03	1,77E-03	2,39E-03	3,02E-03
<b>2</b>	5,93E-04	1,05E-03	1,88E-03	2,59E-03	3,37E-03	0,0041
<b>1,92308</b>	9,15E-04	1,59E-03	2,88E-03	3,95E-03	5,12E-03	0,00622
<b>1,85185</b>	1,12E-03	1,87E-03	3,59E-03	5,09E-03	0,00682	0,00859
<b>1,78571</b>	7,75E-04	1,27E-03	2,18E-03	2,96E-03	0,00384	0,00469
<b>1,72414</b>	4,60E-04	7,31E-04	1,23E-03	0,00164	0,00204	0,00244
<b>1,66667</b>	4,05E-04	6,24E-04	0,00105	0,00138	0,0017	0,002
<b>1,6129</b>	3,08E-04	4,79E-04	7,52E-04	9,33E-04	0,00115	0,00131
<b>1,5625</b>	2,75E-04	4,36E-04	6,60E-04	8,08E-04	9,72E-04	0,00108
<b>1,51515</b>	2,37E-04	3,93E-04	6,88E-04	8,55E-04	0,00102	0,00115
<b>1,47059</b>	2,03E-04	3,29E-04	6,06E-04	7,88E-04	9,66E-04	0,0011
<b>1,42857</b>	1,98E-04	3,10E-04	5,28E-04	6,38E-04	8,31E-04	0,00105

AC conductivity of  $\text{Pb}_{1-x}\text{Ba}_x(\text{Zr}_{0.52}\text{Ti}_{0.43}(\text{Al}_{0.5}\text{Sb}_{0.5})_{0.05})\text{O}_3$  were  $x = 0.10$

<b>1000/T</b>	<b>10 kHz</b>	<b>20 kHz</b>	<b>40 kHz</b>	<b>60 kHz</b>	<b>80 kHz</b>	<b>100 kHz</b>
<b>3,33333</b>	6,06E-05	7,80E-05	2,03E-04	2,76E-04	3,53E-04	4,29E-04
<b>3,125</b>	6,08E-05	1,45E-04	2,08E-04	2,84E-04	3,66E-04	4,41E-04
<b>2,94118</b>	6,25E-05	1,17E-04	2,14E-04	2,95E-04	3,80E-04	4,61E-04
<b>2,77778</b>	6,75E-05	8,42E-05	2,42E-04	3,32E-04	4,32E-04	5,20E-04
<b>2,63158</b>	6,22E-05	1,25E-04	2,39E-04	3,38E-04	4,48E-04	5,49E-04
<b>2,5</b>	6,66E-05	1,41E-04	2,54E-04	3,64E-04	4,84E-04	5,96E-04
<b>2,38095</b>	7,56E-05	1,74E-04	2,83E-04	3,98E-04	5,27E-04	6,46E-04
<b>2,27273</b>	9,85E-05	1,60E-04	3,50E-04	4,91E-04	6,47E-04	7,92E-04
<b>2,17391</b>	9,02E-05	2,05E-04	3,65E-04	5,13E-04	6,85E-04	8,48E-04
<b>2,08333</b>	1,92E-04	3,16E-04	5,76E-04	7,87E-04	1,02E-03	1,23E-03
<b>2</b>	2,76E-04	4,47E-04	7,85E-04	1,06E-03	1,37E-03	0,00167
<b>1,92308</b>	3,17E-04	4,94E-04	8,80E-04	1,20E-03	1,56E-03	0,00188
<b>1,85185</b>	2,63E-04	4,00E-04	7,19E-04	9,74E-04	0,00127	0,00153
<b>1,78571</b>	3,33E-04	4,99E-04	8,31E-04	1,09E-03	0,00138	0,00166
<b>1,72414</b>	3,23E-04	4,16E-04	6,74E-04	8,43E-04	0,00105	0,00119
<b>1,66667</b>	3,10E-04	4,26E-04	6,53E-04	8,10E-04	9,75E-04	0,00117
<b>1,6129</b>	3,06E-04	4,45E-04	6,40E-04	8,02E-04	9,59E-04	9,53E-04
<b>1,5625</b>	2,85E-04	4,71E-04	6,22E-04	7,80E-04	9,28E-04	9,32E-04
<b>1,51515</b>	2,62E-04	4,19E-04	6,01E-04	7,76E-04	8,90E-04	8,93E-04
<b>1,47059</b>	2,18E-04	4,09E-04	5,95E-04	7,66E-04	8,64E-04	8,59E-04
<b>1,42857</b>	2,02E-04	3,81E-04	5,82E-04	7,52E-04	7,96E-04	8,04E-04